

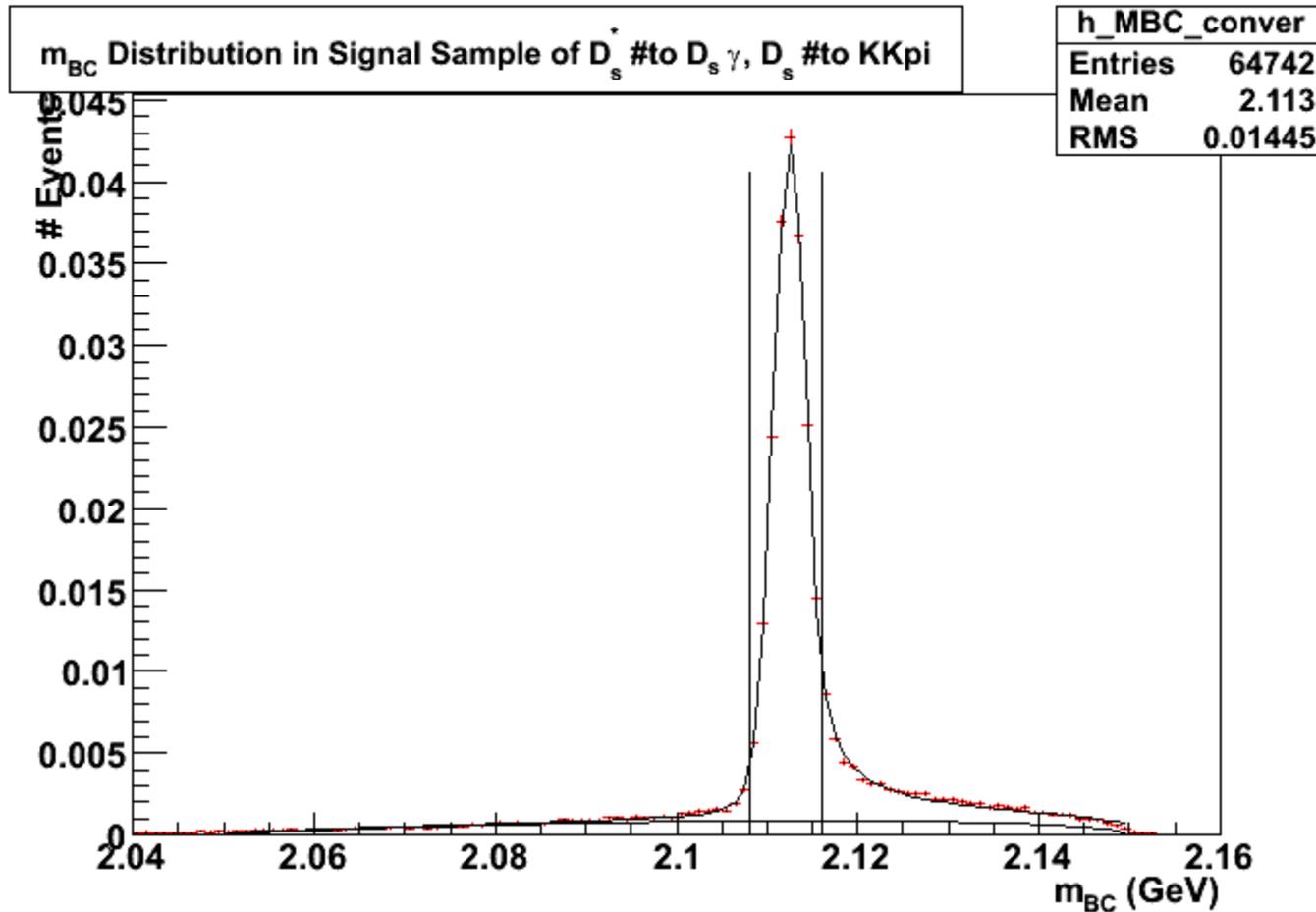
$$D_S^{*+} \rightarrow D_S^+ e^+ e^-$$

Souvik Das, Anders Ryd
Cornell University

Contents

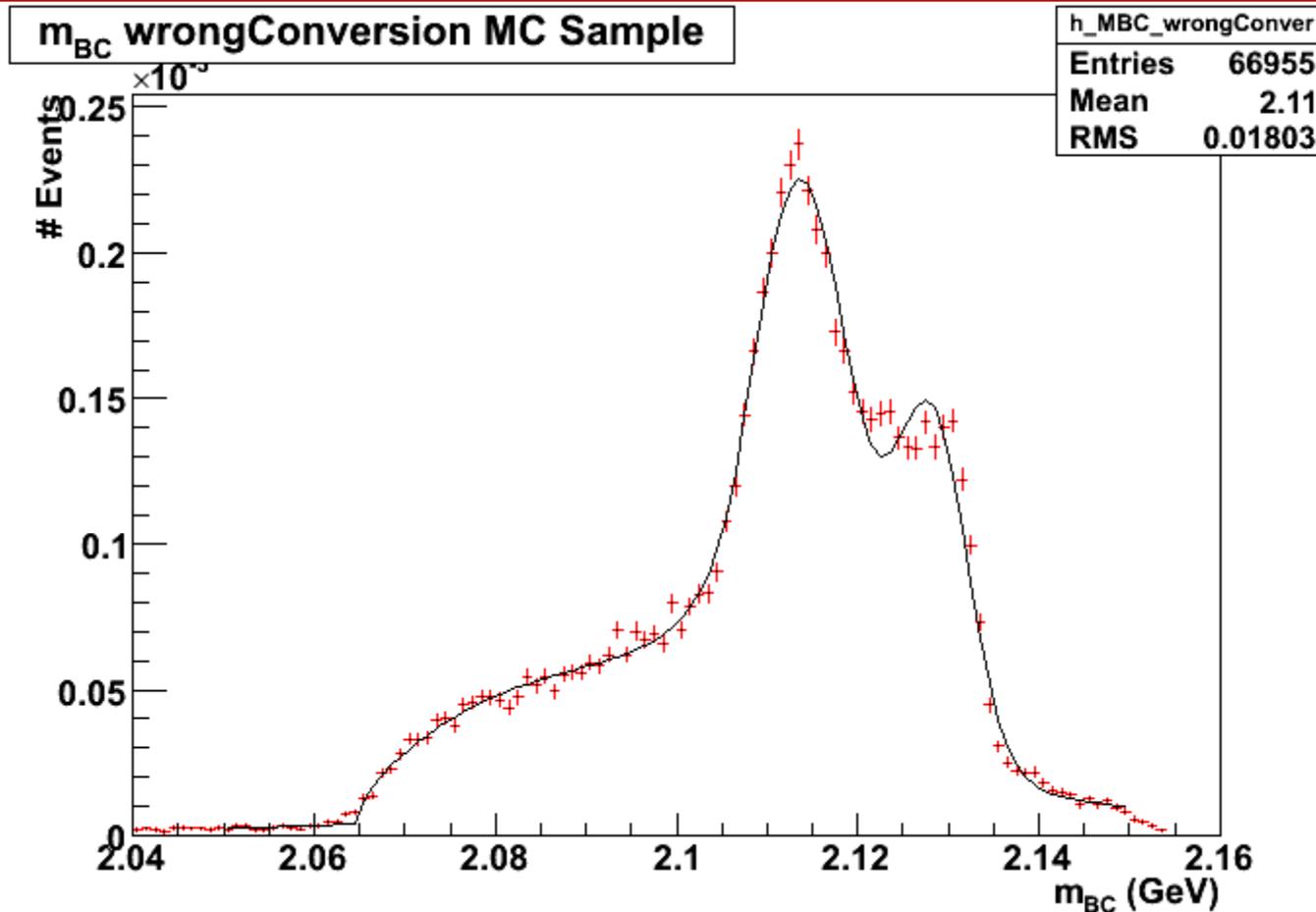
- Low Energy Electron Reconstruction Efficiency Woes
- $D_S^* \rightarrow D_S \gamma$
- Vertex Fitting Suggestion

$D_s^* \rightarrow D_s \gamma$ Channel



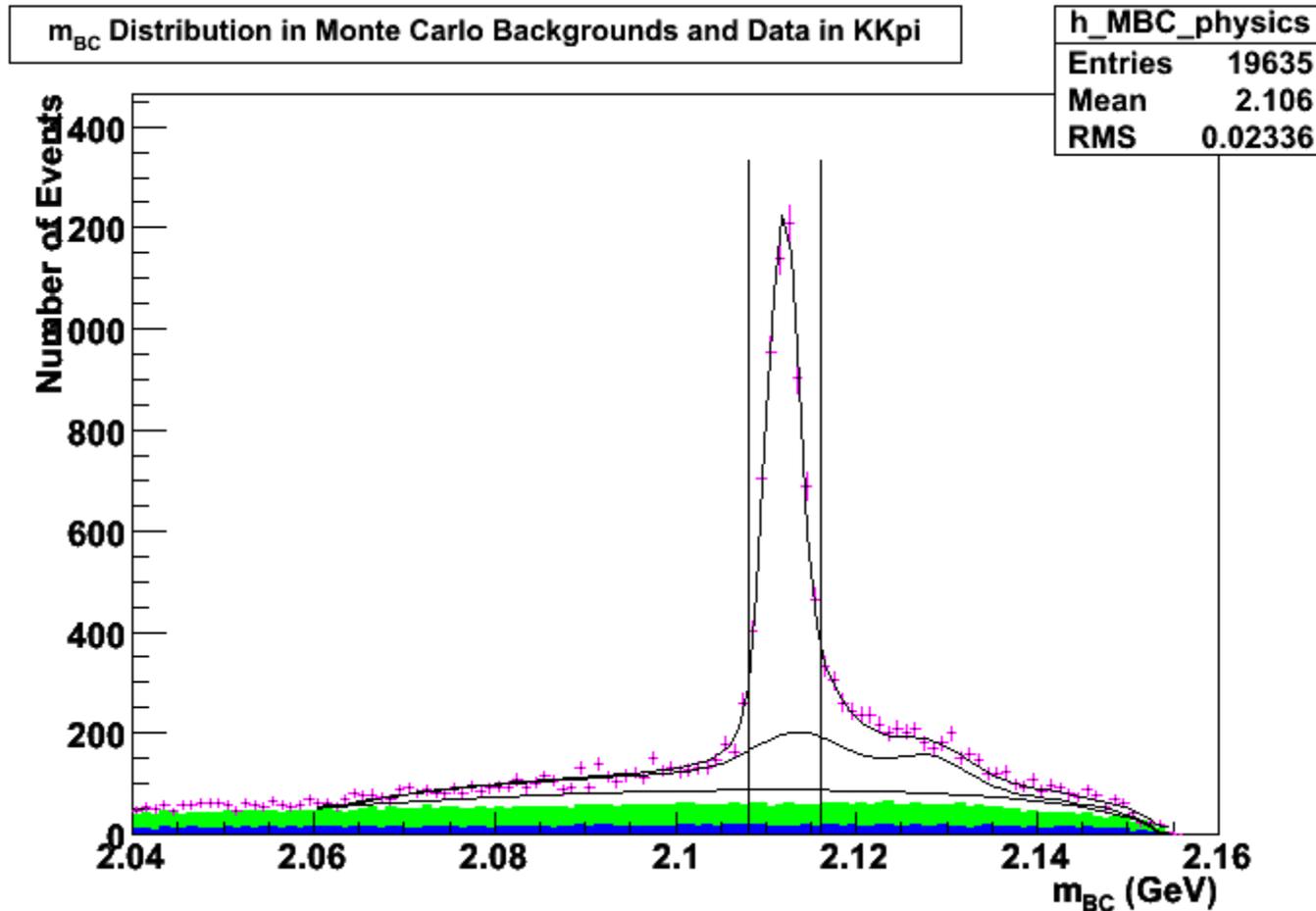
- We start with a $D_s^{*+} \rightarrow D_s^+ \gamma$ sample and reconstruct the D_s^{*+} through the D_s^+ .
- The D_s^- on the other side is decaying generically.
- Plot fitted to a double-shouldered Crystal Ball function standing on an Argus function.
- The cut efficiency is found to be 19.2% as before. (My plot is an average of D_s^{*+} and D_s^{*-} decays)₂

Ds* -> Ds gamma Channel



- We start with a MC sample where Ds* -> Ds gamma, where Ds on both sides are allowed to decay generically.
- We reconstruct the Ds*+ with the Ds- which we reconstruct from KKpi- and gamma. The Ds+ decays generically, and we don't care about it.
- Plot fitted to a quasi-Boltzmann distribution of the form “ $\exp(-((x-x_0)/x_1)^2) * \text{pow}(((x-x_0)/x_1), x_2)$ ”, on top of which stands a double-shouldered CB for the main peak and a Gaussian for the second peak.

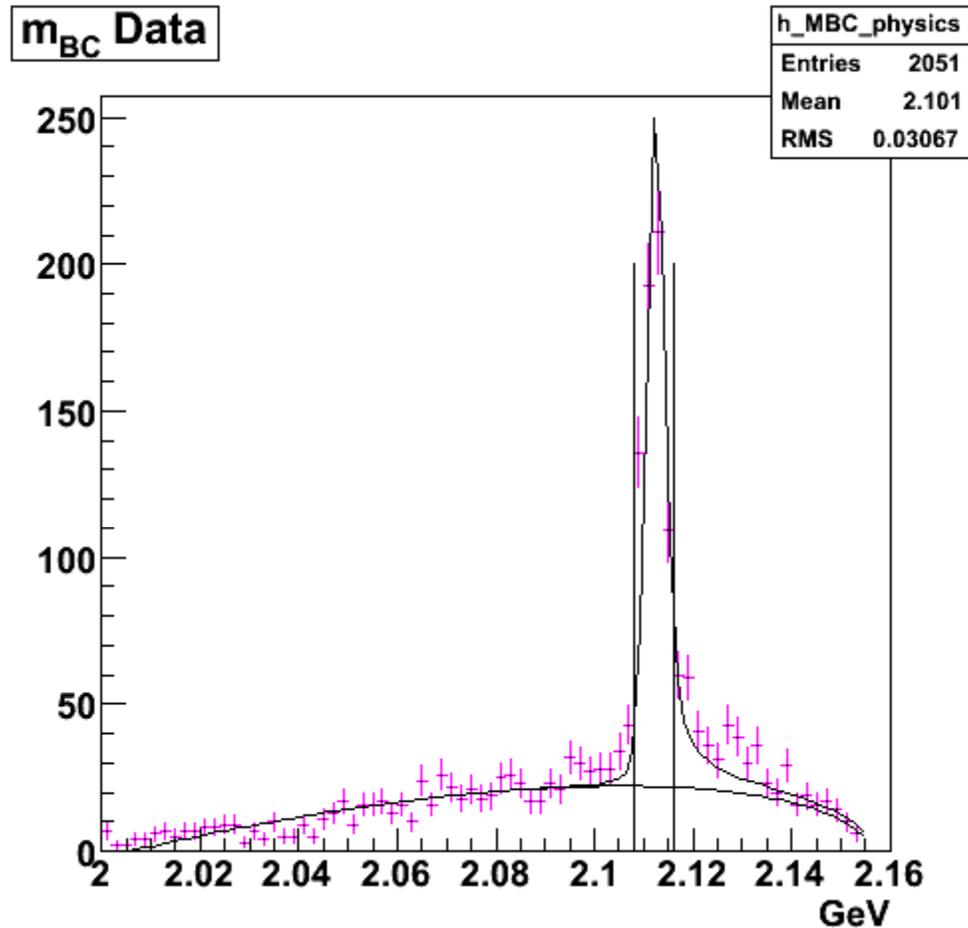
Ds* -> Ds gamma Channel



The data in pink is fitted to an Argus function on the bottom, a scaled version of the fit on Slide 3 and a scaled version of the CB from Slide 2 where the center of the peak is allowed to float a bit.

I infer $B(Ds^* \rightarrow Ds \gamma) = 0.83 \pm 0.05$. The PDG value is 0.942 ± 0.007 .

$D_s^* \rightarrow D_s$ gamma Channel



A previous attempt with 10% of the data, fitted naively to a CB from Slide 2 on top of an Argus function gave us $B = 96.2\%$ which went to $\sim 100\%$ when I used all the data. When we used all the data, the discrepancy in the higher shoulder region became very marked... and lead us to discover the contribution from wrong-side reconstructions.