Electron cloud instability in Super B factories and ILC damping ring

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Threshold of the strong head-tail instability (Balance of growth and Landau damping)

• Stability condition for $\omega_e \sigma_z / c > 1$ $\omega_e = \sqrt{\frac{\lambda_p r_e c^2}{\sigma_v (\sigma_x + \sigma_v)}}$

$$\omega_e = \sqrt{\frac{\lambda_p r_e c^2}{\sigma_y (\sigma_x + \sigma_y)}}$$

$$U = \frac{\sqrt{3}\lambda_{p}r_{0}\beta}{v_{s} \gamma \omega_{e}\sigma_{z}/c} \frac{\left|Z_{\perp}(\omega_{e})\right|}{Z_{0}} = \frac{\sqrt{3}\lambda_{p}r_{0}\beta}{v_{s} \gamma \omega_{e}\sigma_{z}/c} \frac{KQ}{4\pi} \frac{\lambda_{e}}{\lambda_{p}} \frac{L}{\sigma_{y}(\sigma_{x} + \sigma_{y})} = 1$$

• Since $\rho_e = \lambda_e / 2\pi \sigma_x \sigma_y$

$$\rho_{e,th} = \frac{2\gamma v_s \, \omega_e \sigma_z / c}{\sqrt{3} K Q r_0 \beta L}$$
 Origin of Large compaction

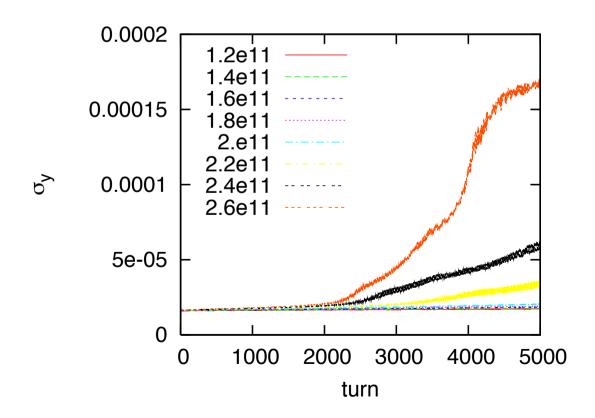
Origin of Landau damping is momentum

$$v_s \sigma_z = \alpha \sigma_\delta L$$

- Q=min(Q_{nl}, $\omega_e \sigma_z/c$) Q_{nl} =5-10?, depending on the nonlinear interaction.
- K characterizes cloud size effect and pinching.
- $\omega_{\rm p}\sigma_{\rm r}/c^{\sim}12-15$ for damping rings.
- We use $K=\omega_{P}\sigma_{P}/c$ and $Q_{nl}=7$ for analytical estimation.

Threshold of the single bunch instability

• $\rho_{e,th}$ =1-2x10¹¹ m⁻³ for Super B factories and ILC damping ring.



Cloud density estimation

• The cloud density is measured in each element. The integrated (averaged) density can be suppressed to to 0.5-2x10¹¹ m⁻³ (Suetsugu) for Super B factories.

- ILC damping ring is similar as the Super B factories. Operating current of B factories is higher than ILC damping ring.
- If Super B factories work well, ILC damping ring is no problem for electron cloud instability.