

Cornell University

Floyd R. Newman Laboratory for  
Elementary-Particle Physics



# First two-sided limit of the $B_s \rightarrow \mu^+ \mu^-$ decay rate

Wine and Cheese Seminar

Fermilab, 7/15/2011

Julia Thom-Levy, Cornell University

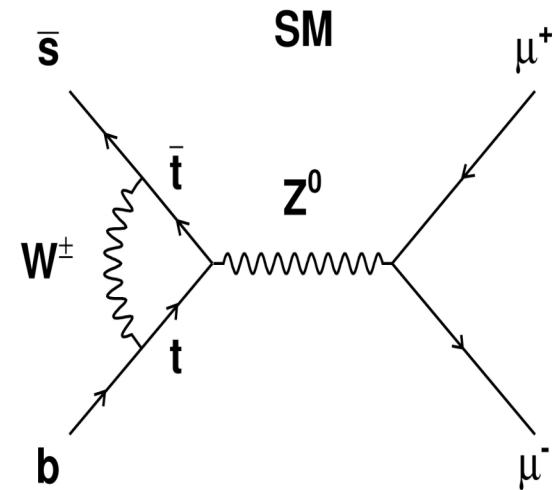
# $B_s (B^0) \rightarrow \mu^+ \mu^-$ : the golden channel for FCNC searches

- In the Standard Model (SM) process is highly suppressed
  - Cabibbo and helicity suppressed
  - accessible only through higher order EWK diagrams
  - SM rate predicted with  $\sim 10\%$  accuracy:

$$\text{BR}(B_s \rightarrow \mu^+ \mu^-) = (3.2 \pm 0.2) \times 10^{-9}$$

$$\text{BR}(B^0 \rightarrow \mu^+ \mu^-) = (1.0 \pm 0.1) \times 10^{-10}$$

*A. J. Buras et al., JHEP 1010:009,2010*



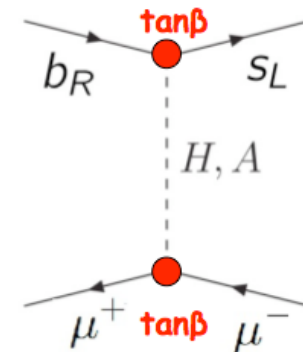
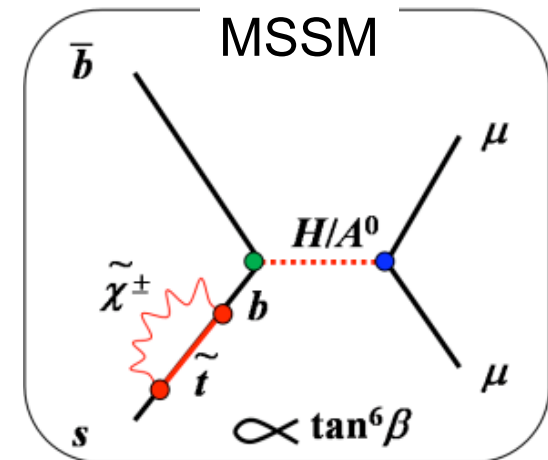
- Search for this decay has long been of great interest:
  - robust experimental signature
  - many New Physics(NP) models predict much larger branching fraction  
*e.g. Choudhury, Gaur, PRB 451, 86 (1999); Babu, Kolda, PRL 84, 228 (2000).*

# Probing New Physics

All NP models with new scalar operators predict enhancement.  
In NP models without new scalar operators,  
 $\text{BR}(B_s \rightarrow \mu^+\mu^-) > 10^{-8}$  are unlikely

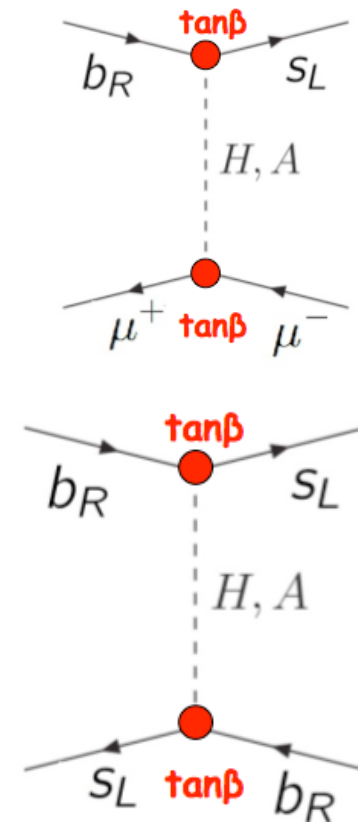
## Examples of NP models:

- Loop: MSSM, mSUGRA
  - Rate prop. to  $\tan^6\beta$ , e.g. 3 orders of magnitude enhancement
  - Dedes, Dreiner, Nierste, PRL87:251804 (2001)*
- Tree: Flavor violating models or R-Parity violating SUSY
- LHT, RS, SM with 4 generations
  - modest NP contributions to  $\text{BR}(B_s \rightarrow \mu^+\mu^-)$



# Probing New Physics

- “Smoking gun” of some Flavor Violating NP models:
  - ratio  $BR(B_s \rightarrow \mu^+\mu^-) / BR(B^0 \rightarrow \mu^+\mu^-)$  highly informative about whether NP violates flavor significantly or not
  - clear correlation between CP violating mixing phase from  $B_s \rightarrow J/\psi\phi$  and  $BR(B_s \rightarrow \mu^+\mu^-)$   
*Altmannshofer, Buras, Gori, Paradisi, Straub, Nucl.Phys.B830:17-94,2010*
- Important complementarity with direct searches at Tevatron and LHC
  - Indirect searches can access even higher mass scales than LHC COM energies



New bounds on  $BR(B^0 \rightarrow \mu^+\mu^-)$  and  $BR(B_s \rightarrow \mu^+\mu^-)$  are of crucial importance, and are a top priority at the Tevatron and LHC.



# Probing New Physics

Plenary talk

A.Buras, Beauty 2011:

**Maximal Enhancements of  $S_{\psi\phi}$ ,  $\text{Br}(B_s \rightarrow \mu^+\mu^-)$  and  $K^+ \rightarrow \pi^+\nu\bar{\nu}$**

(without taking correlation between them)

Model	Upper Bound on ( $S_{\psi\phi}$ )	Enhancement of $\text{Br}(B_s \rightarrow \mu^+\mu^-)$	Enhancement of $\text{Br}(K^+ \rightarrow \pi^+\nu\bar{\nu})$
CMFV	0.04	20%	20%
MFV	0.04	1000%	30%
LHT	0.30	30%	150%
RS	0.75	10%	60%
4G	0.80	400%	300%
AC	0.75	1000%	2%
RVV	0.50	1000%	10%

Large  
RH Currents

RS = RS with custodial protections

AC = Agashe, Carone

RVV = Ross, Velasco-Sevilla, Vives (04)

$U(1)_F$   
 $SU(3)_F$

# Experimental Status

 6.1 fb<sup>-1</sup>:

$$\text{BR}(B_s \rightarrow \mu^+ \mu^-) < 5.1 \times 10^{-8}$$

PLB 693 539 (2010)



3.7 fb<sup>-1</sup>:

$$\text{BR}(B_s \rightarrow \mu^+ \mu^-) < 4.3 \times 10^{-8}$$

$$\text{BR}(B^0 \rightarrow \mu^+ \mu^-) < 7.6 \times 10^{-9}$$

public note 9892



37 pb<sup>-1</sup>:

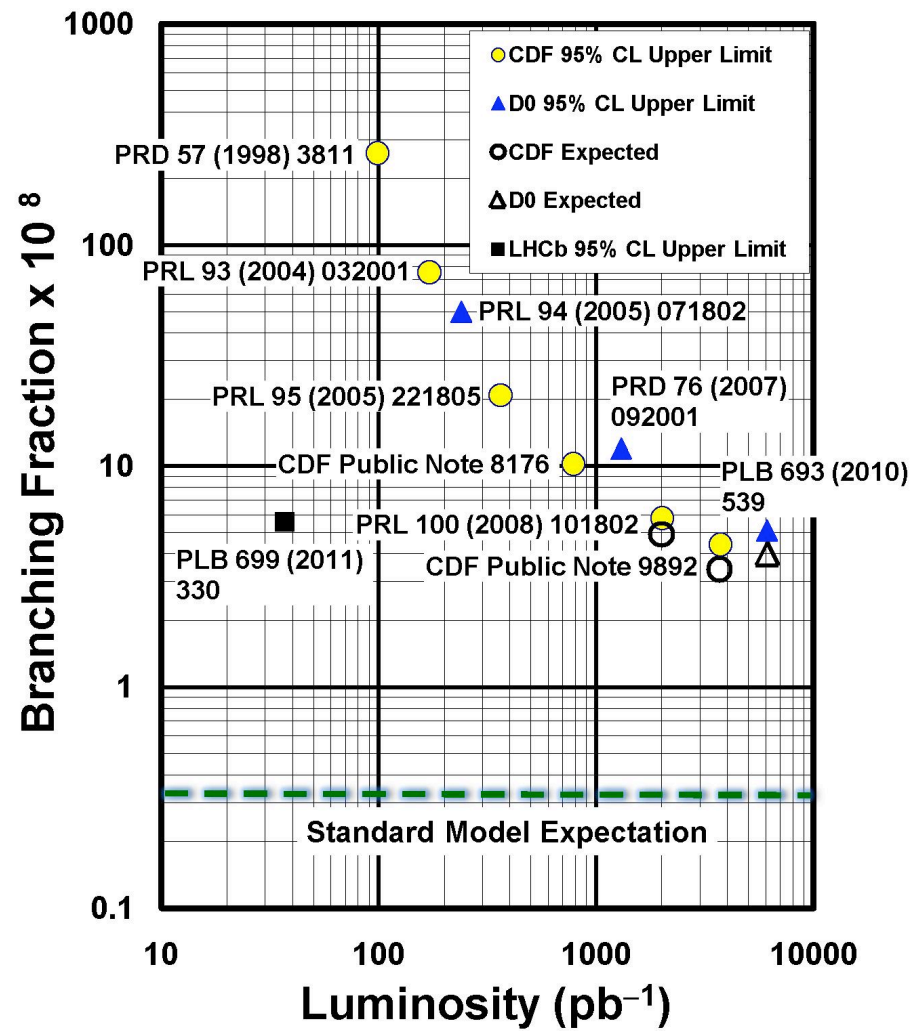
$$\text{BR}(B_s \rightarrow \mu^+ \mu^-) < 5.6 \times 10^{-8}$$

$$\text{BR}(B^0 \rightarrow \mu^+ \mu^-) < 15 \times 10^{-9}$$

PLB 699, 330 (2011)

All limits quoted @95% C.L.

95% CL Limits on  $\mathcal{B}(B_s \rightarrow \mu\mu)$



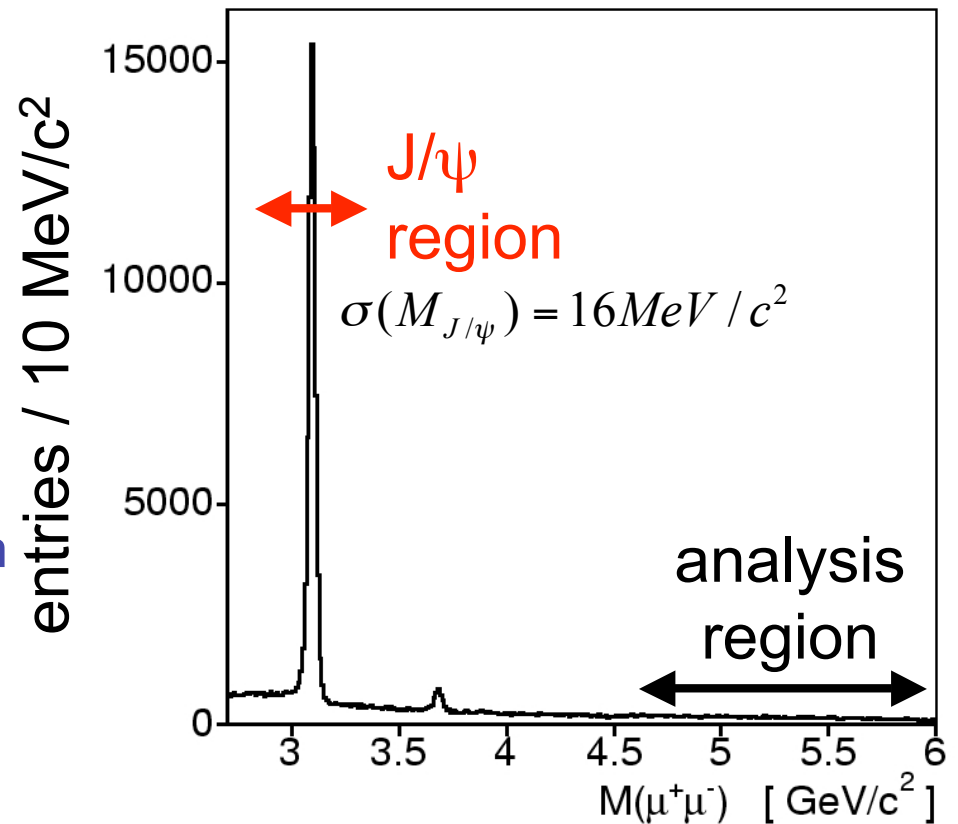
# Analysis overview

- Data collected using dimuon trigger,  $7 \text{ fb}^{-1}$
- Loose pre-selection identifies  $B_s$  and  $B^+$  search samples
  - $B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K$  is used as a normalization mode to suppress common systematic uncertainties
- S/N for the  $B_s(B^0)$  sample is further improved by using a Neural Net discriminant
- Signal window is blinded
- backgrounds are evaluated using sideband data and other control samples
- $\text{BR}(B_s(B^0) \rightarrow \mu^+ \mu^-)$  is determined relative to the  $B^+ \rightarrow J/\psi K^+$  rate after correcting for relative trigger and reconstruction efficiencies extracted from data (when possible) and simulation.
- Can search for  $B^0$  and  $B_s \rightarrow \mu^+ \mu^-$  decays separately
  - dimuon mass resolution  $\sim 24 \text{ MeV} < M_{B_s} - M_{B^0}$

# Trigger

Data collected using dimuon trigger

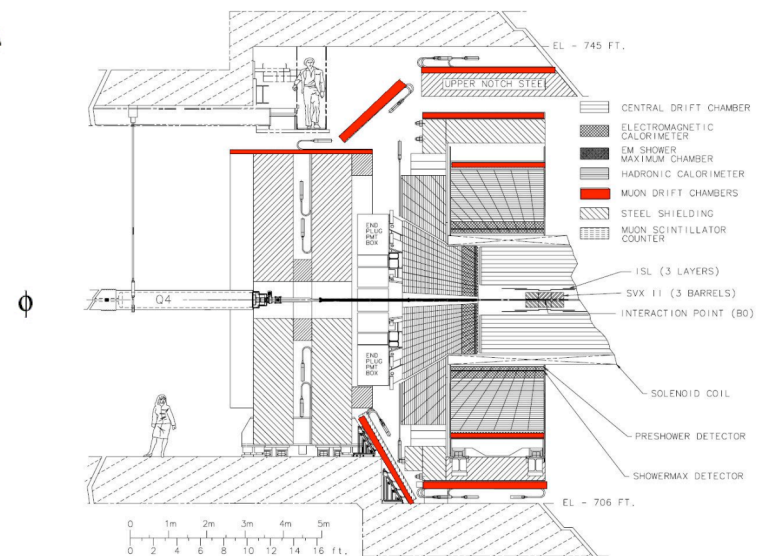
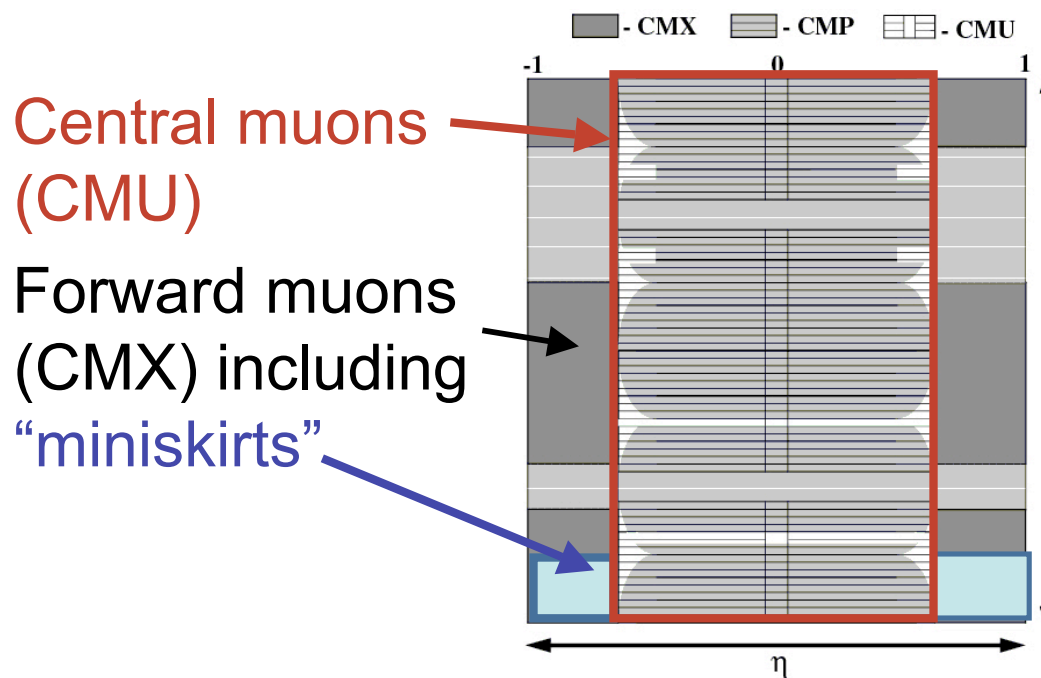
- “CC”:
  - 2 central muons
  - “CMU”,  $|\eta| < 0.6$ ,
  - $p_T > 1.5$  GeV
  - $2.7 < M_{\mu\mu} < 6.0$  GeV
  - $p_{T(\mu)} + p_{T(\mu)} > 4$  GeV
- “CF”:
  - one central, one forward muon
  - “CMX”,  $0.6 < |\eta| < 1.0$
  - $p_T > 2$  GeV
  - other cuts same as above



Trigger efficiency same for muons from  $J/\psi$  or  $B_s$   
(for muon of a given  $p_T$ )

# Improvements over previous $B_s(B^0) \rightarrow \mu^+\mu^-$ result from CDF

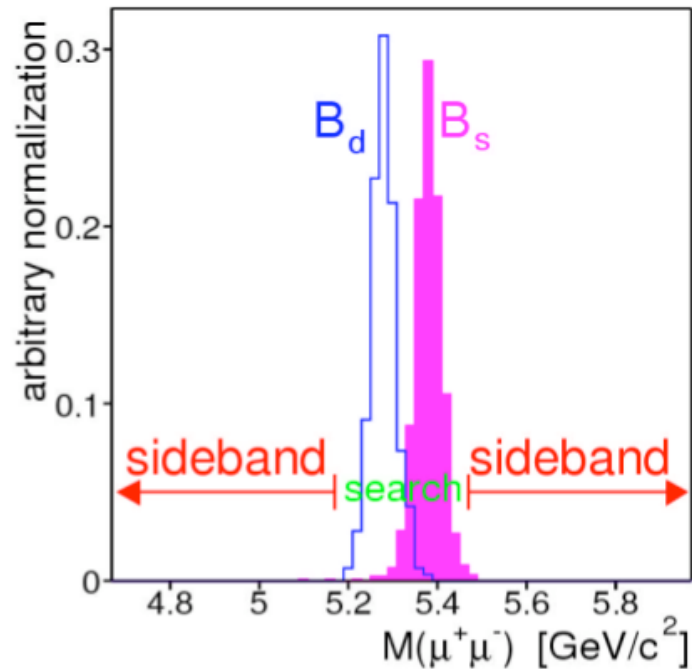
- Using twice the integrated luminosity ( $7 \text{ fb}^{-1}$ )
- Extended acceptance of events in the analysis by  $\sim 20\%$ 
  - muon acceptance includes forward muons detected in CMX miniskirts
  - 12% from tracking acceptance increase (using previously excluded “COT spacer region”)
- Analysis improvements include an improved NN discriminant



# “Blind” search region

- Search region:  $5.169 < M_{\mu\mu} < 5.469$  GeV
  - corresponds to  $\pm 6 \times \sigma_m$ , where  $\sigma_m \approx 24$  MeV (2-track invariant mass resolution)
- Sideband regions: additional 0.5 GeV on either side
  - Used to understand background

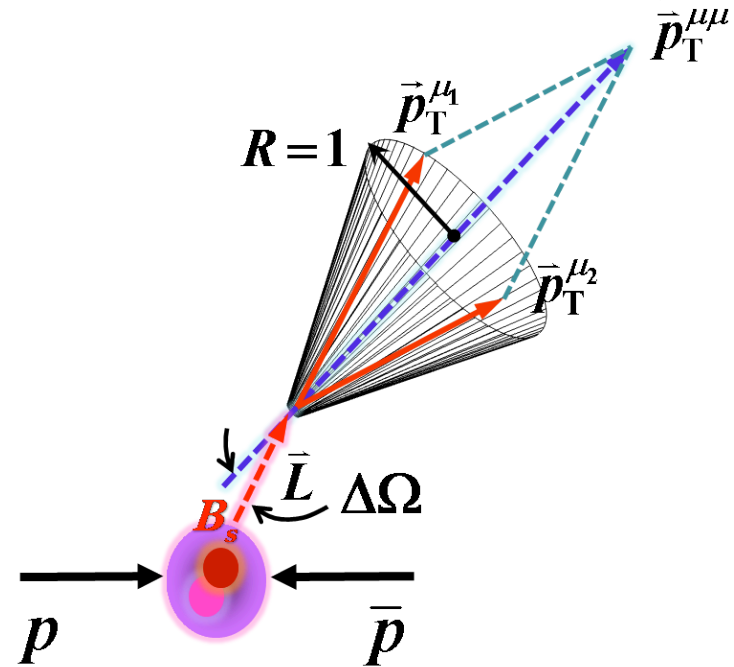
MC simulation of  
 $B_s$  and  $B^0 \rightarrow \mu^+\mu^-$   
mass peaks



# Pre-selection variables

Samples of candidate  $B^+$  and  $B_s(B^0)$  decays pass track quality cuts and are constrained to a common 3D vertex. We apply loose baseline cuts on:

- isolation of B candidate and pointing angle ( $\Delta\Omega$ )
- transverse momentum of candidate B and muon tracks
- significance of proper decay time
- invariant mass



$$\text{Isolation} = \frac{p_T(\mu\mu)}{\sum p_T(\text{tracks}) + p_T(\mu\mu)}$$

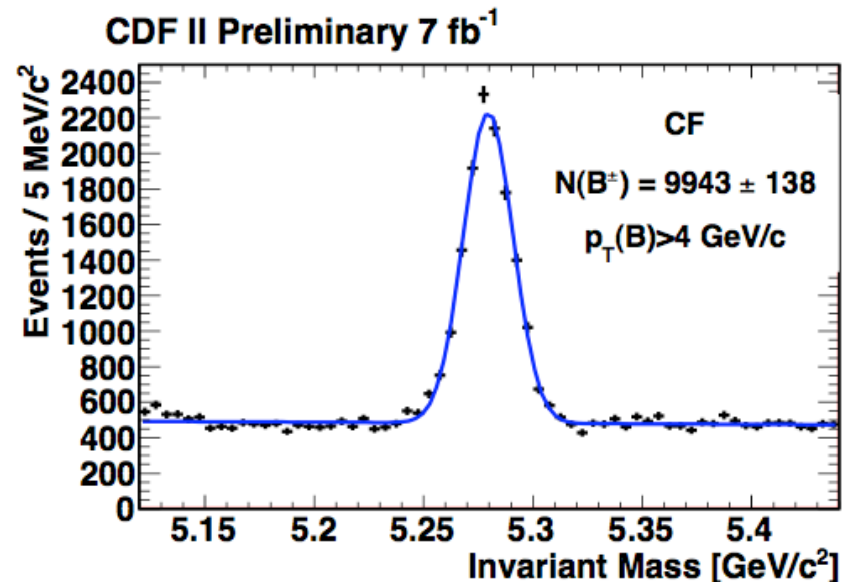
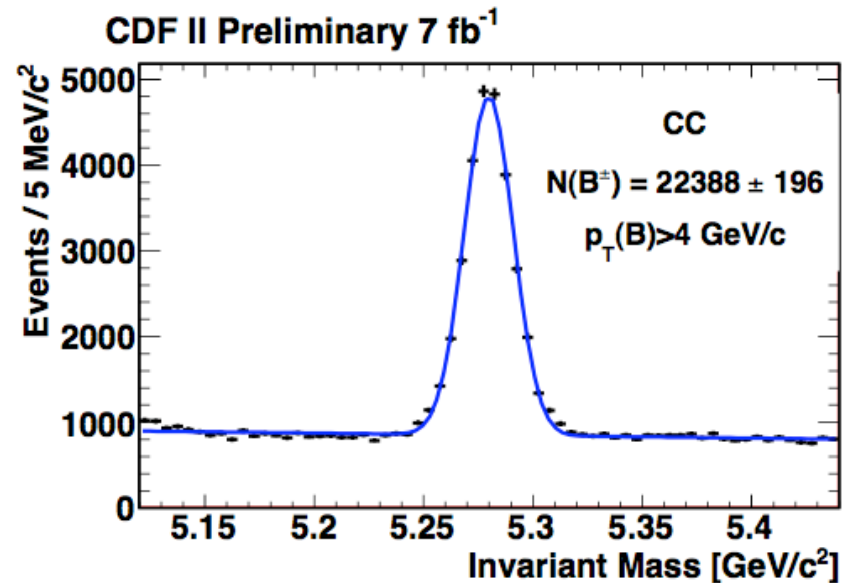
all tracks within a cone of  $R=1$  around  $p_T(\mu\mu)$  considered

# Pre-selection: $B^+$ normalization sample

$B^+ \rightarrow J/\psi K \rightarrow \mu^+ \mu^- K$ ,  
~30k candidates.

In addition to baseline cuts,  
 $B^+$  sample passes

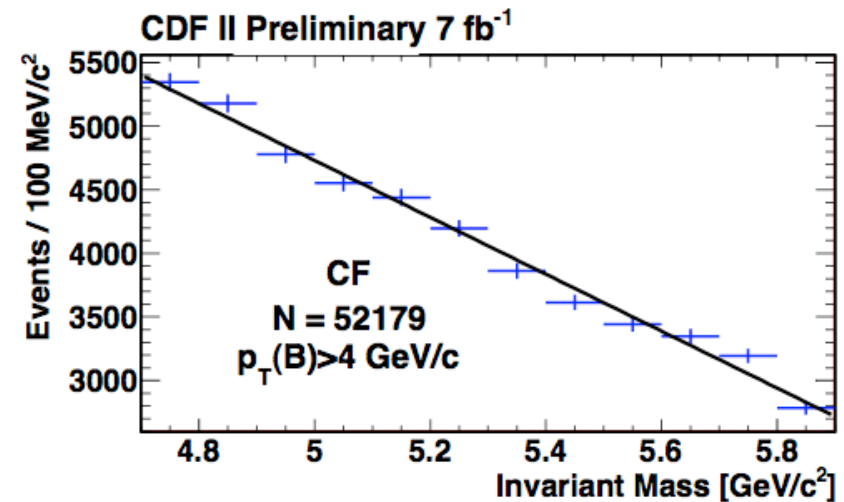
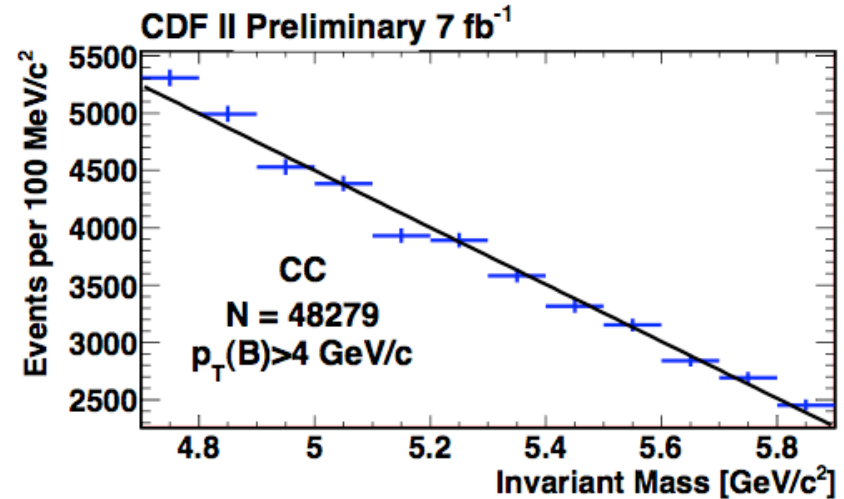
- $J/\psi$  mass constraint for dimuons
- K quality cuts, and K and  $J/\psi$  constrained to common vertex





# Pre-selection: $B_s(B^0)$ search samples

$B_s(B^0)$  search sample,  
~100k candidates



# Signal selection

- Discriminating variables
- Neural Network

# $B_s(B^0)$ Signal vs. Background

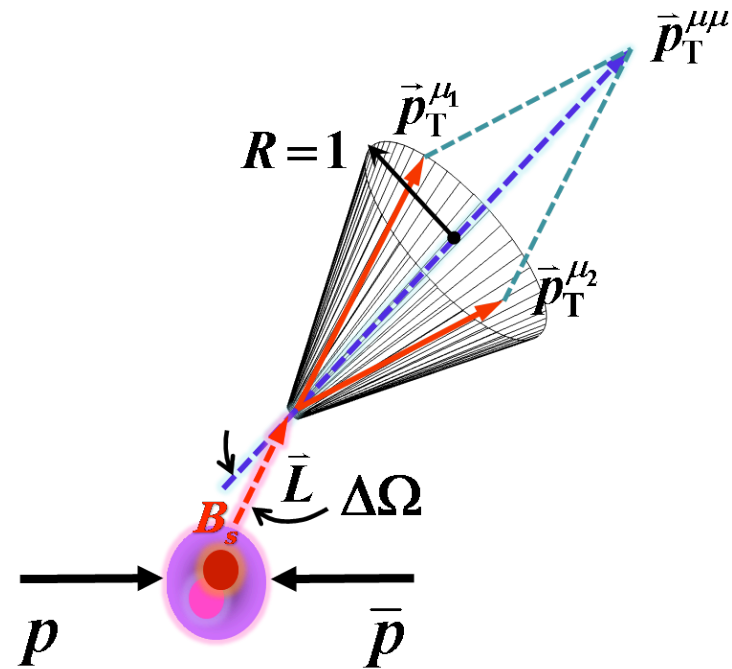
Assuming SM production, we expect  $\sim 2$  events at this stage.  
Need to reduce background by  $\sim 10^5$ !

## Signal characteristics:

- final state is fully reconstructed
- B fragmentation is hard- few additional tracks, and  $L$  and  $p_T(\mu\mu)$  are co-linear
- $B_s$  has long lifetime  $\sim 1.5\text{ps}$

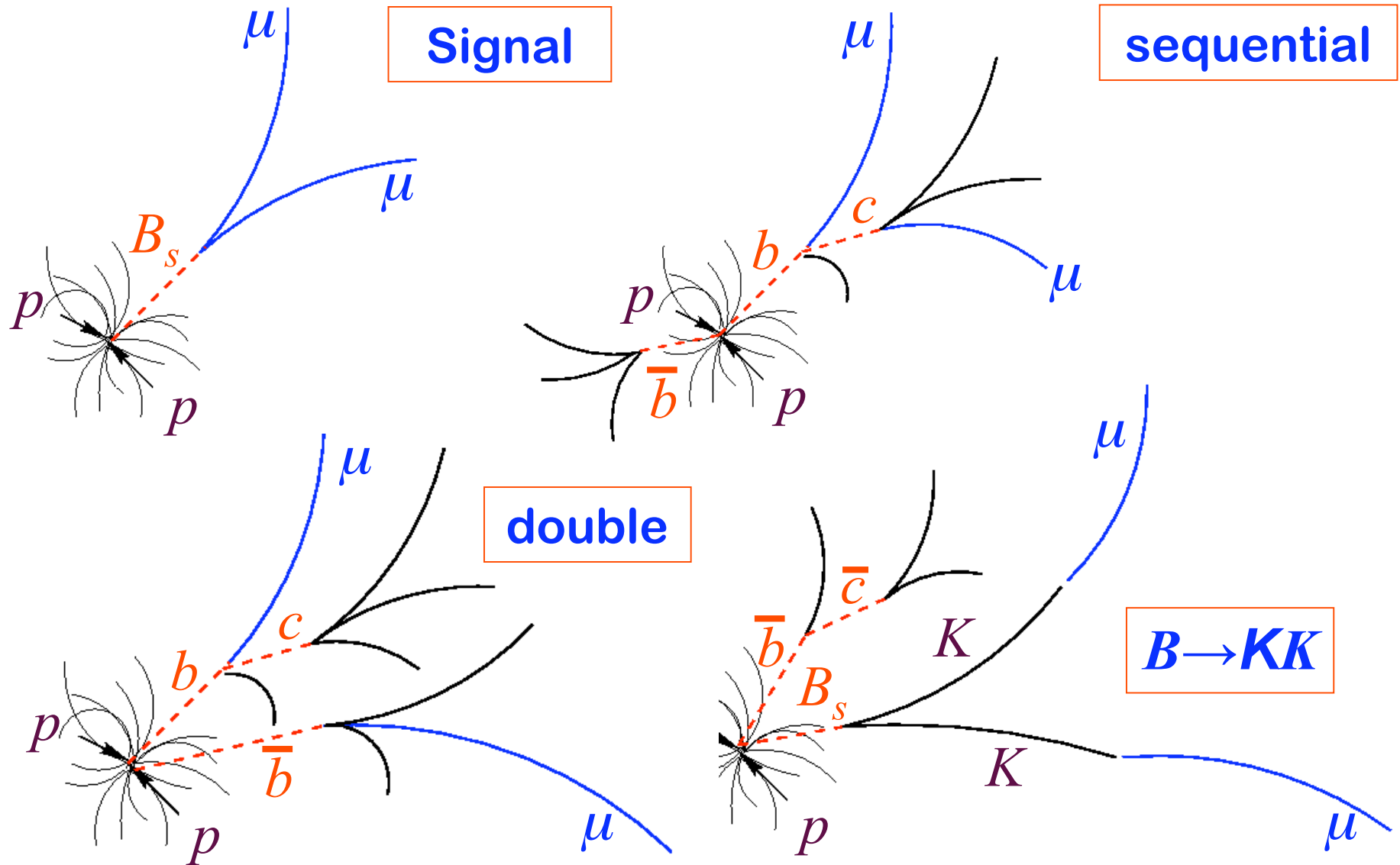
## Backgrounds

- Sequential semi-leptonic decay:  
 $b \rightarrow c\mu^-X \rightarrow \mu^+\mu^-X$
- Double semileptonic decay:  $bb \rightarrow \mu^+\mu^-X$
- Continuum  $\mu^+\mu^-$
- $\mu$  + fake, fake+fake



Good discriminators: isolation, mass, lifetime,  $p_T$ , how well  $p_T$  aligns with  $L$

# $B_s(B^0)$ Signal vs. Background



# Discriminating Variables

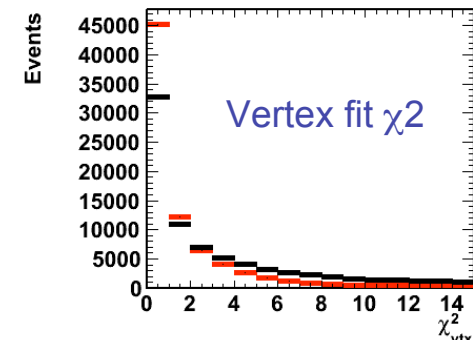
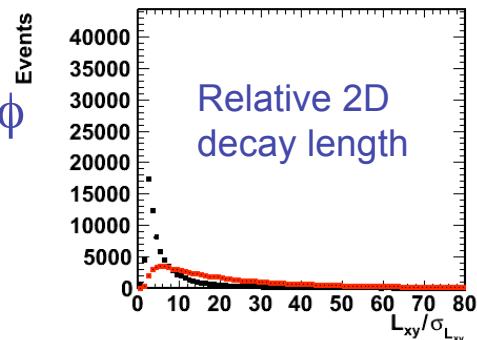
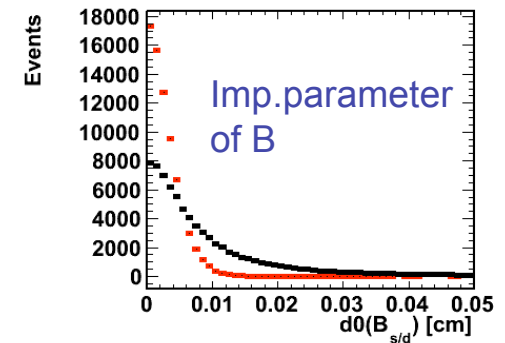
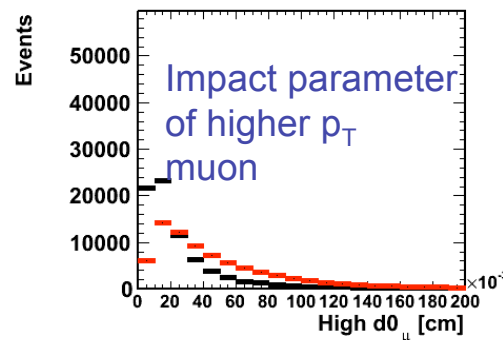
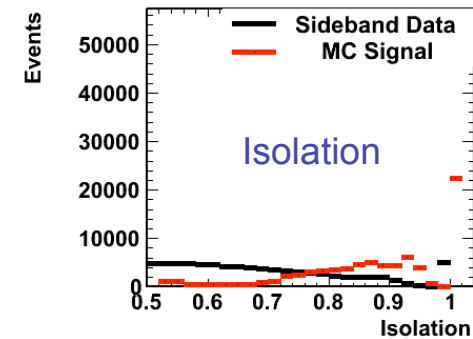
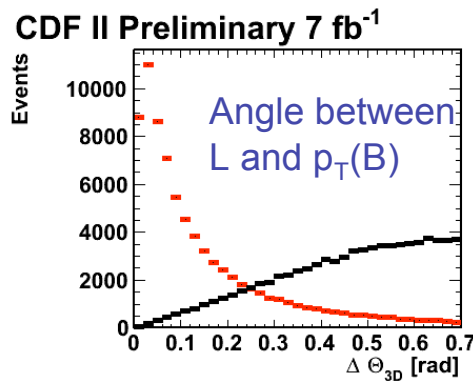
14 variables are combined into a Neural Net (except  $M_{\mu\mu}$ )

6 most sensitive variables shown here:

In red: MC signal (Pythia), black: sideband data

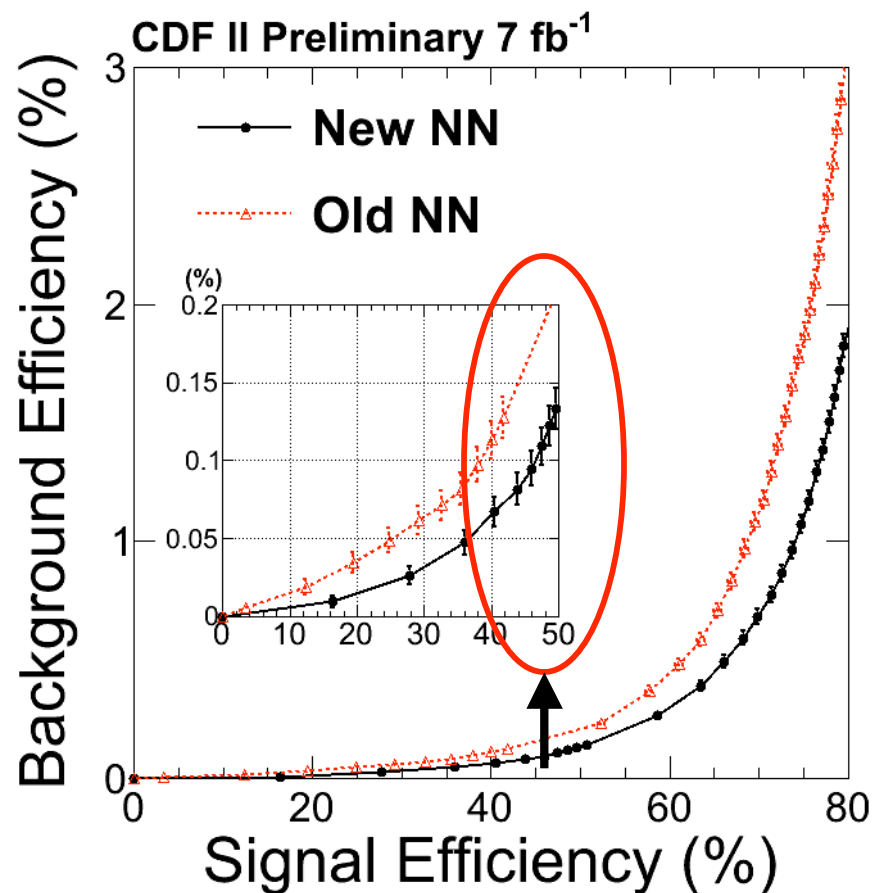
- B-hadron  $p_T$  spectrum is reweighted using  $B^+ \rightarrow J/\psi K \rightarrow \mu^+ \mu^- K$  data

- isolation distribution is reweighted using  $B_s \rightarrow J/\psi \phi$  data



# Improvements over previous $B_s(B^0) \rightarrow \mu^+\mu^-$ result

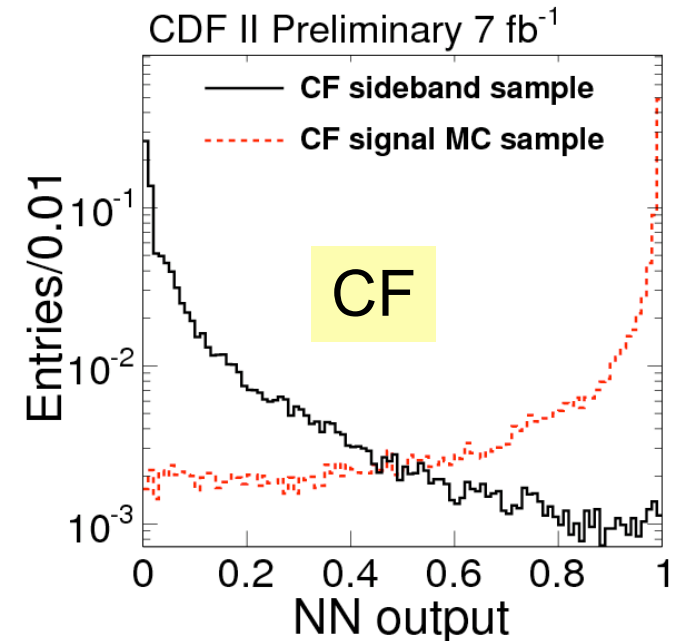
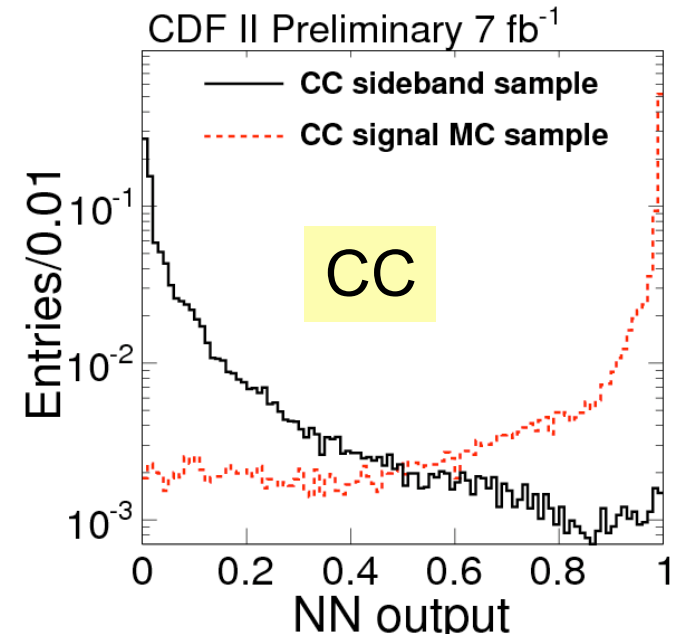
Using an improved Neural Network that achieves **twice the background rejection for the same signal efficiency**



# Neural Network Output

## Separation between NN output for background and for **signal MC**

- input variables and NN signal performance has been checked in  $B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K$  data
- events with NN output  $> 0.7$  are considered candidates
- we take advantage of improved background suppression with high NN output by dividing into **8 sub-samples**, using an **a-priori optimization**



# A priori optimization

Figure of merit: expected upper limit on  $BR(B_s(B^0))$ ,  
calculated using CLs method

- choice of optimal binning made using MC pseudo-exps.
  - mean expected background from data sideband
  - uncertainty (syst. and stat.) on mean included in pseudo-experiments
- resulting configuration:
  - 8 bins of NN output between 0.7 and 1.0
  - each NN bin divided into 5 mass bins
  - separately for CC and CF

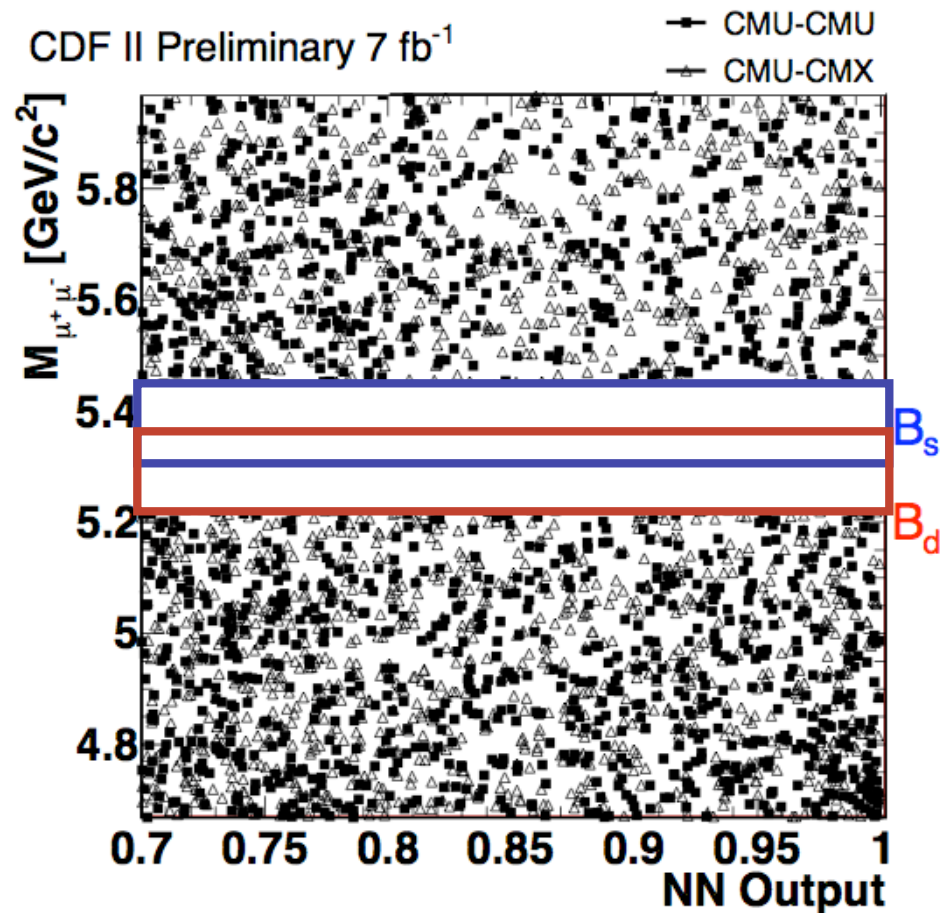
Highest sensitivity in  
3 highest NN bins  
 $0.97 < \text{NN output} < 0.987$   
 $0.987 < \text{NN output} < 0.995$   
 $0.995 < \text{NN output} < 1$



# Short recap: Neural Net selection

We are using a  
2-dimensional selection:

- a Neural Net is used to select  $B \rightarrow \mu^+\mu^-$ -like candidates, independent of mass (8 bins)
- $B_s$  and  $B^0$  mass windows are blinded (5 bins)
- CC and CF mode treated separately



# Background estimates

- Sources of background events
- Estimation methods
- Cross checks in control samples

# $B_{s(d)} \rightarrow \mu^+ \mu^-$ backgrounds, overview

## 1) Combinatoric backgrounds:

- continuum  $\mu^+ \mu^-$  from Drell-Yan
- double semileptonic  $bb \rightarrow \mu^+ \mu^- X$
- $b/c \rightarrow \mu + \text{fake } \mu$  ( $K, \pi$ )

MC predicts a smooth  $M_{\mu\mu}$  distribution

## 2) Two-body hadronic B decays

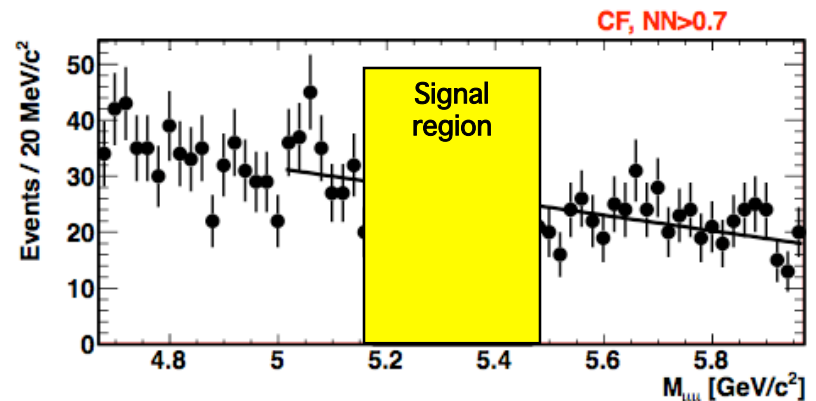
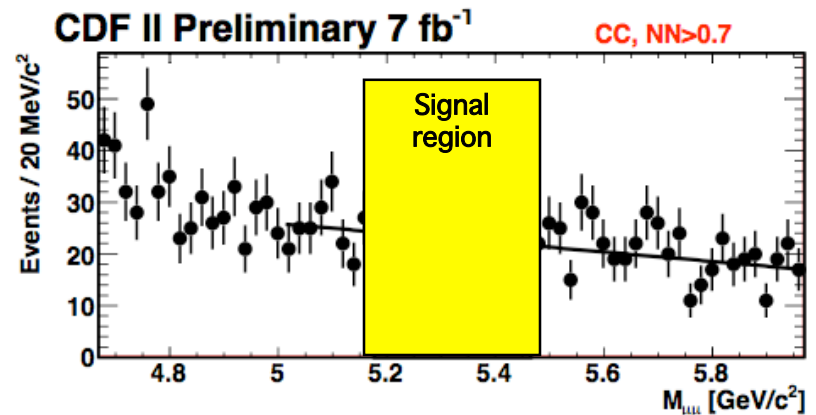
- $B \rightarrow hh$  where  $h \rightarrow \text{fake } \mu$  ( $K, \pi$ )

peaking in signal region

# 1) Combinatoric background

Using our background dominated data sample, fit  $M_{\mu\mu}$  to a linear function.

- use distributions of sideband events with NN output  $>0.7$
- only events with  $M_{\mu\mu} > 5$  GeV used to suppress contributions from  $b \rightarrow \mu\mu X$
- slopes then fixed and normalization determined for each NN bin
- systematic uncertainty determined by studying effects of various fit functions and fit ranges
  - between 10-50%



# Expected number of combinatoric background events in the signal region

All uncertainties are included

$B_s$  signal window:

NN Bin	CC	CF
$0.700 < NN < 0.970$	$129.2 \pm 6.5$	$146.3 \pm 7.0$
$0.970 < NN < 0.987$	$7.9 \pm 1.9$	$11.6 \pm 1.8$
$0.987 < NN < 0.995$	$4.0 \pm 1.1$	$3.3 \pm 1.0$
$0.995 < NN < 1.000$	$0.79 \pm 0.52$	$2.6 \pm 1.5$

$B^0$  signal window:

NN Bin	CC	CF
$0.700 < NN < 0.970$	$134.0 \pm 6.6$	$153.4 \pm 7.3$
$0.970 < NN < 0.987$	$8.2 \pm 2.0$	$12.1 \pm 1.9$
$0.987 < NN < 0.995$	$4.1 \pm 1.2$	$3.4 \pm 1.1$
$0.995 < NN < 1.000$	$0.8 \pm 0.5$	$2.8 \pm 1.6$

## 2) Background from two-body hadronic B decays

Two-body  $B \rightarrow hh$  decays where  $h$  produces a fake muon can contribute to the background

- fake muons dominated by  $\pi^+$ ,  $\pi^-$ ,  $K^+$ ,  $K^-$
- fake rates are determined separately using  $D^*$ -tagged  $D \rightarrow K^- \pi^+$  events

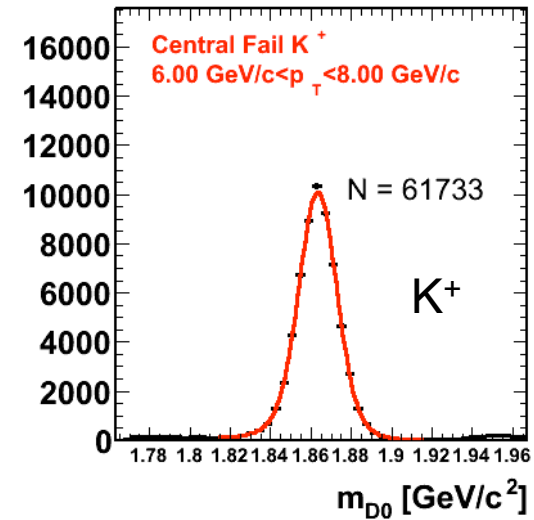
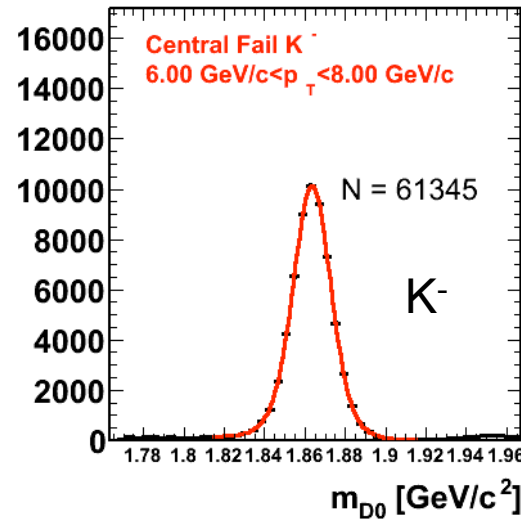
Estimate contribution to signal region by:

- take acceptance,  $M_{hh}$ ,  $p_T(h)$  from MC samples. Normalizations derived from known branching fractions
- convolute  $p_T(h)$  with  $p_T$  and luminosity-dependent  $\mu$ -fake rates. Double fake rate  $\sim 0.04\%$

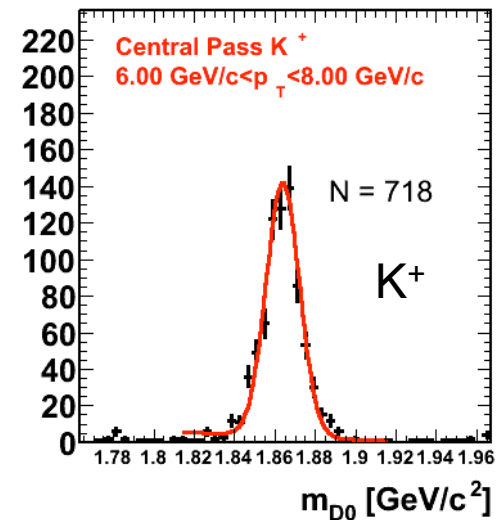
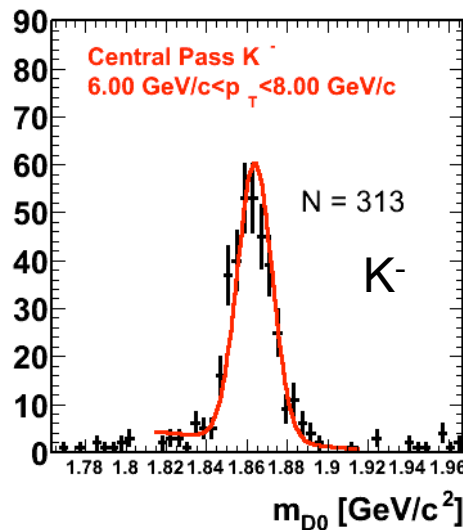
# Fake rates from $D^*$ -tagged $D^0 \rightarrow K^-\pi^+$ events

Example of  $D^0$  peaks in one bin of  $p_T$ , used to extract a  $p_T$  and luminosity-dependent fake rate for  $K^+$  and  $K^-$

CDF II Preliminary  $7 \text{ fb}^{-1}$

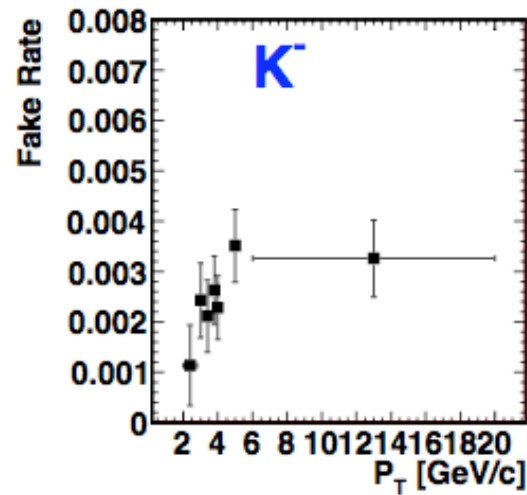
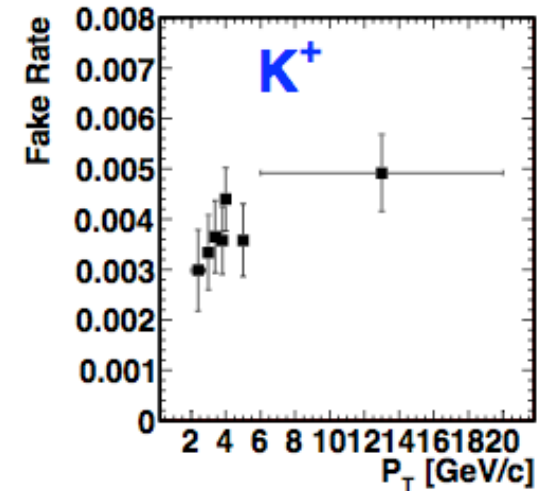
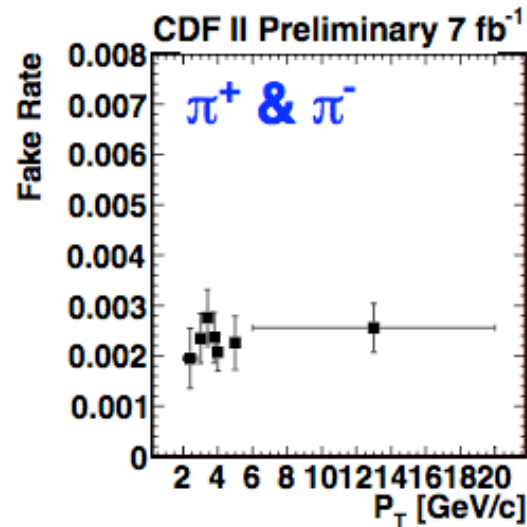


Kaons passing muon selection:



# Muon fake rates

- Variations with  $p_T$  and luminosity are taken into account
- Total systematic uncertainty (due to both muon legs) dominated by residual run-dependence:  $\sim 35\%$



Fake rate for forward muons (central muons in backup):



# Expected number of $B \rightarrow hh$ background events in the signal region

$B_s$  signal window:

NN Bin	CC	CF
$0.700 < NN < 0.970$	$0.03 \pm 0.01$	$0.01 \pm < 0.01$
$0.970 < NN < 0.987$	$0.01 \pm < 0.01$	$0.01 \pm < 0.01$
$0.987 < NN < 0.995$	$0.02 \pm < 0.01$	$0.01 \pm < 0.01$
$0.995 < NN < 1.000$	$0.08 \pm 0.02$	$0.03 \pm 0.01$

10x smaller than combinatoric bkg

$B_d$  signal window:

NN Bin	CC	CF
$0.700 < NN < 0.970$	$0.31 \pm 0.08$	$0.09 \pm 0.02$
$0.970 < NN < 0.987$	$0.13 \pm 0.03$	$0.05 \pm 0.01$
$0.987 < NN < 0.995$	$0.19 \pm 0.05$	$0.04 \pm 0.01$
$0.995 < NN < 1.000$	$0.72 \pm 0.20$	$0.20 \pm 0.05$

Comparable to combinatoric bkg

# Cross checks of the total background prediction

Apply background model to statistically independent control samples and compare result with observation. We have investigated 2 groups of samples:

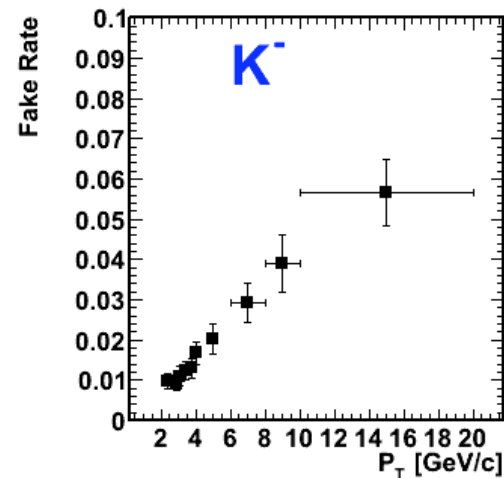
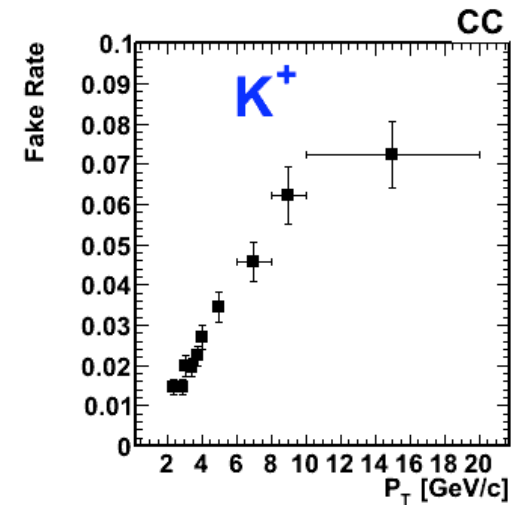
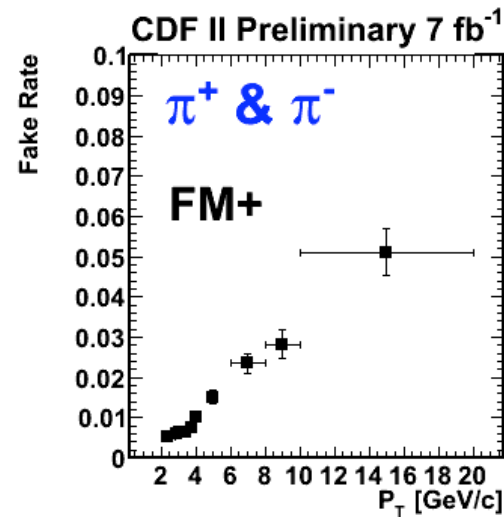
- 1) Control samples composed mainly of combinatorial backgrounds
  - **OS-**:  $\mu^+\mu^-$  events with negative proper decay length
  - **SS+**: loose pre-selection\* and same sign muon pairs
  - **SS-**: like SS+ but negative proper decay length
- 2) Control sample with significant contribution from B $\rightarrow$ hh background
  - **FM+**: loose pre-selection and at least one muon fails quality requirements

\* Loose pre-selection =  $p_T(\mu) > 1.5$  and  $p_T(\mu\mu) > 4$  GeV

# Aside: The FM+ control sample

The FM+ control sample has at least one muon which fails our muon quality requirements

→ need a different set of  $K/\pi$  fake rates since the muon ID requirements are different than used in the signal sample. Same method as before is used



Fake rate for central muons (FM+ selection)

## Result of background checks in control samples

Control Sample	Prediction	Nobs	Prob( $N \geq Nobs$ )
OS-	$2140.0 \pm 53.9$	1999	98%
SS+	$19.7 \pm 3.4$	25	19%
SS-	$46.8 \pm 5.3$	53	25%
FM+	$567.8 \pm 25.4$	593	24%
Sum	$2774.3 \pm 59.9$	2670	91%

Shown are total number of events in all NN bins.

- “Prob( $N \geq Nobs$ )” is the Poisson probability for making an observation at least as large given the predicted background
- ✓ Good agreement across all control samples.

# Full table of bkgd checks in control samples

CC only, see backup for CF

Good agreement in most sensitive NN bins  
 ✓ now have sufficient confidence in background estimation

FM+ is rich in B->hh background. Good agreement in highest NN bin shows that we can accurately predict this background

sample	NN cut	CC		
		pred	obsv	prob(%) <sup>*</sup>
OS-	0.700 < NN < 0.760	217.4 ± (12.5)	203	77.7
	0.760 < NN < 0.850	262.0 ± (14.1)	213	99.1
	0.850 < NN < 0.900	117.9 ± (8.6)	120	44.7
	0.900 < NN < 0.940	112.1 ± (8.4)	116	39.4
	0.940 < NN < 0.970	112.7 ± (8.4)	108	64.2
	0.970 < NN < 0.987	80.2 ± (6.9)	75	68.3
	0.987 < NN < 0.995	67.6 ± (6.3)	41	99.8
	0.995 < NN < 1.000	32.5 ± (4.2)	35	37.5
SS+	0.700 < NN < 0.760	3.0 ± (0.9)	3	55.0
	0.760 < NN < 0.850	3.3 ± (1.0)	5	25.4
	0.850 < NN < 0.900	1.5 ± (0.7)	2	43.2
	0.900 < NN < 0.940	0.9 ± (0.5)	1	56.8
	0.940 < NN < 0.970	1.2 ± (0.6)	1	65.9
	0.970 < NN < 0.987	1.5 ± (0.7)	2	43.2
	0.987 < NN < 0.995	0.3 ± (0.3)	0	74.1
	0.995 < NN < 1.000	0.3 ± (0.3)	0	74.1
SS-	0.700 < NN < 0.760	5.7 ± (1.3)	8	23.7
	0.760 < NN < 0.850	8.4 ± (1.6)	7	69.8
	0.850 < NN < 0.900	3.3 ± (1.0)	6	14.3
	0.900 < NN < 0.940	2.4 ± (0.8)	4	24.0
	0.940 < NN < 0.970	2.4 ± (0.8)	4	24.0
	0.970 < NN < 0.987	2.1 ± (0.8)	0	12.2
	0.987 < NN < 0.995	1.5 ± (0.7)	0	22.3
	0.995 < NN < 1.000	0.3 ± (0.3)	1	30.0
FM+	0.700 < NN < 0.760	118.3 ± (8.6)	130	11.1
	0.760 < NN < 0.850	110.5 ± (8.3)	121	22.3
	0.850 < NN < 0.900	52.0 ± (5.4)	37	96.3
	0.900 < NN < 0.940	37.3 ± (4.5)	37	53.0
	0.940 < NN < 0.970	20.1 ± (3.3)	20	52.3
	0.970 < NN < 0.987	8.3 ± (2.0)	6	77.1
	0.987 < NN < 0.995	8.7 ± (2.0)	3	97.5
	0.995 < NN < 1.000	20.8 ± (3.5)	24	30.7

\*if zero events are observed, "Prob(N>=Nobs)" is the Poisson probability for observing exactly 0 33

# Signal efficiency

- Signal Acceptance
- Dimuon reconstruction efficiency
- Neural Net cut efficiency
- Relative normalization to  $B^+$

# Signal efficiency

- Estimate total acceptance times efficiency for  $B_s(B^0) \rightarrow \mu^+\mu^-$

decays as

$$\alpha_{B_s} \cdot \epsilon_{B_s}^{total} = \alpha_{B_s} \cdot \epsilon_{B_s}^{trig} \cdot \epsilon_{B_s}^{reco} \cdot \epsilon_{B_s}^{NN}$$

- $\alpha_{B_s}$ : geometric and kinematic acceptance of the triggered events, from MC. Trigger performance checked with data
- $\epsilon_{trig}$ : trigger efficiency for events within the acceptance, from data
- $\epsilon_{reco}$ : dimuon reconstruction efficiency (incl. baseline cuts) for events that pass the trigger
- $\epsilon^{NN}$ : efficiency for  $B_s(B^0) \rightarrow \mu^+\mu^-$  events to satisfy the NN requirement

# Signal efficiency

- Estimate total acceptance times efficiency for  $B_s(B^0) \rightarrow \mu^+\mu^-$  decays as  $\alpha_{B_s} \cdot \epsilon_{B_s}^{total} = \alpha_{B_s} \cdot \epsilon_{B_s}^{trig} \cdot \epsilon_{B_s}^{reco} \cdot \epsilon_{B_s}^{NN}$

- $\alpha_{B_s}$ : geometric and kinematic acceptance of the triggered events, from MC. Trigger performance checked with data
- $\epsilon_{trig}$ : trigger efficiency for events within the acceptance, from data

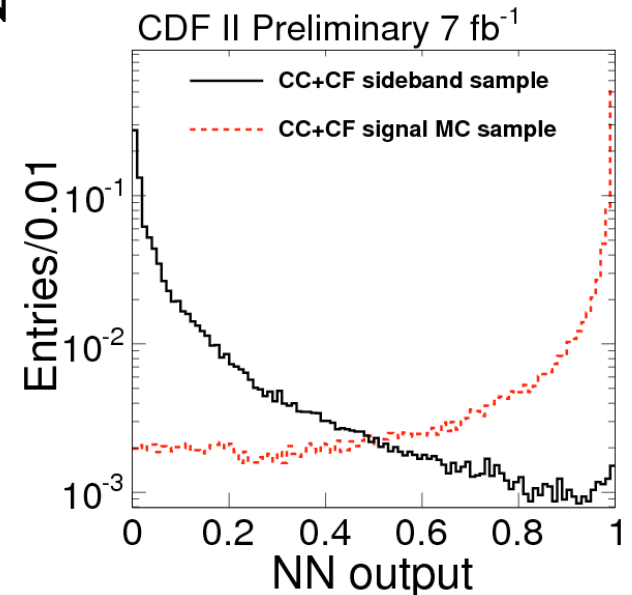
Focus for next few slides

- $\epsilon_{reco}$ : dimuon reconstruction efficiency (incl. baseline cuts) for events that pass the trigger
- $\epsilon^{NN}$ : efficiency for  $B_s(B^0) \rightarrow \mu^+\mu^-$  events to satisfy the NN requirement



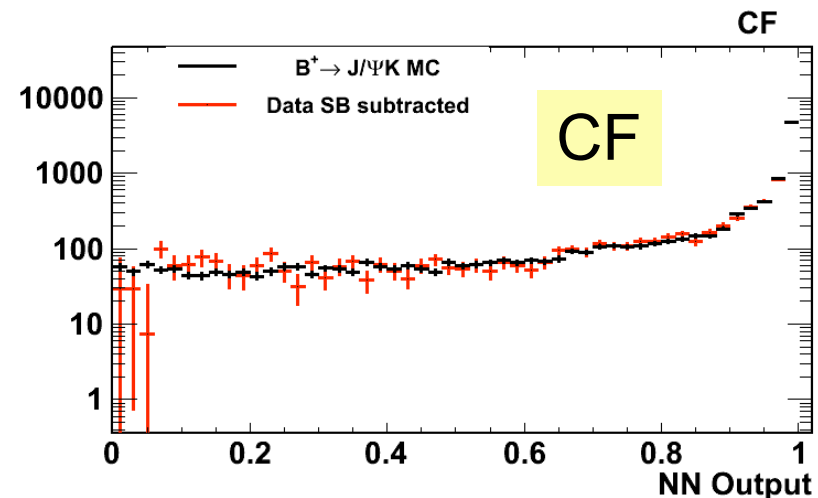
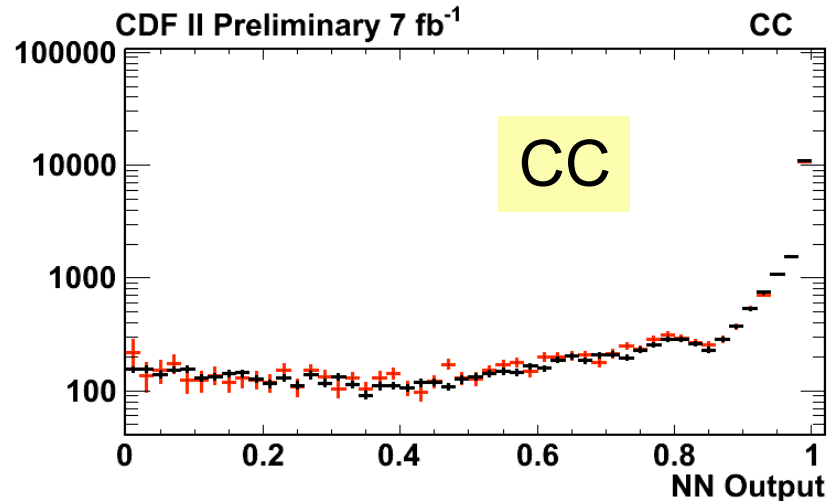
# Signal efficiency

- Dimuon reconstruction efficiency  $\epsilon_{\text{reco}}$ 
  - $\epsilon_{\text{reco}}$  is product of
    - drift chamber track reconstruction efficiency, muon reconstruction efficiency, and vertex detector efficiency
      - Measured in the data using  $J/\psi \rightarrow \mu\mu$  and  $D^*$  tagged  $D^0 \rightarrow K\pi$  decays
      - Muons identified using muon likelihood and track  $dE/dx$  cut
- Neural Network Cut Efficiency  $\epsilon^{\text{NN}}$ 
  - $\epsilon^{\text{NN}}$  extracted using signal MC
    - e.g.  $\epsilon_{\text{NN}}(\text{NN} > 0.7) = 0.95$
  - Systematic uncertainty based on difference between NN efficiency in  $B^+$  MC and data
    - total:  $\sim 6\%$  uncertainty (see next slide for detail)



# Neural Network Cut Efficiencies- some more detail

- Compare the NN output efficiency between
  - $B^+$  MC and
  - sideband subtracted  $B^+$  data
- average 4.6% difference is assigned as a systematic uncertainty
- ✓ This shows that we can accurately model our NN output efficiency



# Relative normalization to $B^+ \rightarrow J/\psi K^+$

- We use  $B^+ \rightarrow J/\psi K^+$  decays as a normalization mode
  - decays very similar, many systematic uncertainties cancel
- Expression for  $B^+$  signal efficiency same as for  $B_s$ , except
  - $\epsilon_{\text{reco}}$  includes additional K reconstruction efficiency, excludes  $\epsilon^{\text{NN}}$

$$BR(B_{s(d)}^0 \rightarrow \mu^+ \mu^-) = \frac{N_{B_{s(d)}}}{N_{B^+}} \cdot \frac{\alpha_{B^+}}{\alpha_{B_{s(d)}}} \cdot \frac{\epsilon_{B^+}^{\text{total}}}{\epsilon_{B_{s(d)}}^{\text{total}}} \cdot \frac{1}{\epsilon_{B_{s(d)}}^{\text{NN}}} \cdot \frac{f_u}{f_s} \cdot BR(B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+)$$

Relative uncertainties (stat.+syst.) in parenthesis

	CC		CF	
$(\alpha_{B^+} / \alpha_{B_s})$	$0.307 \pm 0.018$	( $\pm 6\%$ )	$0.197 \pm 0.014$	( $\pm 7\%$ )
$(\epsilon_{B^+}^{\text{trig}} / \epsilon_{B_s}^{\text{trig}})$	$0.99935 \pm 0.00012$	(< 1%)	$0.97974 \pm 0.00016$	(< 1%)
$(\epsilon_{B^+}^{\text{reco}} / \epsilon_{B_s}^{\text{reco}})$	$0.85 \pm 0.06$	( $\pm 8\%$ )	$0.84 \pm 0.06$	( $\pm 9\%$ )
$\epsilon_{B_s}^{\text{NN}} (NN > 0.70)$	$0.915 \pm 0.042$	( $\pm 4\%$ )	$0.864 \pm 0.040$	( $\pm 4\%$ )
$\epsilon_{B_s}^{\text{NN}} (NN > 0.995)$	$0.461 \pm 0.021$	( $\pm 5\%$ )	$0.468 \pm 0.022$	( $\pm 5\%$ )
$N_{B^+}$	$22388 \pm 196$	( $\pm 1\%$ )	$9943 \pm 138$	( $\pm 1\%$ )
$f_u / f_s$	$3.59 \pm 0.37$	( $\pm 13\%$ )	$3.59 \pm 0.37$	( $\pm 13\%$ )
$BR(B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+)$	$(6.01 \pm 0.21) \times 10^{-5}$	( $\pm 4\%$ )	$(6.01 \pm 0.21) \times 10^{-5}$	( $\pm 4\%$ )
SES (All bins)	$(2.9 \pm 0.5) \times 10^{-9}$	( $\pm 18\%$ )	$(4.0 \pm 0.7) \times 10^{-9}$	( $\pm 18\%$ )

Single Event Sensitivity, for the sum of all NN bins, CC+CF, corresponds to an expected number of SM  $B_s \rightarrow \mu^+ \mu^-$  events of  $N(B_s \rightarrow \mu^+ \mu^-) = 1.9$  in  $7\text{pb}^{-1}$

# Expected numbers of background and “SM signal” events ( $B_s$ )

## CC only

NN Bin	$\epsilon_{NN}$	$B \rightarrow hh$ Bkg	Total Bkg	Exp SM Signal
$0.700 < NN < 0.970$	20%	0.03	$129.24 \pm 6.50$	$0.26 \pm 0.05$
$0.970 < NN < 0.987$	8%	$< 0.01$	$7.91 \pm 1.27$	$0.11 \pm 0.02$
$0.987 < NN < 0.995$	12%	0.02	$3.95 \pm 0.89$	$0.16 \pm 0.03$
$0.995 < NN < 1.000$	46%	0.08	$0.79 \pm 0.40$	$0.59 \pm 0.11$

## CF only

NN Bin	$\epsilon_{NN}$	$B \rightarrow hh$ Bkg	Total Bkg	Exp SM Signal
$0.700 < NN < 0.970$	21%	0.01	$146.29 \pm 7.00$	$0.19 \pm 0.04$
$0.970 < NN < 0.987$	10%	0.01	$11.57 \pm 1.57$	$0.09 \pm 0.02$
$0.987 < NN < 0.995$	8%	0.01	$3.25 \pm 0.82$	$0.08 \pm 0.01$
$0.995 < NN < 1.000$	46%	0.03	$2.64 \pm 0.74$	$0.43 \pm 0.08$

↑  
NN signal efficiency

# Expected limits

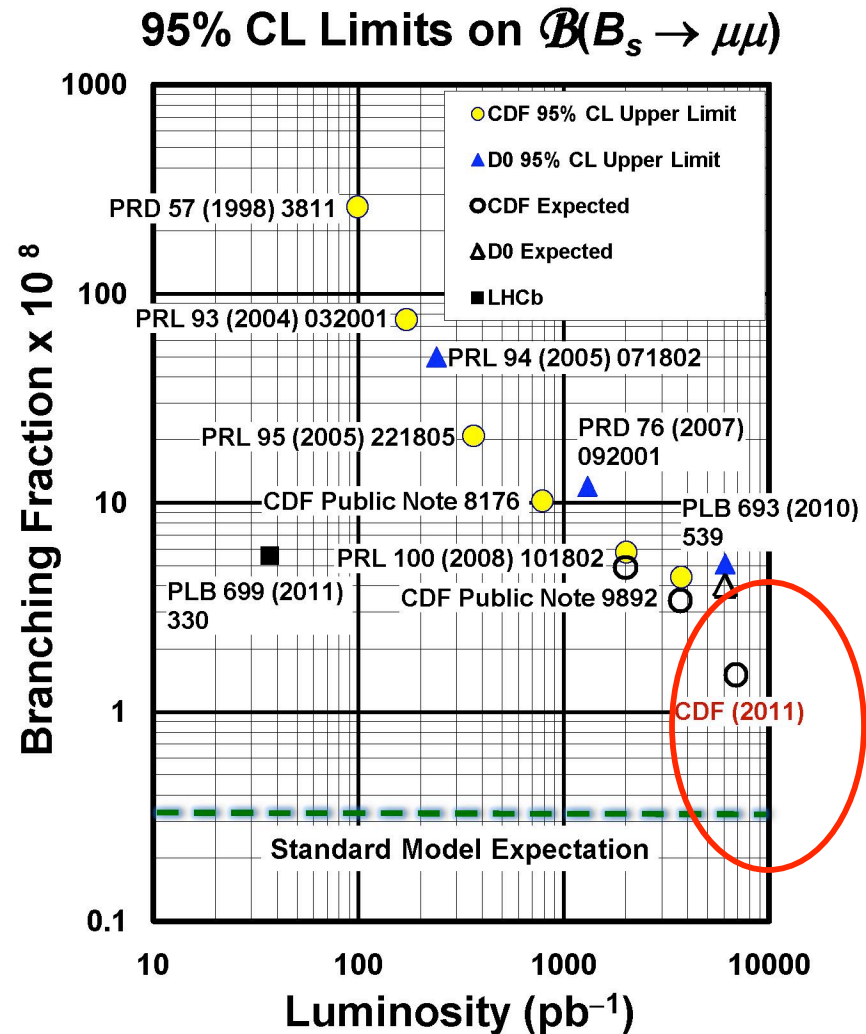
$$\text{BR}(B_s \rightarrow \mu^+ \mu^-) < 1.5 \times 10^{-8} \text{ @ 95\%CL}$$

$$\text{BR}(B^0 \rightarrow \mu^+ \mu^-) < 4.6 \times 10^{-9} \text{ @ 95\%CL}$$

Significant improvement in sensitivity over all previous analyses

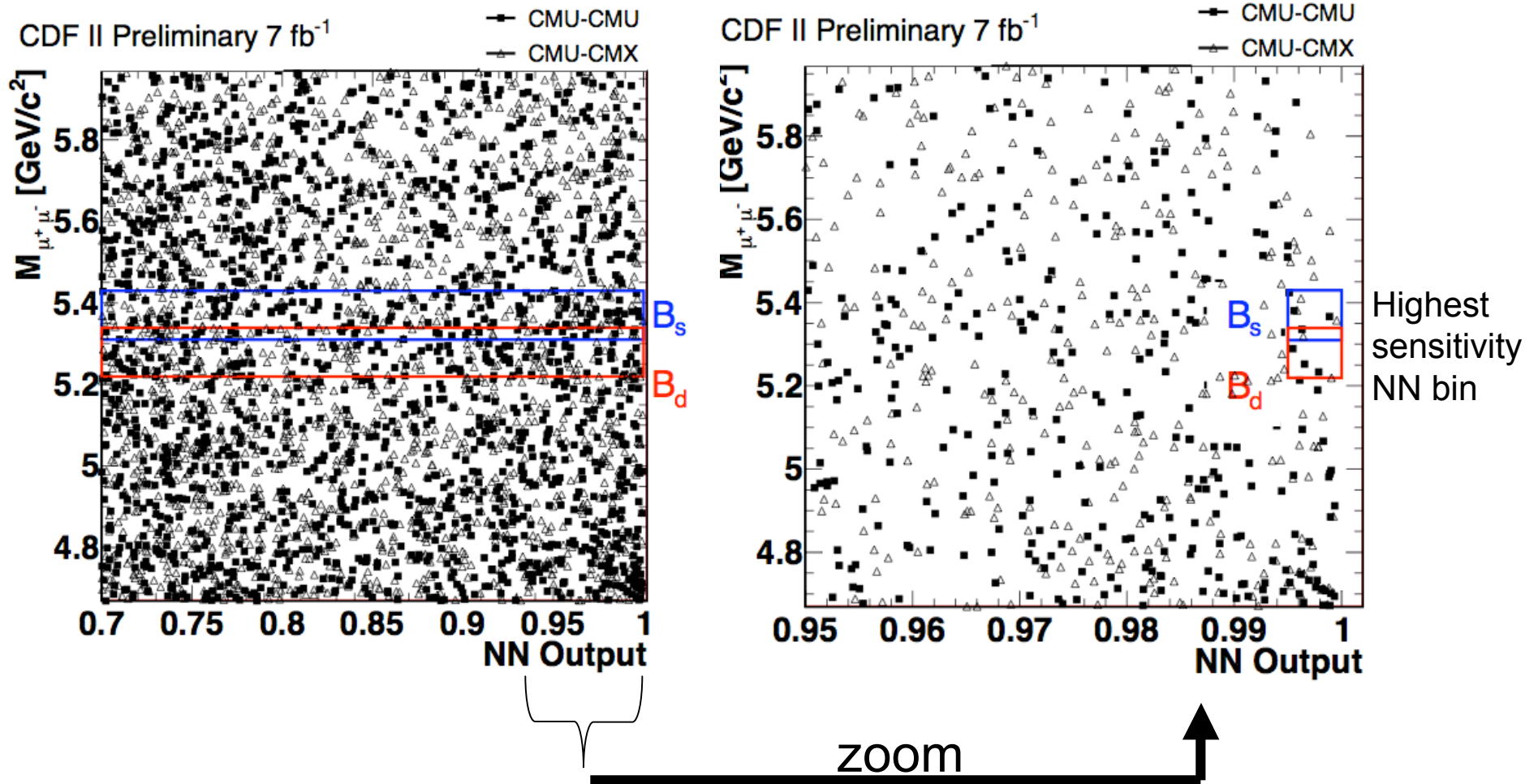
For  $\text{BR}(B_s \rightarrow \mu^+ \mu^-)$ :

	Expected	Observed
$2.0 \text{ fb}^{-1}$	$4.9 \times 10^{-8}$	$5.8 \times 10^{-8}$
$3.7 \text{ fb}^{-1}$	$3.4 \times 10^{-8}$	$4.4 \times 10^{-8}$
$7 \text{ fb}^{-1}$	$1.5 \times 10^{-8}$	

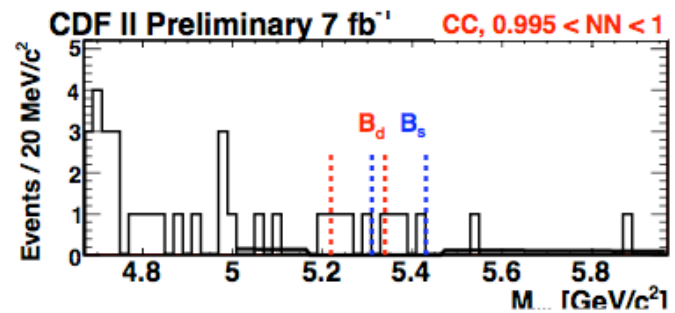
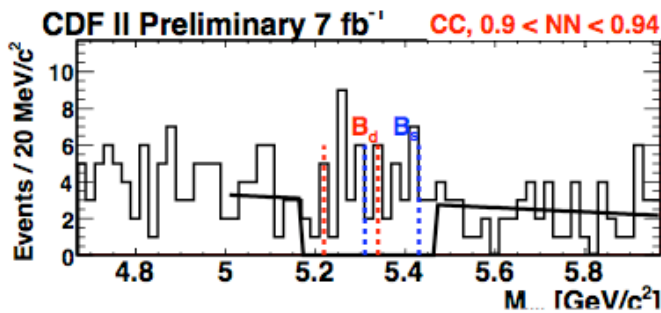
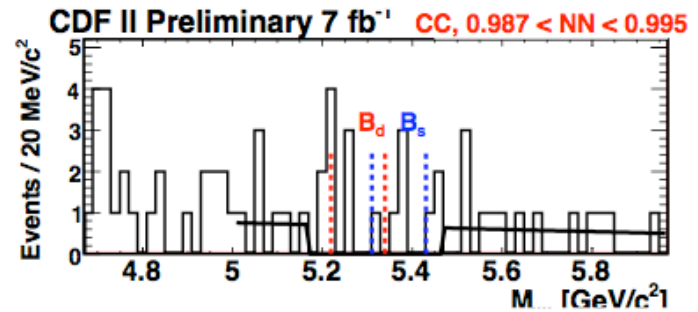
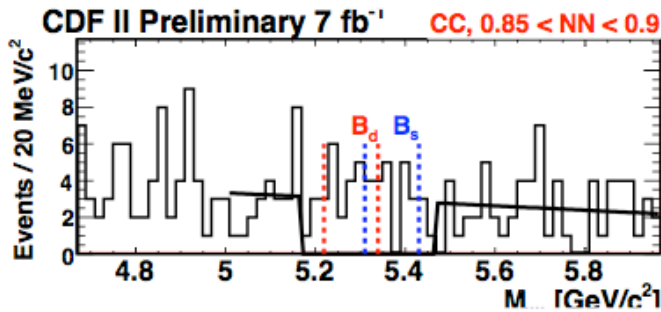
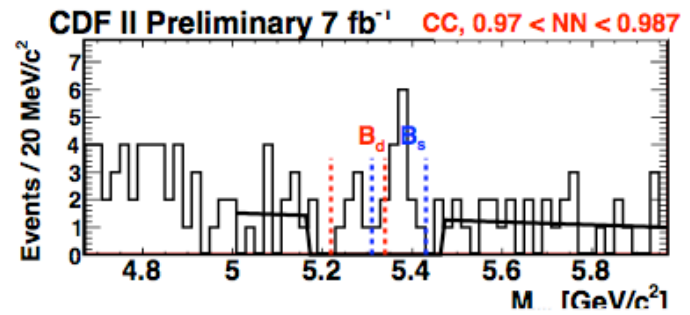
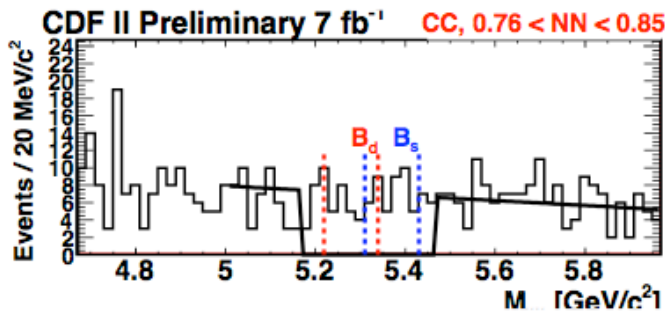
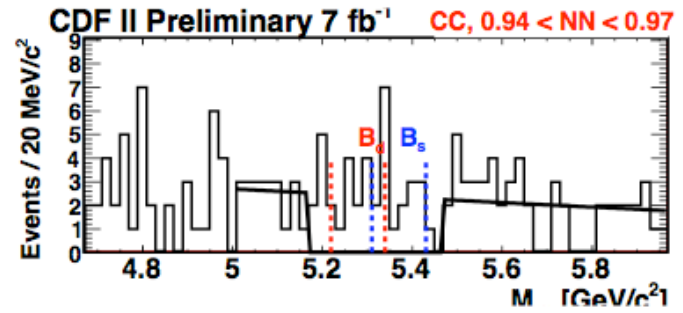
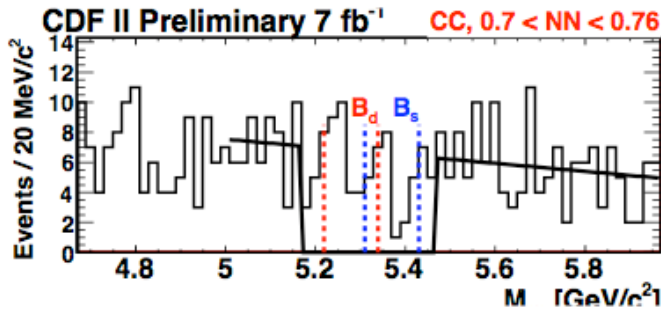


# Opening “the box”

# $B_s \rightarrow \mu^+ \mu^-$ search: opening the box

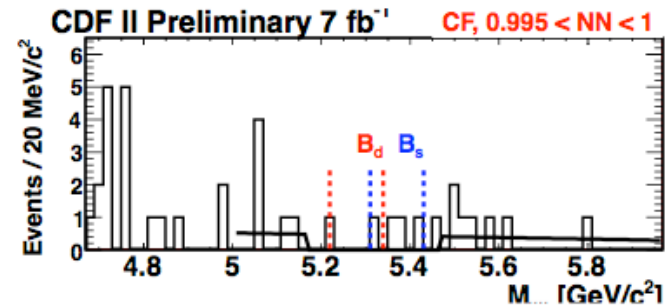
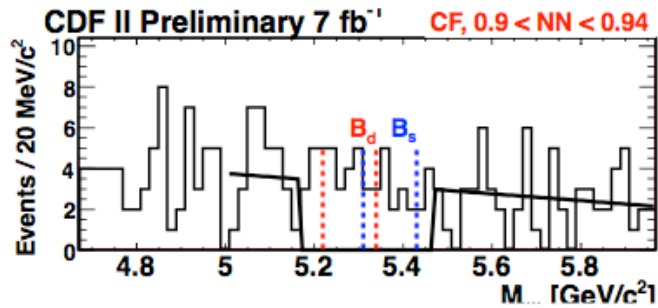
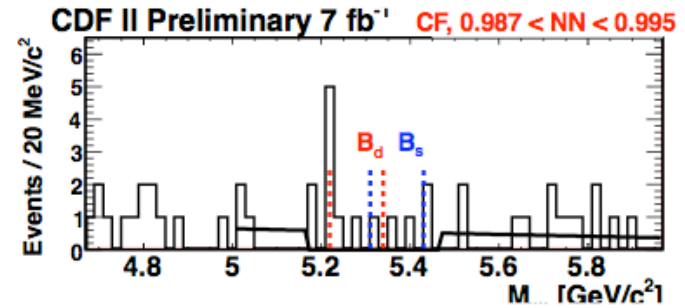
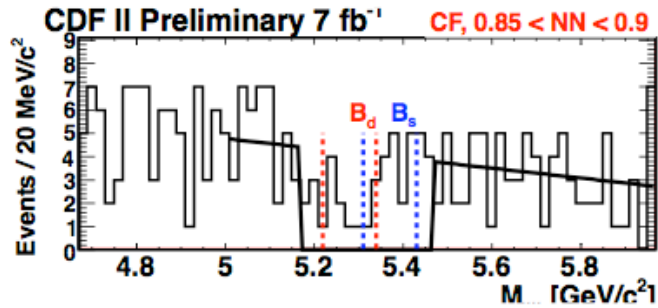
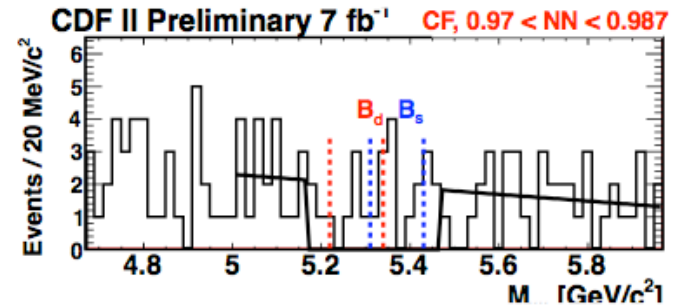
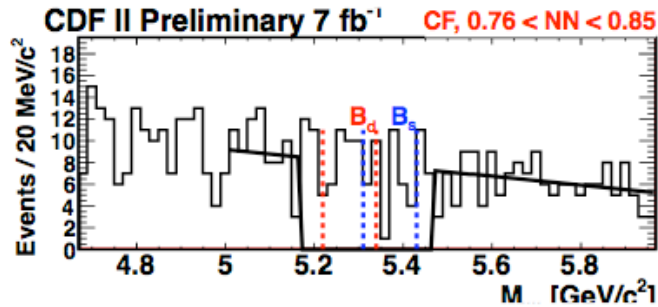
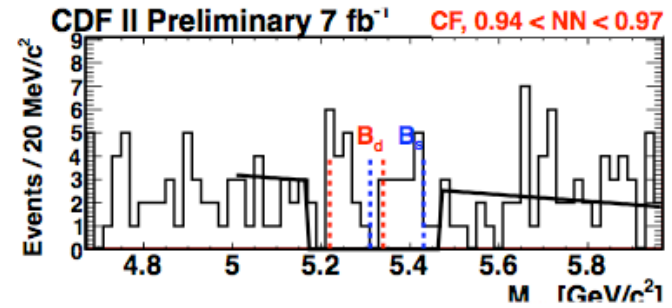
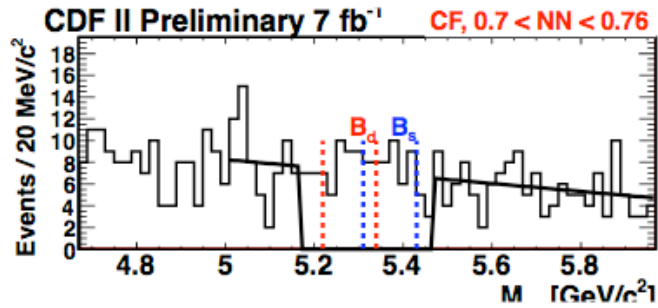


CC only





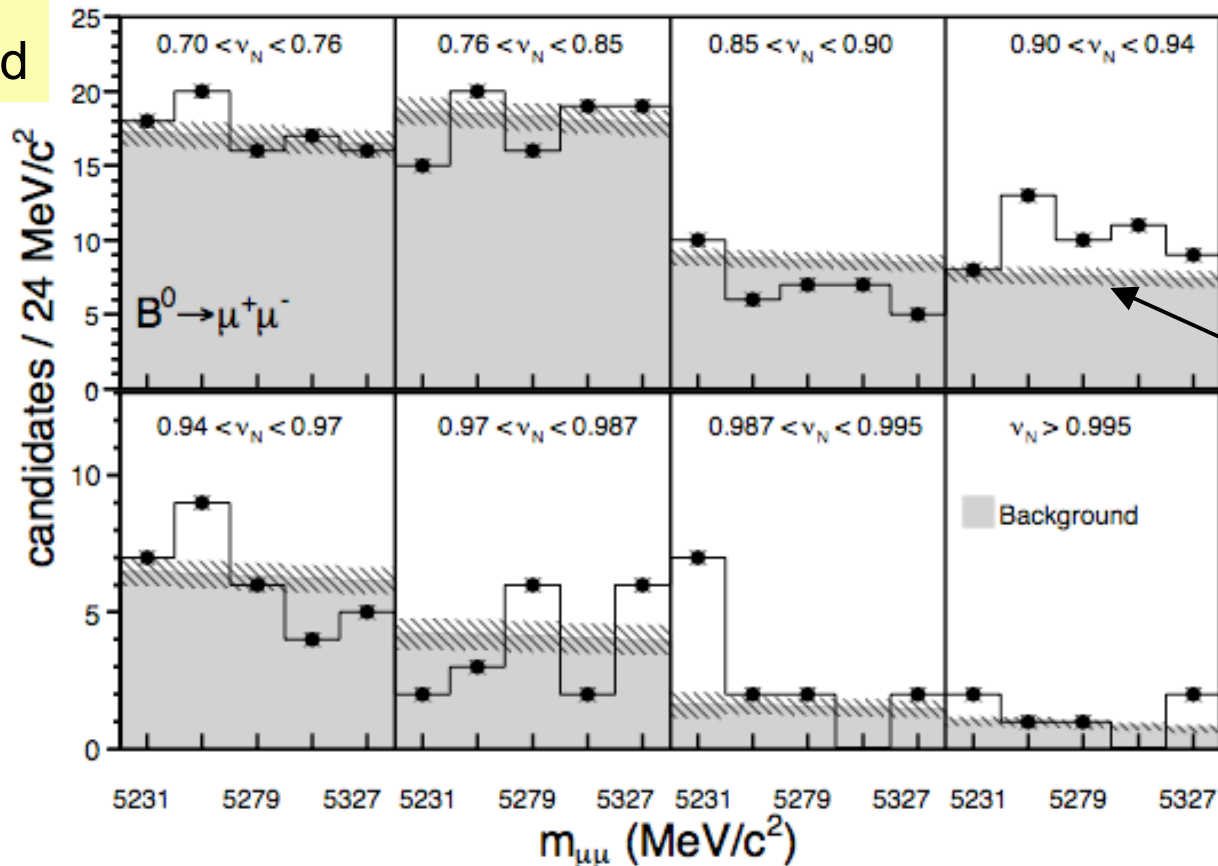
CF only



Focus on  $B^0$  signal window first

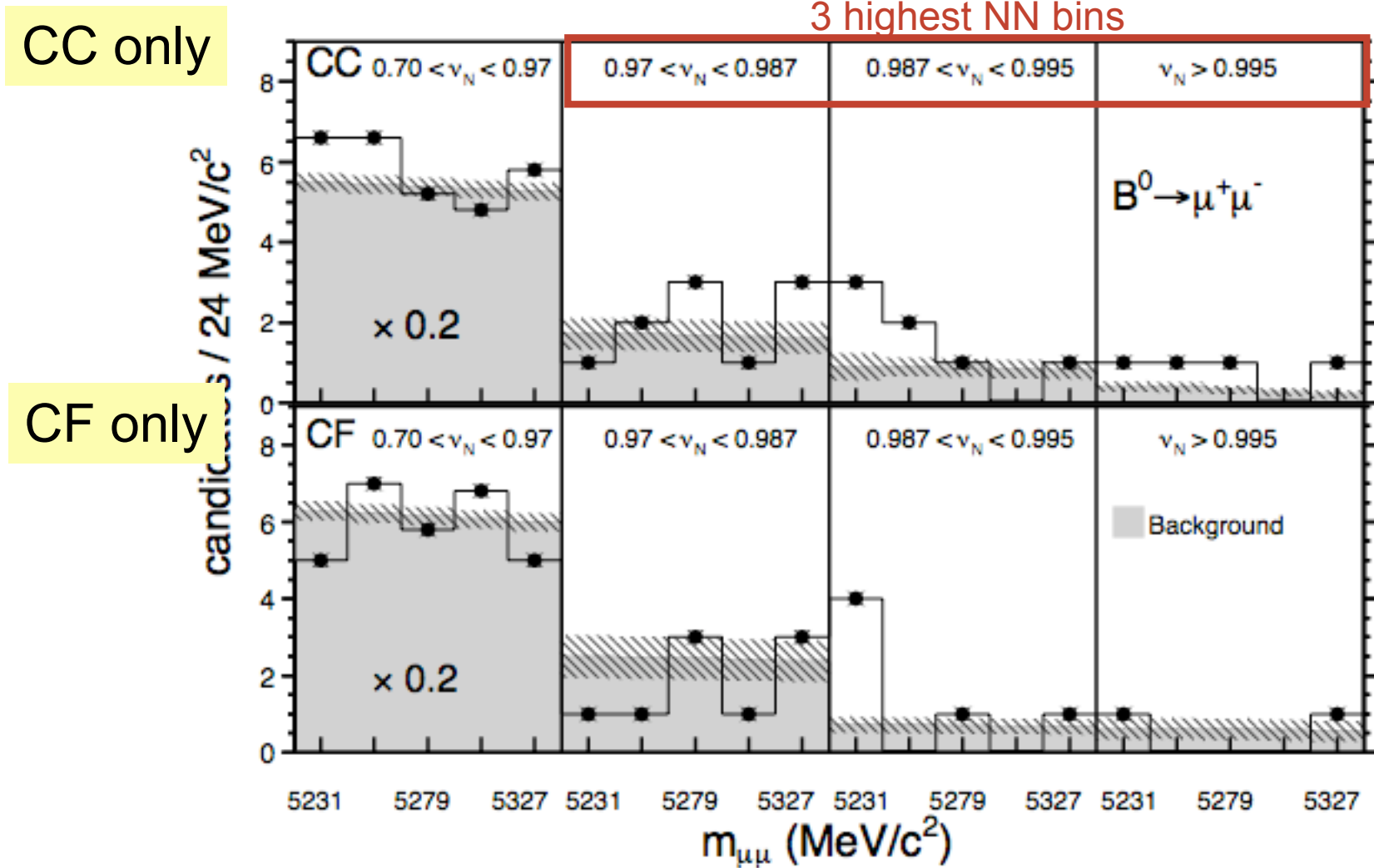
# $B^0$ signal window, comparison of observation and background prediction

CC, CF  
combined



Data and background expectation are in good agreement

# $B^0$ signal window, comparison of observation and background prediction



# B<sup>0</sup> signal window, comparison of observation and background prediction

3 most sensitive NN bins only

CC only		CC	Mass bins [GeV/c <sup>2</sup> ]				
NN Bins			5.219-5.243	5.243-5.267	5.267-5.291	5.291-5.315	5.315-5.339
0.970 < NN < 0.987	Exp		3.00 ± 0.65	2.97 ± 0.64	2.93 ± 0.64	2.90 ± 0.63	2.86 ± 0.62
	Obs		2	3	4	3	4
0.987 < NN < 0.995	Exp		0.90 ± 0.28	0.89 ± 0.28	0.86 ± 0.27	0.84 ± 0.27	0.81 ± 0.27
	Obs		3	2	1	0	1
0.995 < NN < 1.000	Exp		0.40 ± 0.21	0.38 ± 0.20	0.32 ± 0.17	0.25 ± 0.15	0.20 ± 0.14
	Obs		1	1	1	0	1
CF only		CF					
0.970 < NN < 0.987	Exp		2.50 ± 0.59	2.47 ± 0.58	2.44 ± 0.58	2.40 ± 0.57	2.37 ± 0.56
	Obs		1	4	3	1	2
0.987 < NN < 0.995	Exp		0.71 ± 0.25	0.70 ± 0.25	0.69 ± 0.25	0.68 ± 0.24	0.67 ± 0.24
	Obs		4	0	1	0	1
0.995 < NN < 1.000	Exp		0.62 ± 0.42	0.62 ± 0.42	0.60 ± 0.41	0.57 ± 0.40	0.55 ± 0.39
	Obs		1	0	0	0	1

Data and background expectation are in good agreement

# $B^0 \rightarrow \mu^+ \mu^-$ search, observed limit

We set a limit (using CLs method) of

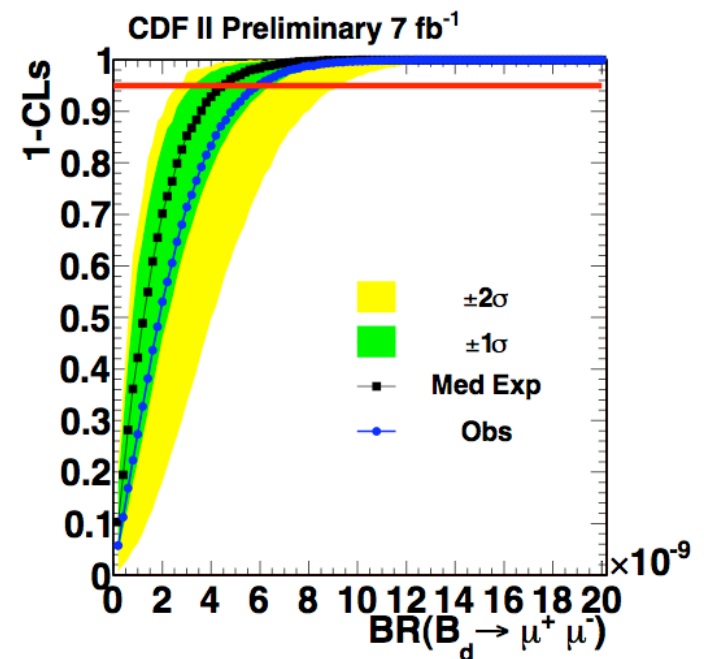
$$BR(B^0 \rightarrow \mu^+ \mu^-) < 6.0 \times 10^{-9}$$

at 95% C.L.

- world's best limit
- consistent with the expected limit  
 $BR(B^0 \rightarrow \mu^+ \mu^-) < 4.6 \times 10^{-9}$

Compare to the SM BR calculation of

$$BR(B^0 \rightarrow \mu^+ \mu^-) = (1.0 \pm 0.1) \times 10^{-10}$$



# Determination of the p-value

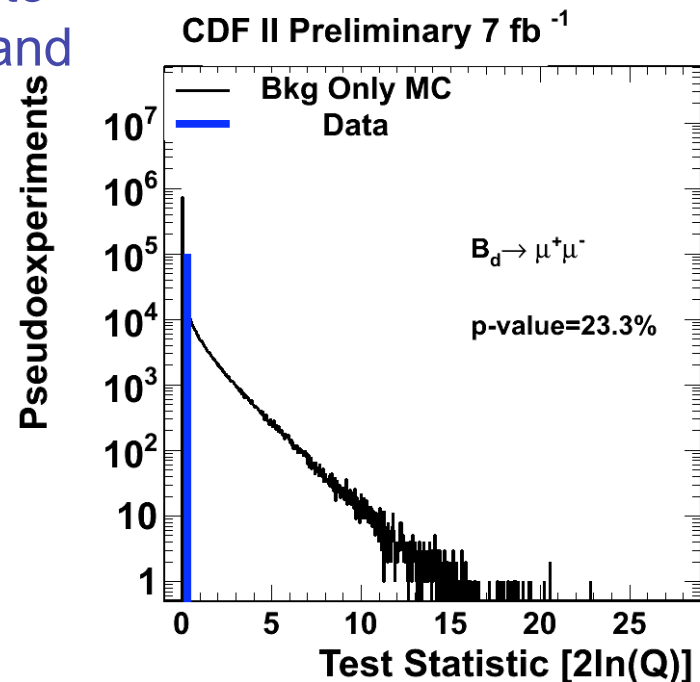
Ensemble of background-only pseudo-experiments is used to determine a p-value for a given hypothesis

- for each pseudo-experiment, we do two fits and form the log-likelihood ratio

$$2\ln(Q) \quad \text{with} \quad Q = \frac{L(s + b | data)}{L(b | data)}$$

- in the denominator, the “signal” is fixed to zero (i.e. we assume background only), and in the numerator  $s$  floats
- $L(h|x)$  is the product of Poisson probabilities over all NN and mass bins
- systematic uncertainties included as nuisance parameters, modeled as Gaussian.

Log Likelihood Distribution of pseudo-experiments for background-only hypothesis for  $B^0 \rightarrow \mu^+\mu^-$  signal window

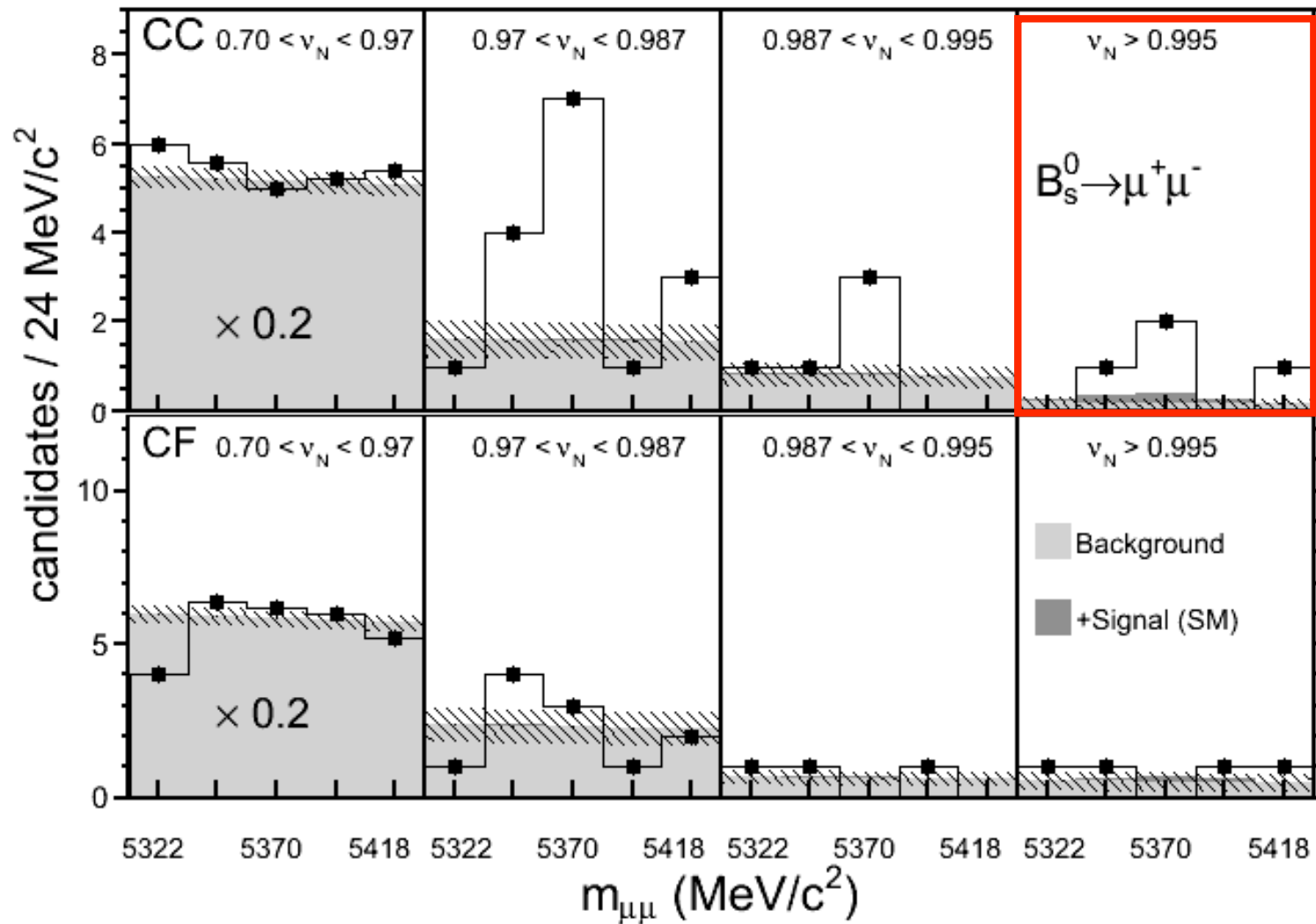


Result: the p-value for the background-only hypothesis is 23.3%

$B_s$  signal window



# Data in $B_s$ signal window



# $B_s$ signal window, comparison of observation and background prediction

Shown is the total expected background and total uncertainty, as well as number of observed events

CC		Mass bins [ $\text{GeV}/c^2$ ]				
NN Bins		5.310-5.334	5.334-5.358	5.358-5.382	5.382-5.406	5.406-5.430
0.970 < NN < 0.987	Exp	$1.62 \pm 0.49$	$1.6 \pm 0.48$	$1.58 \pm 0.47$	$1.57 \pm 0.47$	$1.55 \pm 0.46$
	Obs	1	4	7	1	3
0.987 < NN < 0.995	Exp	$0.82 \pm 0.27$	$0.8 \pm 0.27$	$0.79 \pm 0.26$	$0.78 \pm 0.26$	$0.78 \pm 0.26$
	Obs	1	1	3	0	0
0.995 < NN < 1.000	Exp	$0.21 \pm 0.14$	$0.18 \pm 0.13$	$0.16 \pm 0.12$	$0.16 \pm 0.12$	$0.16 \pm 0.12$
	Obs	0	1	2	0	1
CF						
0.970 < NN < 0.987	Exp	$2.38 \pm 0.56$	$2.34 \pm 0.55$	$2.31 \pm 0.54$	$2.28 \pm 0.54$	$2.25 \pm 0.53$
	Obs	1	4	3	1	2
0.987 < NN < 0.995	Exp	$0.67 \pm 0.24$	$0.66 \pm 0.24$	$0.65 \pm 0.24$	$0.64 \pm 0.23$	$0.63 \pm 0.22$
	Obs	1	1	0	1	0
0.995 < NN < 1.000	Exp	$0.56 \pm 0.39$	$0.54 \pm 0.38$	$0.53 \pm 0.38$	$0.52 \pm 0.37$	$0.51 \pm 0.36$
	Obs	1	1	0	1	1

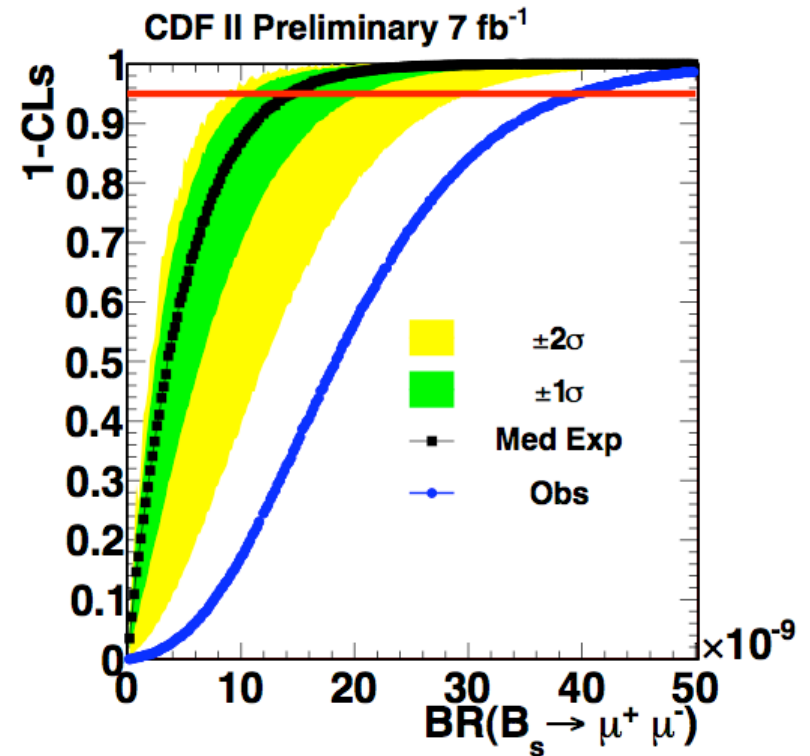
Observe an excess, concentrated in the 3 highest NN bins of the CC sample, over background expectation

# $B_s \rightarrow \mu^+ \mu^-$ search, observed limit

Using the CLs method, we observe

$BR(B_s \rightarrow \mu^+ \mu^-) < 4.0 \times 10^{-8}$   
at 95% C.L.

- Compare to the expected limit  $BR(B^0 \rightarrow \mu^+ \mu^-) < 1.5 \times 10^{-8}$
- outside the  $2\sigma$  consistency band



Need statistical interpretation of the observed excess:

- what is the level of inconsistency with the background?
- what does a fit to the data in the  $B_s$  search window yield?

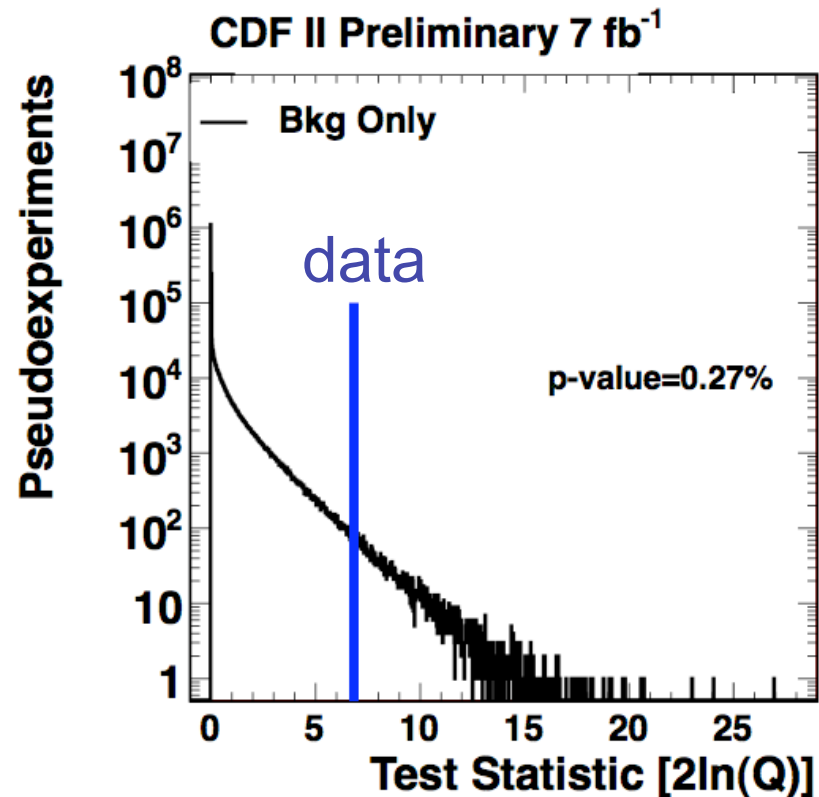
# Statistical Interpretation

# P value for background-only hypothesis

Observed **p-value: 0.27%**.

This corresponds to a  $2.8\sigma$  discrepancy with a background-only null hypothesis (one-sided gaussian)

Log Likelihood Distribution of pseudo-experiments for background hypothesis



# Fit to the data in the $B_s$ search window

Using the log-likelihood fit described before, we set the **first two-sided limit of  $B_s \rightarrow \mu^+ \mu^-$  decay**

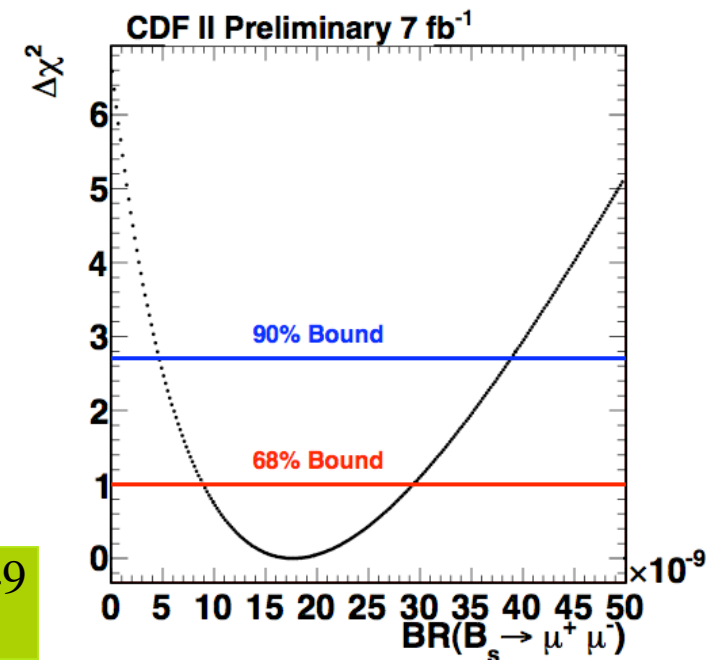
$$4.6 \times 10^{-9} < BR(B_s \rightarrow \mu^+ \mu^-) < 3.9 \times 10^{-8} \quad @90\% \text{ C.L.}$$

Our central value is

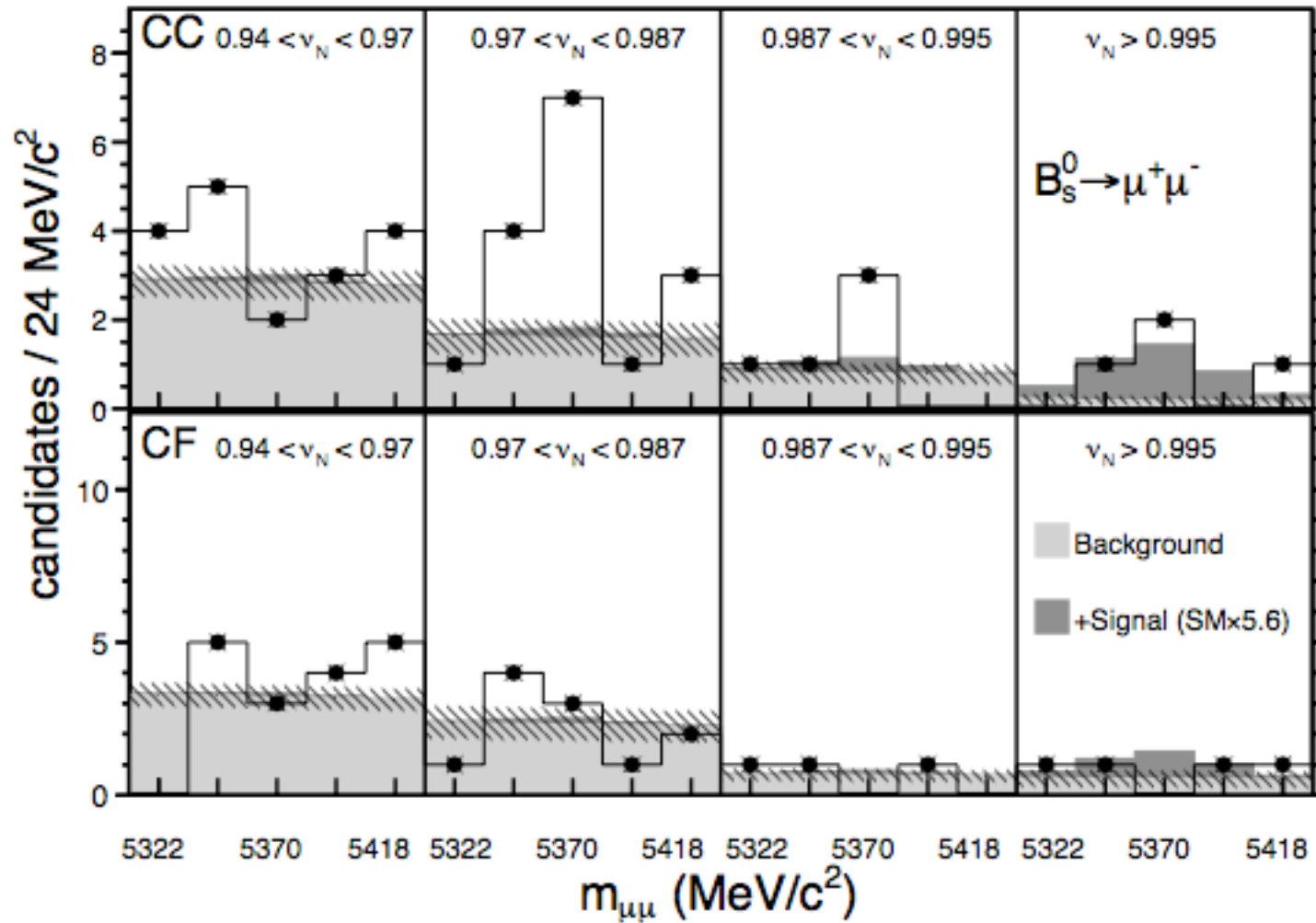
$$BR(B_s \rightarrow \mu^+ \mu^-) = 1.8_{-0.9}^{+1.1} \times 10^{-8}$$

Compare to SM calculation of

$$BR(B_s \rightarrow \mu^+ \mu^-) = (3.2 \pm 0.2) \times 10^{-9}$$



# Data in $B_s$ signal window



# Consistency with the SM prediction of $B_s \rightarrow \mu^+ \mu^-$ decays

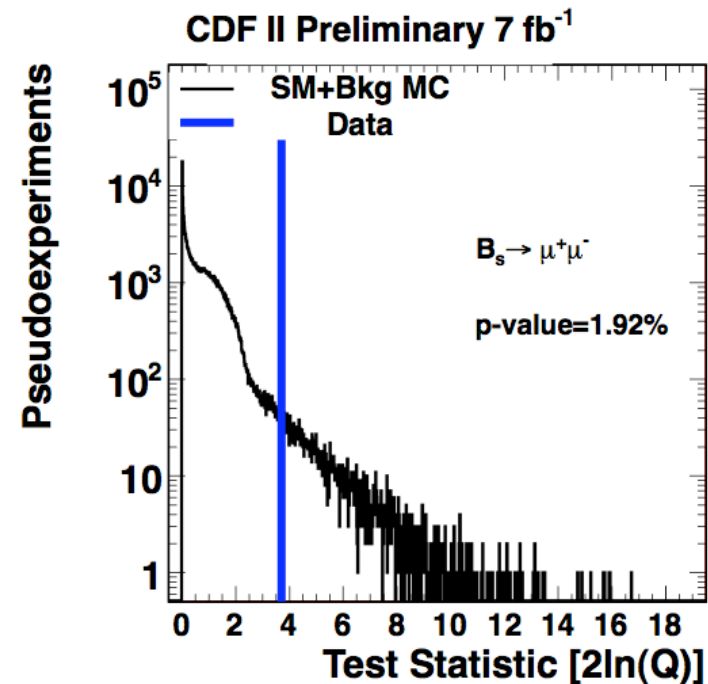
reminder: SM prediction:  $BR(B_s \rightarrow \mu^+ \mu^-) = (3.2 \pm 0.2) \times 10^{-9}$

*A. J. Buras et al., JHEP 1010:009,2010*

If we include the SM  $BR(B_s \rightarrow \mu^+ \mu^-)$  in  
the background hypothesis, we  
observe a **p-value of 1.9%**

taking into account the small theoretical  
uncertainty on the SM prediction by  
assuming  $+1\sigma$ : **p-value: 2.1%**

“Background” hypothesis  
now includes the SM  
expectation of  $BR(B_s \rightarrow \mu\mu)$



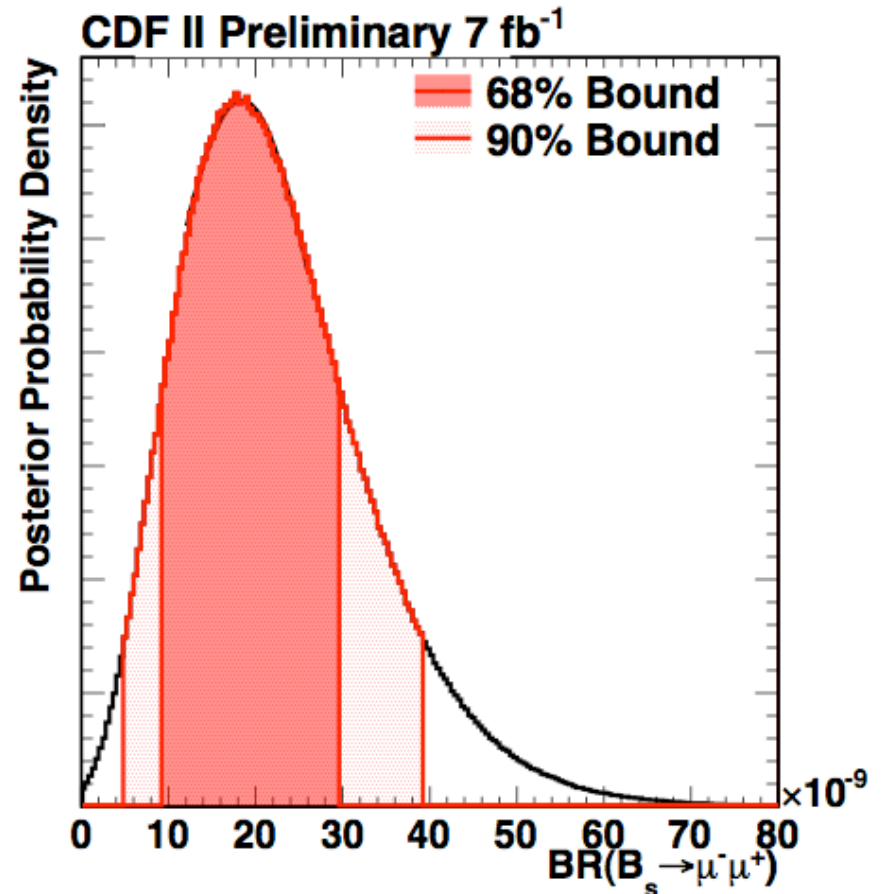


# Cross Checks

# Fit to the data: cross checks

Use Bayesian binned likelihood technique

- assumes a flat prior for  $BR > 0$
- integrates over all sources of systematic uncertainty assuming gaussian priors
- best fit value taken at maximum, uncertainty taken as shortest interval containing 68% of the integral.



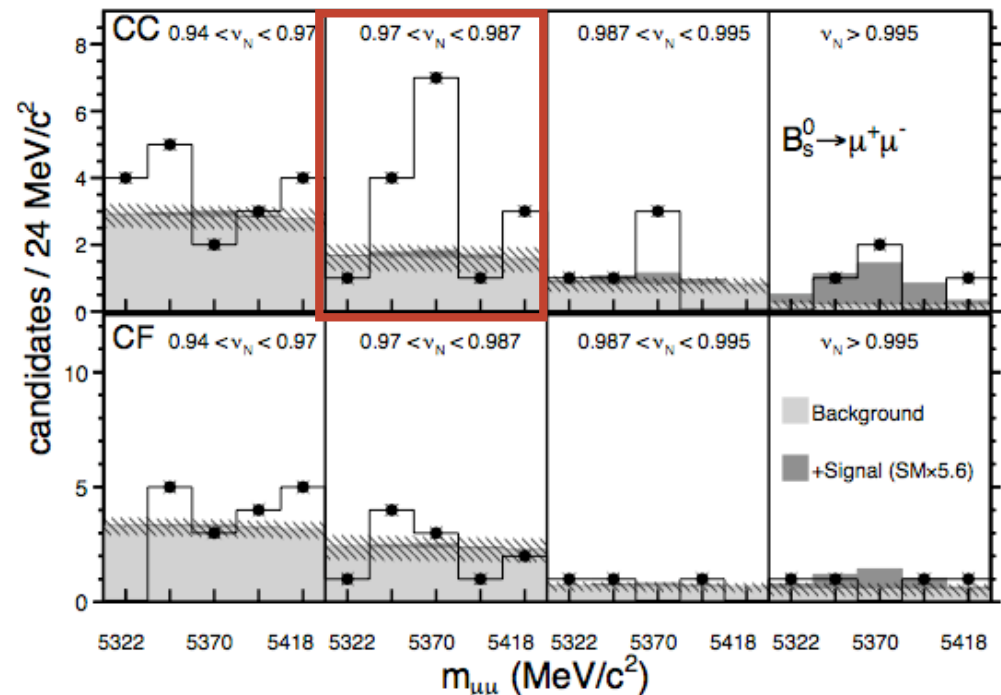
Best fit to the data yields almost identical results as before

$$BR(B_s \rightarrow \mu^+ \mu^-) = 1.8_{-0.9}^{+1.1} \times 10^{-8}$$

# A closer look at the data

- excess observed in CC muons
- in most sensitive NN bin: data looks signal-like
- see a fluctuation in  $0.97 < NN < 0.987$ - little signal sensitivity in this bin.

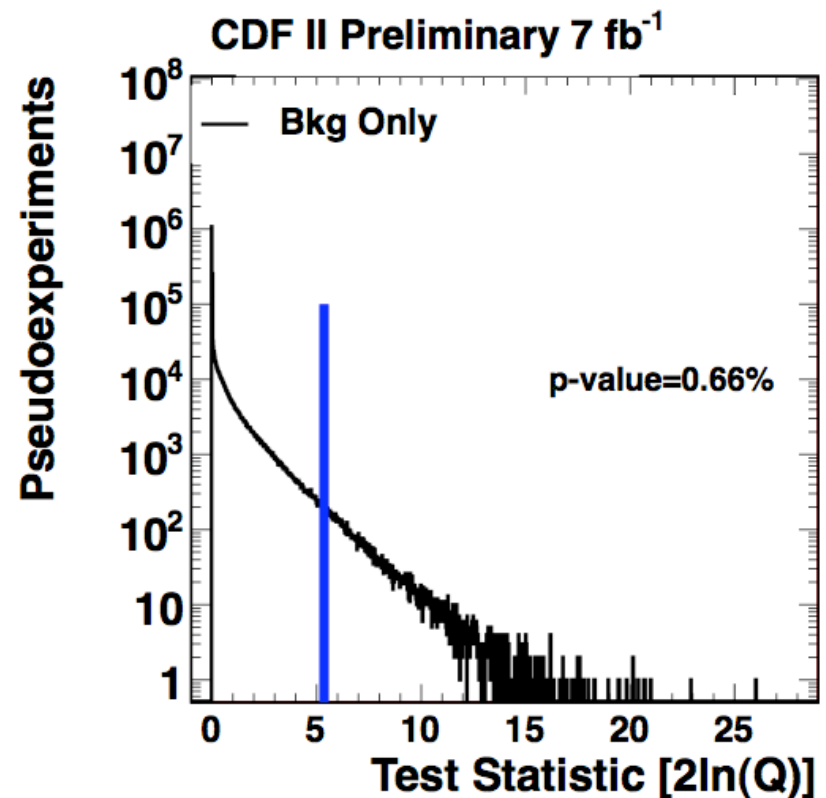
$B_s$  signal window, CC and CF separate  
Showing only the most sensitive 4 highest NN bins



Does the fluctuation in this bin drive the result?  
Check how the answer changes if we only look at the two highest NN bins..

# Fit to the data, only considering the 2 highest NN bins

- Background-only hypothesis:  
Observed **p-value: 0.66%**  
(compare to 0.27%)
- Background + SM hypothesis:  
Observed **p-value: 4.1%**  
(compare to 1.9%)
- Conclusion: “fluctuation” in the lower sensitivity bin adds to the observed discrepancy, but is not the driving contribution.



# Residual $B \rightarrow hh$ background

The number of residual  $B \rightarrow hh$  events are very small. E.g. for the highest NN bins:

	CC	CF
$B_s$ signal window	$0.08 \pm 0.2$	$0.03 \pm 0.01$
$B^0$ signal window	$0.72 \pm 0.2$	$0.2 \pm 0.05$

Factor 10 higher contribution in  $B^0$  signal window because  $B \rightarrow hh$  peaks closer to the  $B^0$  mass

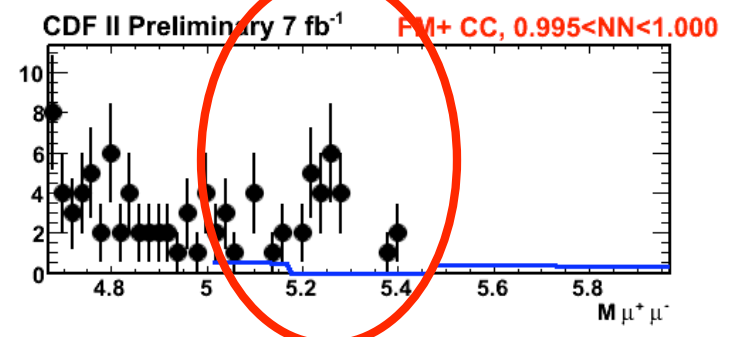
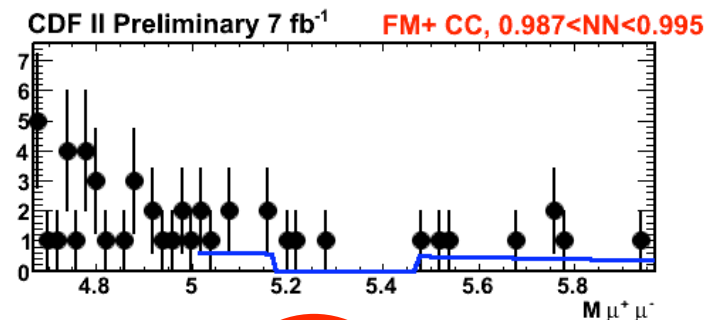
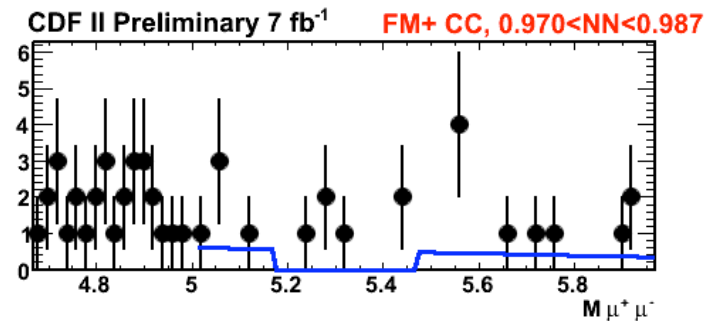
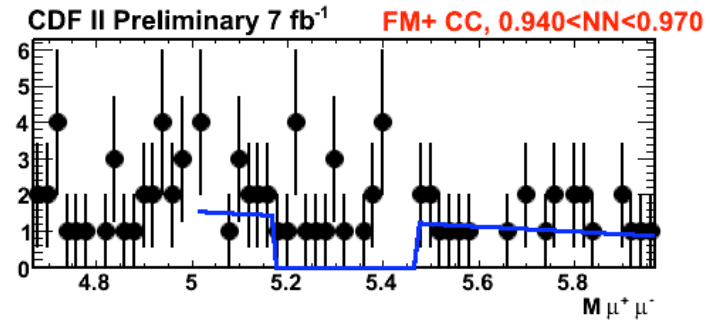
- and we see no excess over the prediction in the  $B^0$  signal window

We carefully checked our predictions in a control region enhanced in  $B \rightarrow hh$  decays (FM+ sample, at least one “muon” has to fail our muon selection)

	Predicted total events	observed	Prob.(%)
$0.700 < NN < 0.760$	$118.3 \pm (8.6)$	136	11.1
$0.760 < NN < 0.850$	$110.5 \pm (8.3)$	121	22.3
$0.850 < NN < 0.900$	$52.0 \pm (5.4)$	37	96.3
$0.900 < NN < 0.940$	$37.3 \pm (4.5)$	37	53.0
$0.940 < NN < 0.970$	$20.1 \pm (3.3)$	20	52.3
$0.970 < NN < 0.987$	$8.3 \pm (2.0)$	6	77.1
$0.987 < NN < 0.995$	$8.7 \pm (2.0)$	3	97.5
$0.995 < NN < 1.000$	$20.8 \pm (3.5)$	24	30.7

# Observation in FM+ sample, highest NN bins

In our highest NN bin we clearly select  $B \rightarrow hh$  and can predict it accurately with our background estimate method.



# Summary- Cross checks

We have performed cross checks (some shown in the backup slides) to confirm that

- ✓ The results are stable w.r.t. variations in error shape assumptions
  - have compared poisson to gaussian statistics for shapes of systematic uncertainties
- ✓ The results are independent of the statistical treatment
  - we get the same answers using Bayesian and Likelihood fit
- ✓ The results are not driven by a fluctuation that is observed in the 3rd highest NN bin
  - somewhat smaller significance when the 3rd highest NN bin is excluded
- ✓ The excess is not from  $B \rightarrow hh$ 
  - 0.08 residual events, carefully checked modeling

# Conclusions

We see an excess over the background-only expectation in the  $B_s$  signal region and have set the first two-sided bounds on  $BR(B_s \rightarrow \mu^+ \mu^-)$

$$4.6 \times 10^{-9} < BR(B_s \rightarrow \mu^+ \mu^-) < 3.9 \times 10^{-8} \text{ at } 90\% \text{ C.L.}$$

A fit to the data, including all uncertainties, yields

$$BR(B_s \rightarrow \mu^+ \mu^-) = 1.8_{-0.9}^{+1.1} \times 10^{-8}$$

Data in the  $B^0$  search window are consistent with background expectation, and the world's best limit is extracted:.

$$BR(B^0 \rightarrow \mu^+ \mu^-) < 6.0(5.0) \times 10^{-9} \text{ at } 95\%(90\%) \text{ C.L.}$$



# Conclusions

- Although of moderate statistical significance, this may be the first sign of a  $B_s \rightarrow \mu^+ \mu^-$  signal

- great interest in this decay because of its excellent sensitivity to NP

- Maybe the first glimpse of exciting times ahead?

Archive: <http://arxiv.org/abs/1107.2304>, Fermilab-Pub-11-315-E

Public web page:

[/cdf/www/physics/new/bottom/110707.blessed-Bsd2mumu](http://cdf/www/physics/new/bottom/110707.blessed-Bsd2mumu)

Since we posted our result on Tuesday, we've had a lot of feedback from Theorists (see next slides)

First email we received:

**“Yeeeeeeeeeeeeees! Just as I predicted!”**

# Interpretation in an mSUGRA model

$m_0/m_{1/2}$  plane in a  
mSUGRA

interpretation with  
 $\tan\beta=50$

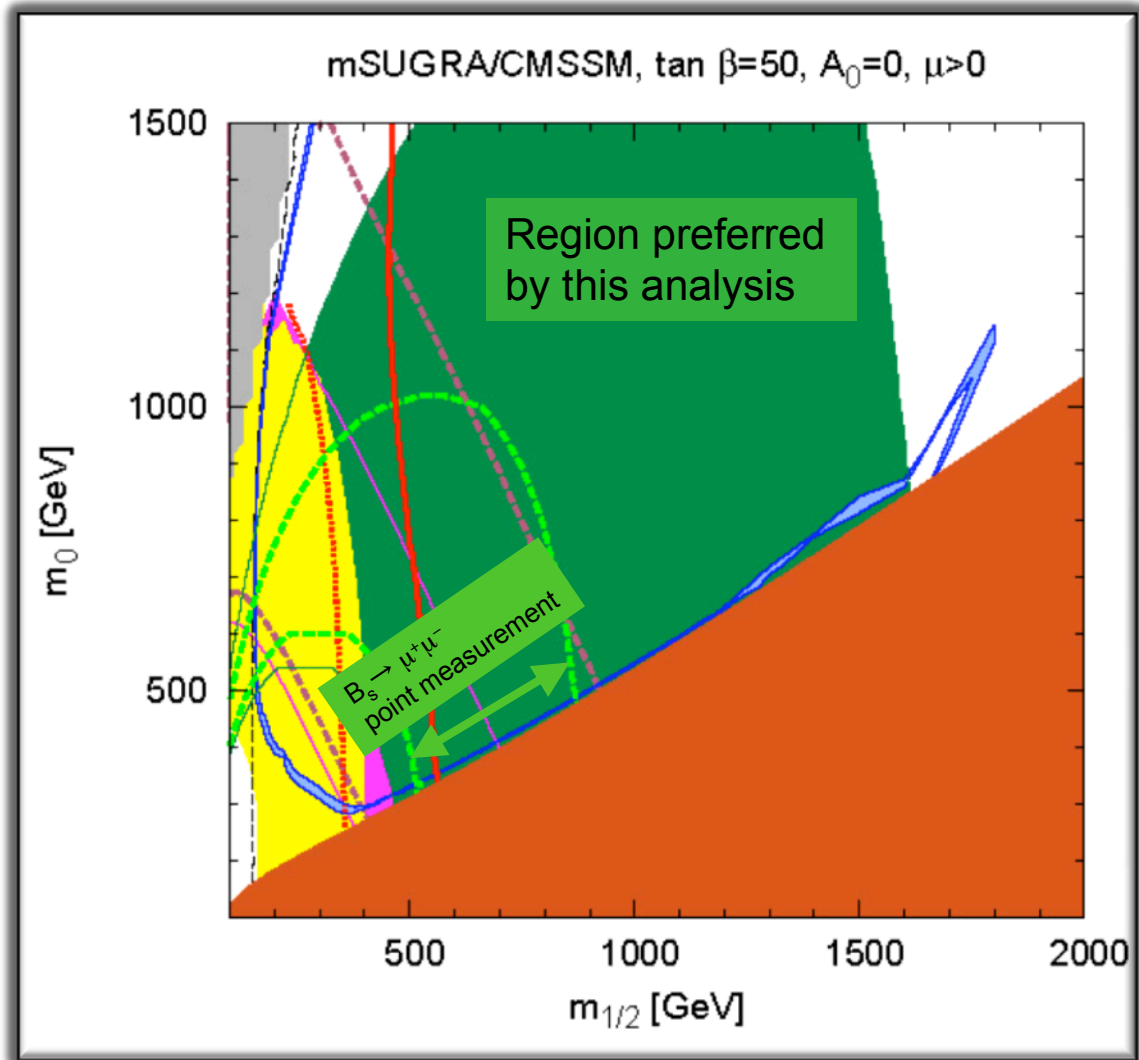
*B. Dutta, Y. Mimura, Y.  
Santoso*

**Green:** Region  
preferred by  $B_s \rightarrow \mu^+\mu^-$   
90% range

**Dashed green:** point  
measurement

**Excluded by**

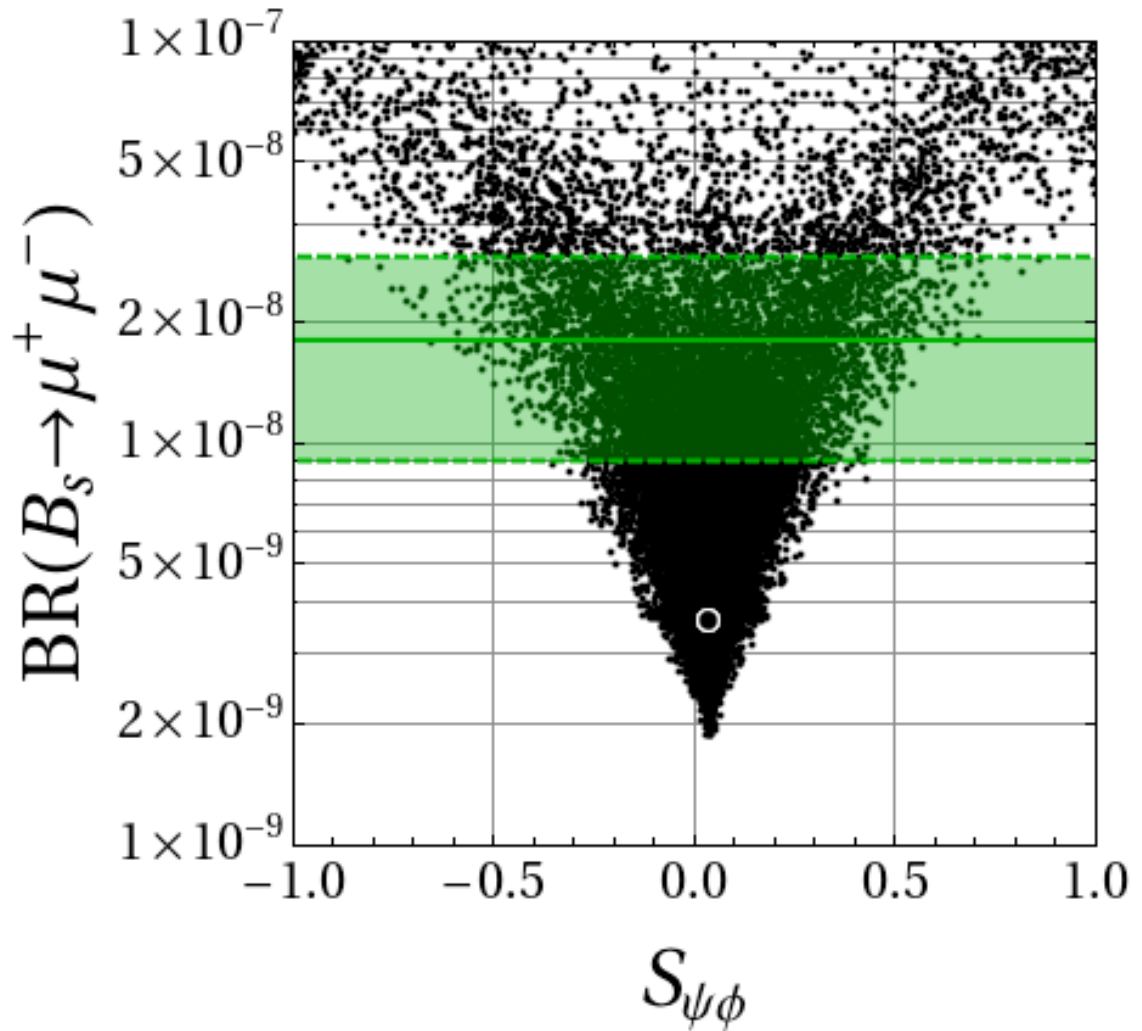
- a** Rare B decay  $b \rightarrow s\gamma$
- b** No CDM candidate
- c** No EWSB



# More Interpretations

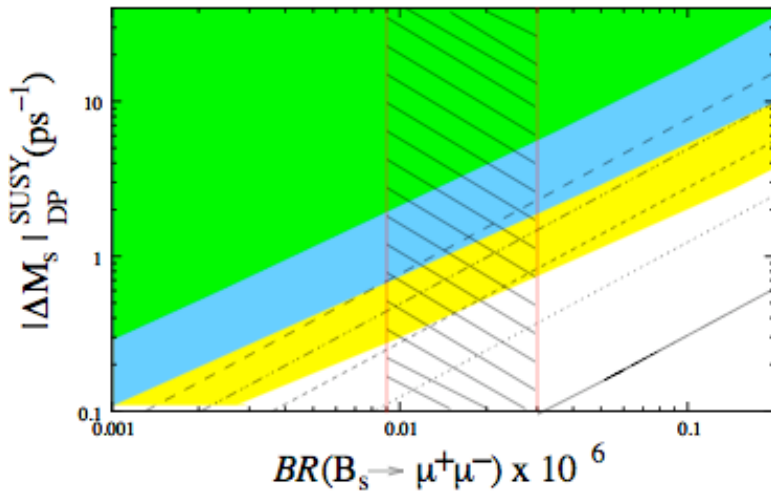
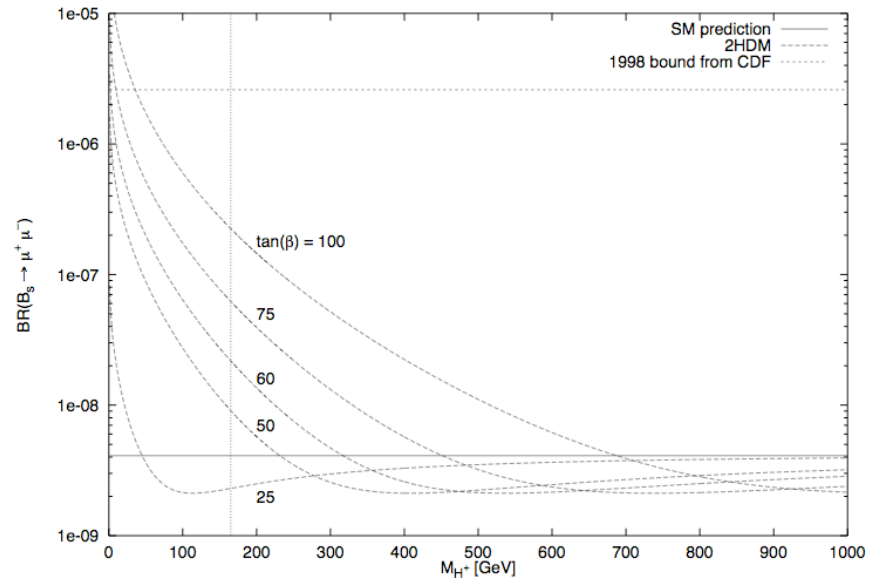
Updated plot from  
Altmannshofer, Buras,  
Gori, Paradisi, Straub,  
*Nucl.Phys.B830:17-  
94,2010 (arXiv:0909.1333)*

correlation between  
 $\text{BR}(B_s \rightarrow \mu^+ \mu^-)$  and the  
CP violating phase in  
Bs mixing in a SUSY  
model from  
Agashe, Carone  
*Phys.Rev. D68 (2003)  
035017 (hep-  
ph/0304229)*.



# More Interpretations

*U.Nierste, H.Logan:* New two-sided limit excludes a significant portion of the allowed parameter space for  $\tan\beta$  and  $M_{H^\pm}$  in a two-Higgs Doublet model:



$M_A / \tan(\beta) = 10 \text{ GeV}$  —  
 $M_A / \tan(\beta) = 20 \text{ GeV}$  ····  
 $M_A / \tan(\beta) = 30 \text{ GeV}$  - - -  
 $M_A / \tan(\beta) = 40 \text{ GeV}$  - · -  
 $M_A / \tan(\beta) = 50 \text{ GeV}$  - · - · -  
 $M_A > 500 \text{ GeV}$  —  
 $M_A > 1000 \text{ GeV}$  - · -  
 $M_A > 2000 \text{ GeV}$  - · - · -

*C.Wagner, M. Carena, A.Menon, A. Szykman and R. Noriega:* correlation between  $B_s \rightarrow \mu^+ \mu^-$  and the SUSY contributions to  $\Delta M_s$  in the MSSM with minimal flavor violation

# Acknowledgements

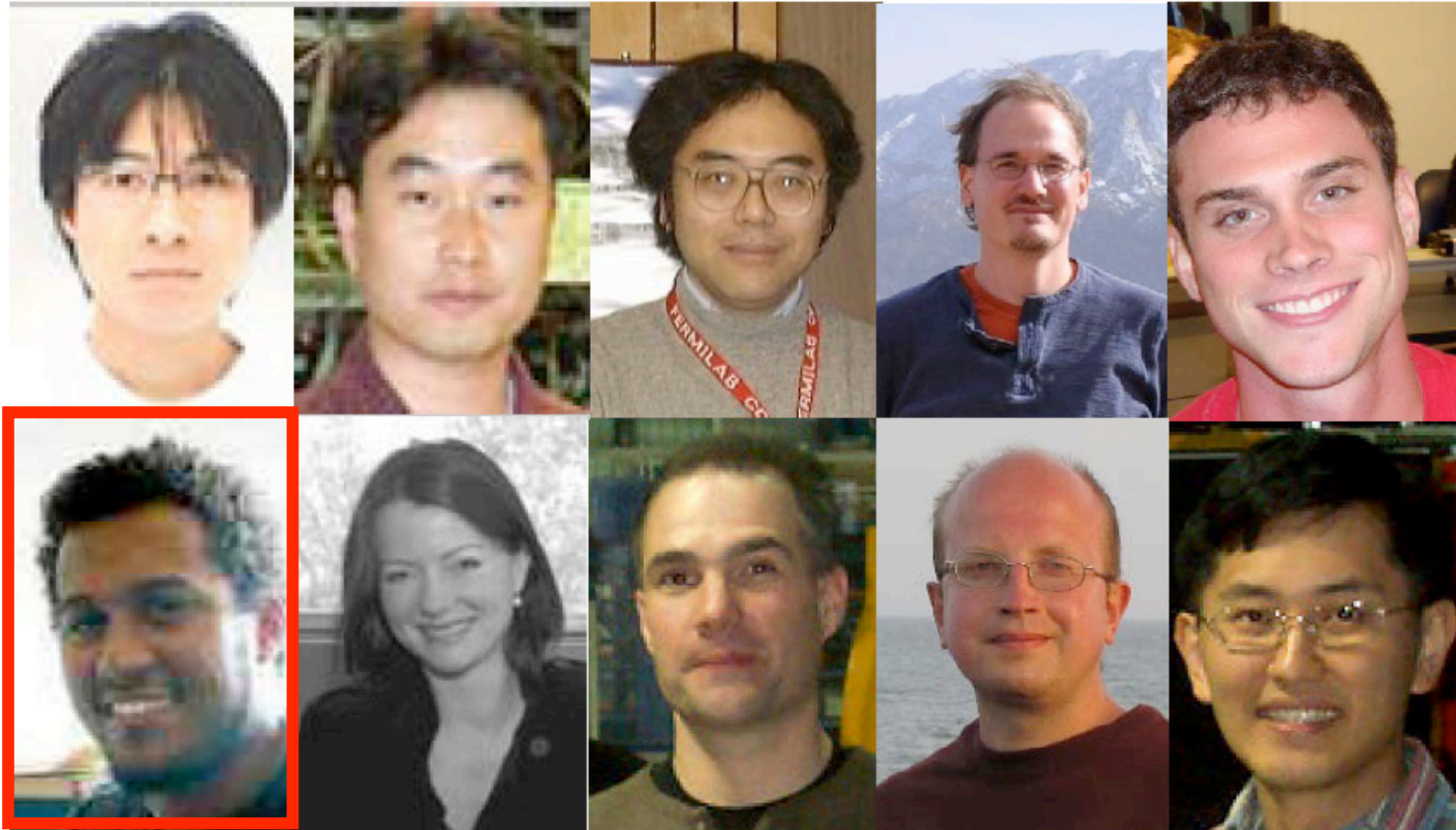
Many people have contributed to this result-  
the Fermilab and Tevatron staff, many CDF collaborators

and we thank our Theorist colleagues for extremely useful  
discussion:

A. Buras, U. Nierste, S. Gori, C. Wagner, G. Hou, A. Soni,  
L. Roskowski, T. Hurth, W. Altmannshofer, C. Davies, and  
others.

# Acknowledgements

The  $B_s \rightarrow \mu^+ \mu^-$  group, with special thanks to graduate student Walter Hopkins, Cornell, who carried the lion's share of the work!

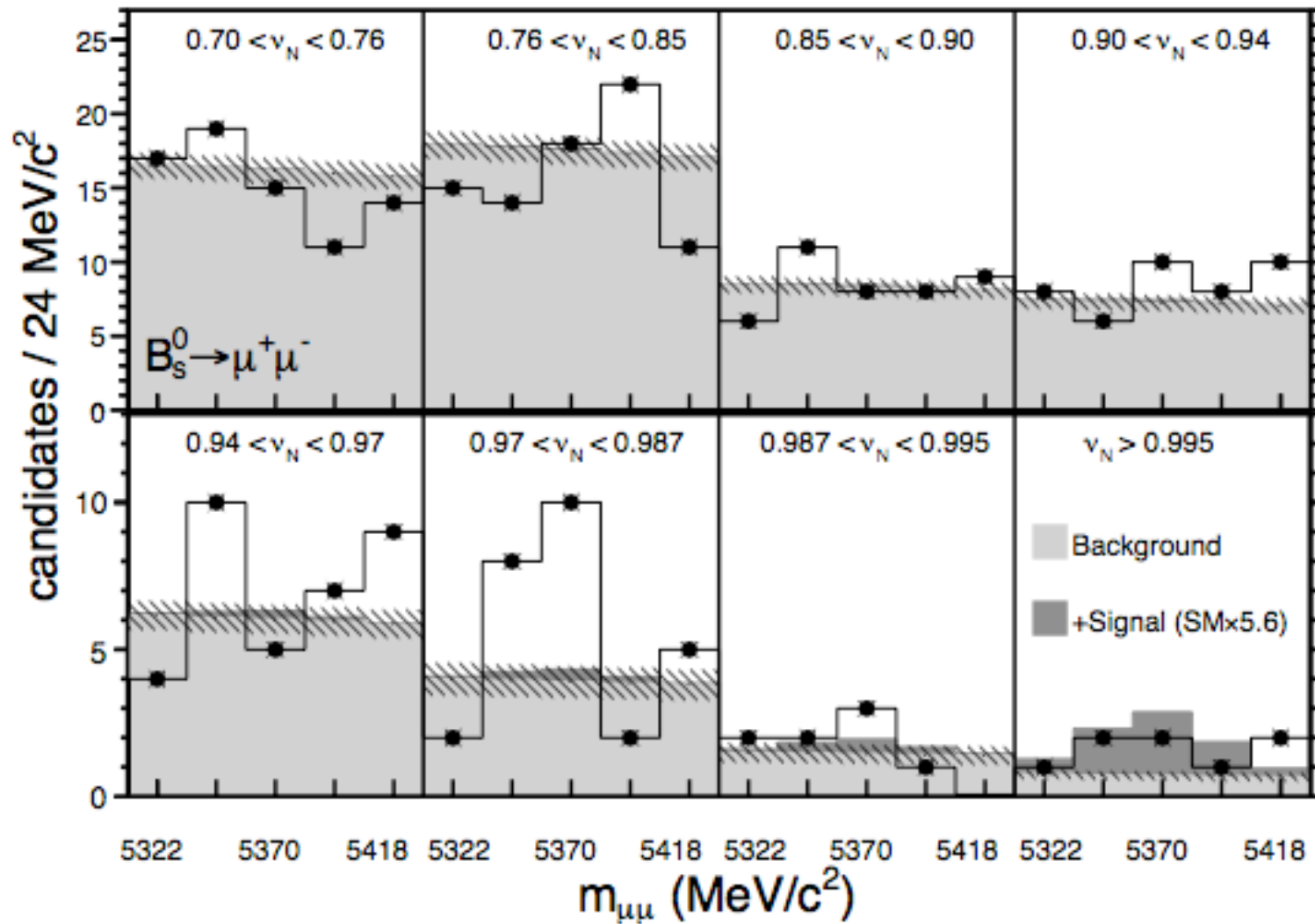


# Backup slides

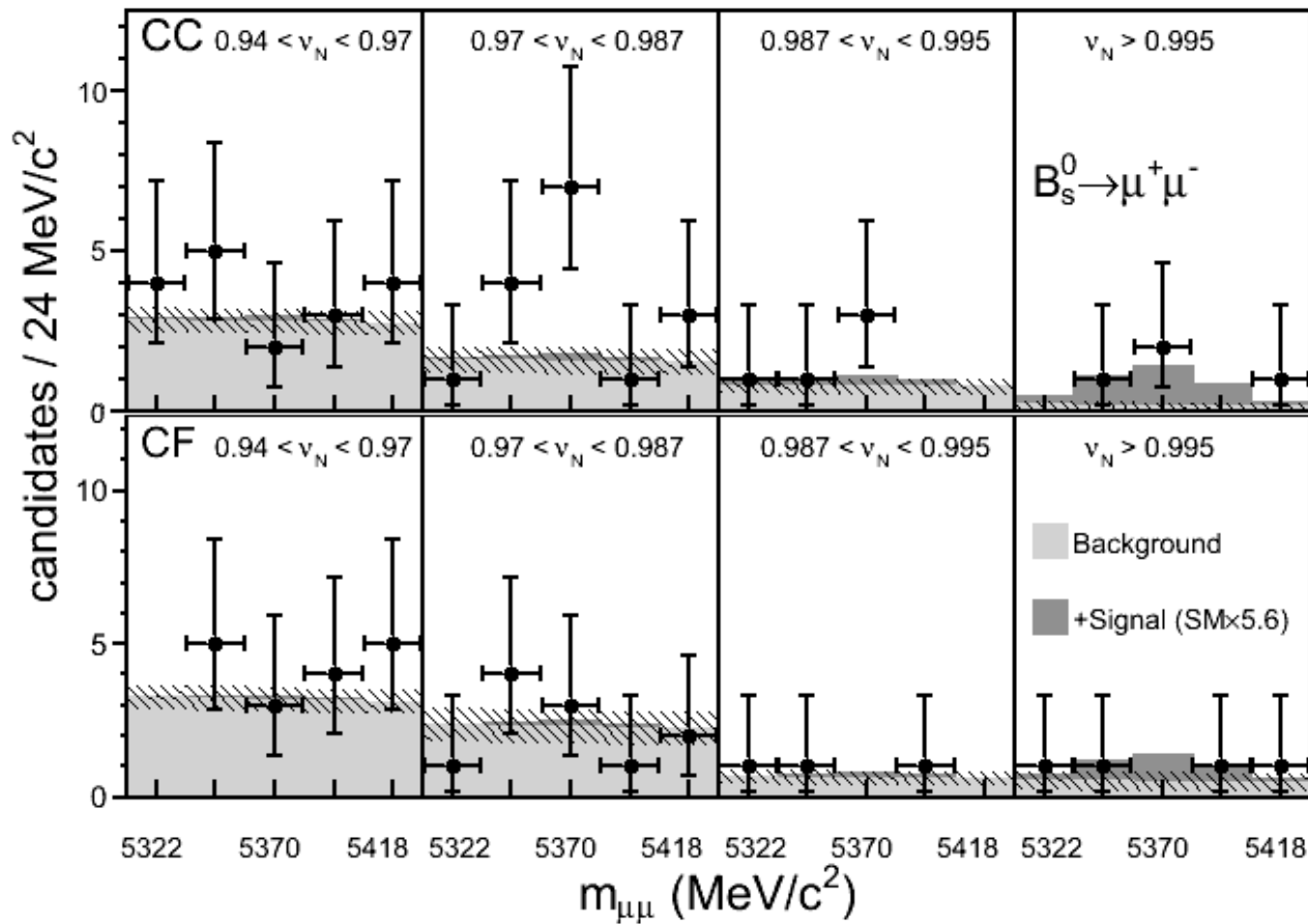


# Data in $B_s$ signal window

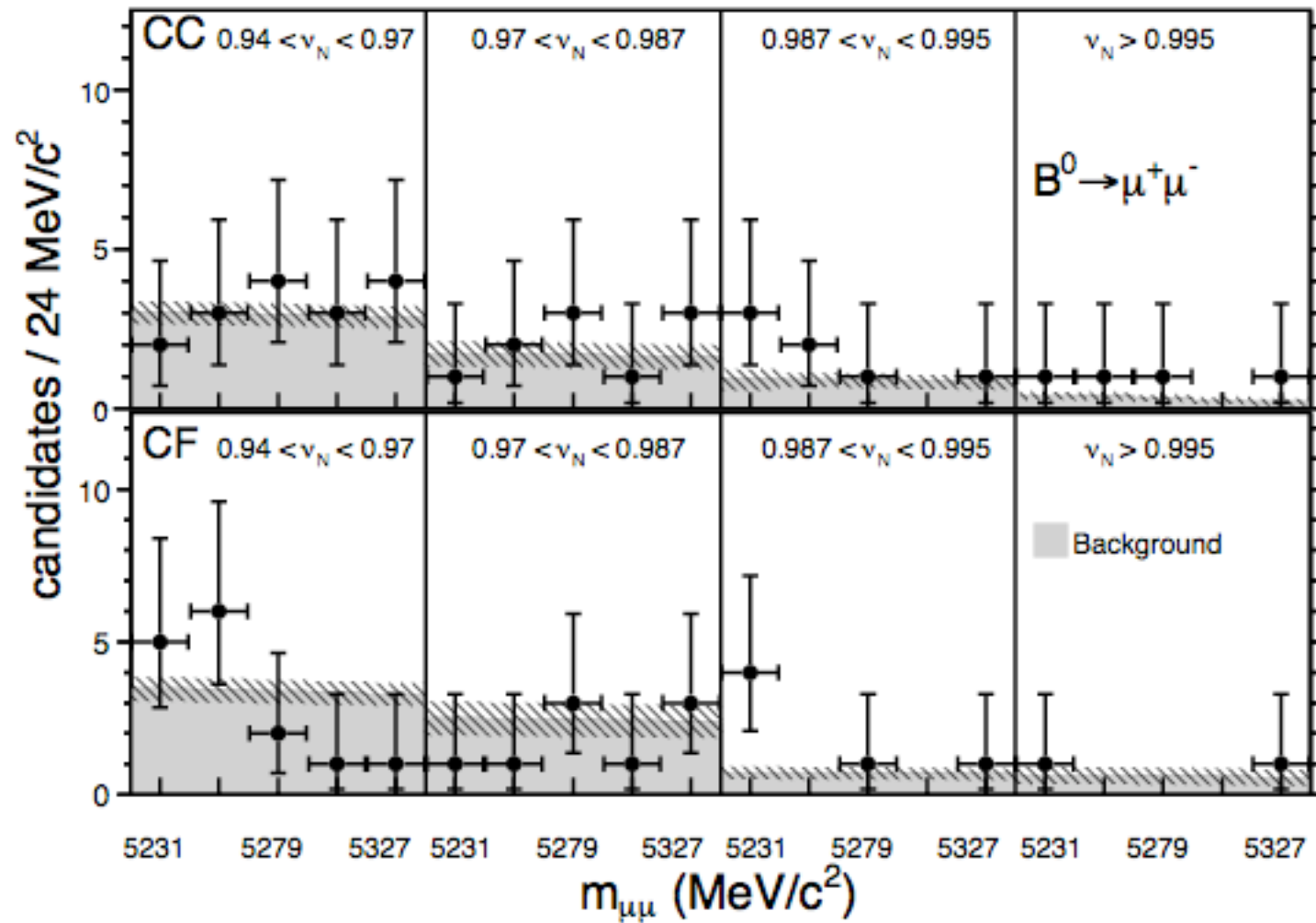
CC and CF combined



# Data in Bs signal window



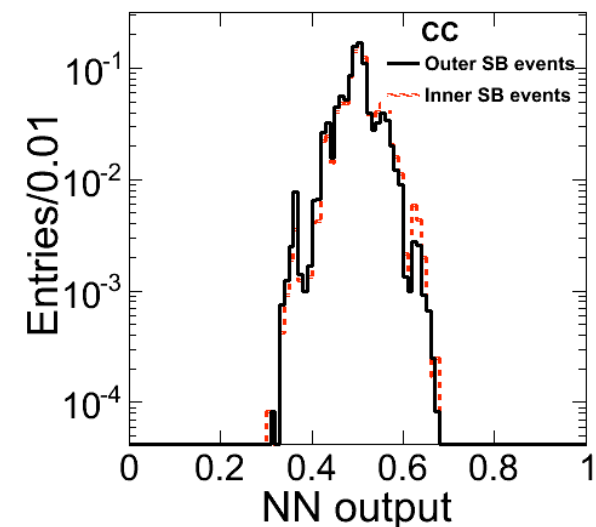
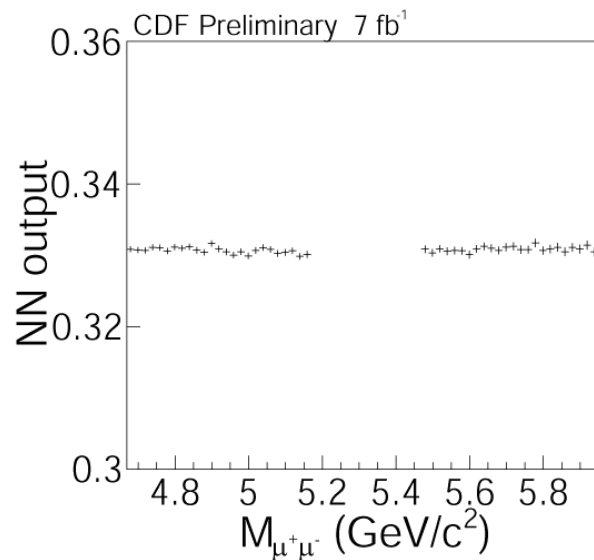
# Data in B0 signal window



# The Neural Net: validation and checks

## Test if Neural Net introduces a selection bias

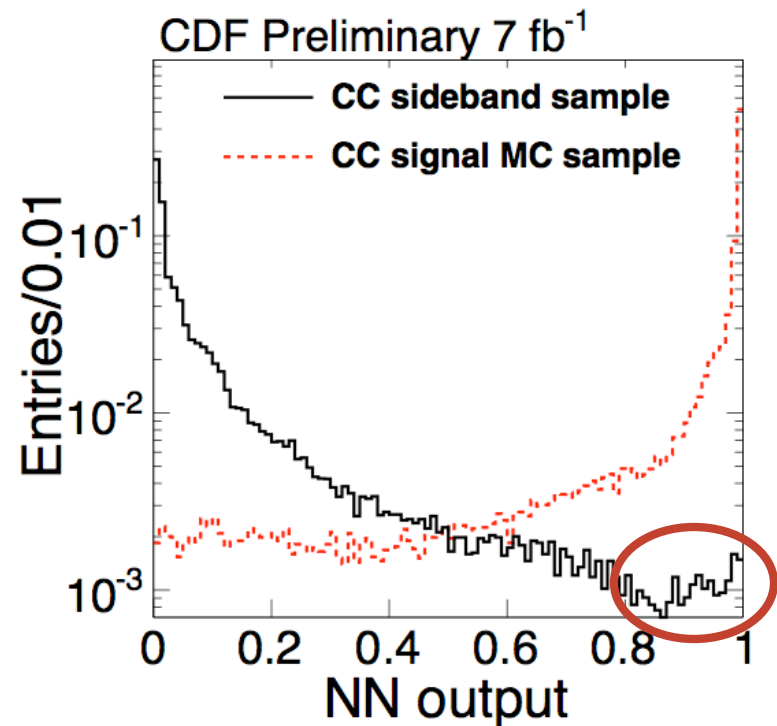
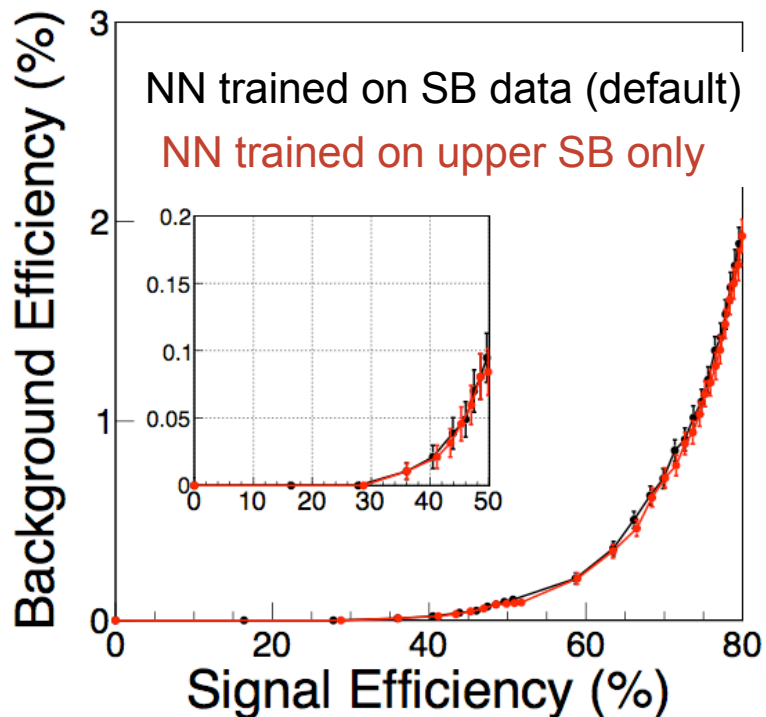
- to check if NN is “overtraining” on features of sideband data we divide the sideband data into training and testing samples
  - ✓ variations in relative sample size have no effect
- to check for mass bias we train NN output in bins of dimuon invariant mass
  - ✓ observe no mass bias
- train NN on inner and outer sideband events, checking for mass bias
  - ✓ observe no difference



# The Neural Net: validation and checks

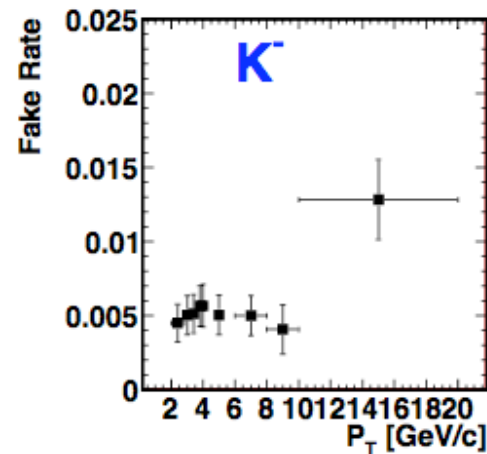
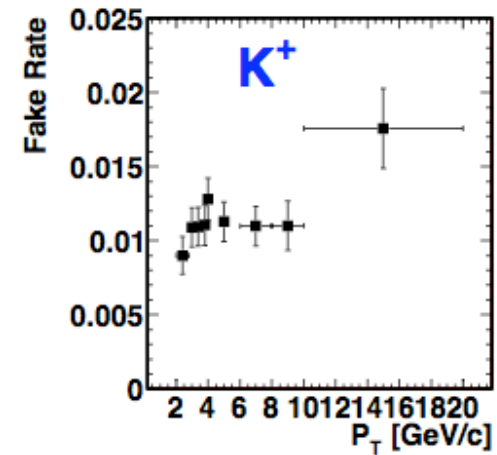
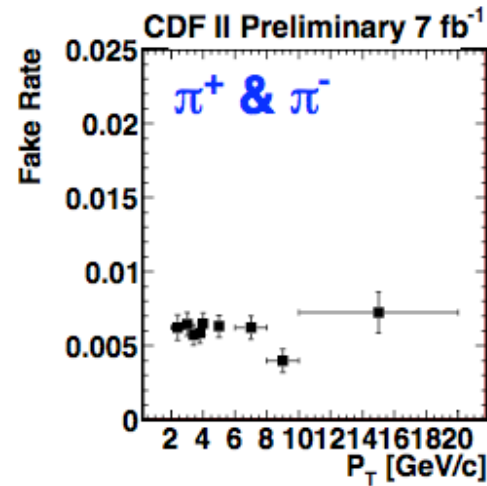
Where does the increase at large NN output come from?

- caused by low mass events ( $<5$  GeV) from partially reconstructed  $b \rightarrow \mu\mu X$  decays.
- to check if the training is affected by these events we repeated it using upper sideband events only
  - ✓ No change in NN output efficiencies



# Muon fake rates

- Variations with  $p_T$  and luminosity are taken into account
- Total systematic uncertainty (due to both muon legs) dominated by residual run-dependence:  $\sim 35\%$



Fake rate for  
Central muons

# Full table of bkgd checks in control samples

CF only

sample	NN cut	CF		
		pred	obsv	prob(%)
OS-	0.700 < NN < 0.760	209.3 ± (12.0)	187	88.8
	0.760 < NN < 0.850	332.3 ± (16.3)	325	62.0
	0.850 < NN < 0.900	146.7 ± (9.7)	144	57.7
	0.900 < NN < 0.940	144.2 ± (9.6)	139	63.9
	0.940 < NN < 0.970	128.6 ± (8.9)	112	88.4
	0.970 < NN < 0.987	92.8 ± (7.4)	89	63.0
	0.987 < NN < 0.995	45.4 ± (5.0)	55	14.0
	0.995 < NN < 1.000	38.3 ± (4.5)	37	51.2
SS+	0.700 < NN < 0.760	0.3 ± (0.3)	1	30.0
	0.760 < NN < 0.850	4.2 ± (1.1)	4	57.8
	0.850 < NN < 0.900	0.3 ± (0.3)	3	1.3
	0.900 < NN < 0.940	0.6 ± (0.4)	1	45.4
	0.940 < NN < 0.970	0.9 ± (0.5)	1	56.8
	0.970 < NN < 0.987	0.6 ± (0.4)	0	54.9
	0.987 < NN < 0.995	0.5 ± (0.4)	0	60.1
	0.995 < NN < 1.000	0.3 ± (0.3)	1	30.0
SS-	0.700 < NN < 0.760	4.2 ± (1.1)	4	57.8
	0.760 < NN < 0.850	5.1 ± (1.2)	7	27.1
	0.850 < NN < 0.900	2.7 ± (0.9)	2	71.0
	0.900 < NN < 0.940	0.9 ± (0.5)	4	2.8
	0.940 < NN < 0.970	3.0 ± (0.9)	1	92.3
	0.970 < NN < 0.987	2.4 ± (0.8)	5	12.2
	0.987 < NN < 0.995	0.6 ± (0.4)	0	54.9
	0.995 < NN < 1.000	1.8 ± (0.7)	0	76.5
FM+	0.700 < NN < 0.760	54.8 ± (5.6)	66	12.7
	0.760 < NN < 0.850	66.3 ± (6.2)	57	83.1
	0.850 < NN < 0.900	33.7 ± (4.3)	25	90.3
	0.900 < NN < 0.940	17.4 ± (3.1)	26	6.6
	0.940 < NN < 0.970	9.5 ± (2.2)	15	10.2
	0.970 < NN < 0.987	5.3 ± (1.7)	9	13.4
	0.987 < NN < 0.995	2.7 ± (1.2)	3	49.3
	0.995 < NN < 1.000	2.1 ± (1.0)	8	0.7

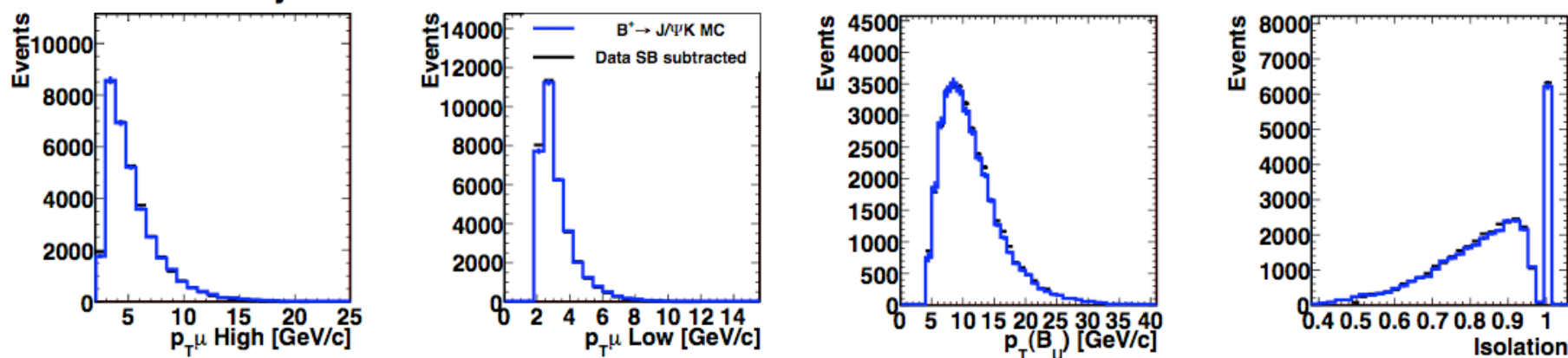
\*

\*if zero events are observed, "Prob(N>=Nobs)" is the Poisson probability for observing exactly 0

# Neural Network Cut Efficiencies- some more detail on the systematic uncertainty

- Observed differences between  $B^+$  data and MC simulation, resulting in a 4% systematic uncertainty

CDF II Preliminary  $7 \text{ fb}^{-1}$



- Observed difference in NN cut efficiency between  $B^+$  data and MC simulation: average 4.6% difference

NN cut	CC			CF		
	Data	MC	Diff	Data	MC	Diff
NN > 0.90	$0.648 \pm 0.003$	$0.666 \pm 0.004$	0.022	$0.654 \pm 0.005$	$0.667 \pm 0.005$	0.013
NN > 0.95	$0.571 \pm 0.003$	$0.588 \pm 0.004$	0.017	$0.574 \pm 0.005$	$0.583 \pm 0.005$	0.007
NN > 0.96	$0.544 \pm 0.003$	$0.561 \pm 0.004$	0.015	$0.550 \pm 0.005$	$0.562 \pm 0.005$	0.012
NN > 0.97	$0.514 \pm 0.003$	$0.530 \pm 0.004$	0.016	$0.515 \pm 0.005$	$0.530 \pm 0.005$	0.015
NN > 0.98	$0.476 \pm 0.003$	$0.489 \pm 0.004$	0.013	$0.469 \pm 0.005$	$0.476 \pm 0.005$	0.007
NN > 0.99	$0.392 \pm 0.003$	$0.406 \pm 0.004$	0.014	$0.356 \pm 0.005$	$0.380 \pm 0.005$	0.024
NN > 0.992	$0.360 \pm 0.003$	$0.374 \pm 0.004$	0.014	$0.338 \pm 0.005$	$0.362 \pm 0.005$	0.024
NN > 0.995	$0.304 \pm 0.003$	$0.312 \pm 0.004$	0.008	$0.299 \pm 0.005$	$0.319 \pm 0.005$	0.020



# Relative normalization to $B^+ \rightarrow J/\psi K^+$ : systematics

$$BR(B_{s(d)}^0 \rightarrow \mu^+ \mu^-) = \frac{N_{B_{s(d)}}}{N_{B^+}} \cdot \frac{\alpha_{B^+}}{\alpha_{B_{s(d)}}} \cdot \frac{\epsilon_{B^+}^{total}}{\epsilon_{B_{s(d)}}^{total}} \cdot \frac{1}{\epsilon_{B_{s(d)}}^{NN}} \cdot \frac{f_u}{f_s} \cdot BR(B^+ \rightarrow J/\psi K^+ \rightarrow \mu^+ \mu^- K^+)$$

$$\frac{\alpha_{B^+}}{\alpha_{B_{s(d)}}} = 0.307 \pm 0.0018(stat) \pm 0.018(syst)$$

$$\frac{\epsilon_{B^+}^{total}}{\epsilon_{B_{s(d)}}^{total}} = 0.849 \pm 0.06(stat) \pm 0.007(syst)$$

Systematic uncertainties include:

varying fragm. functions, renormalization and factorization scale, and the B-meson masses

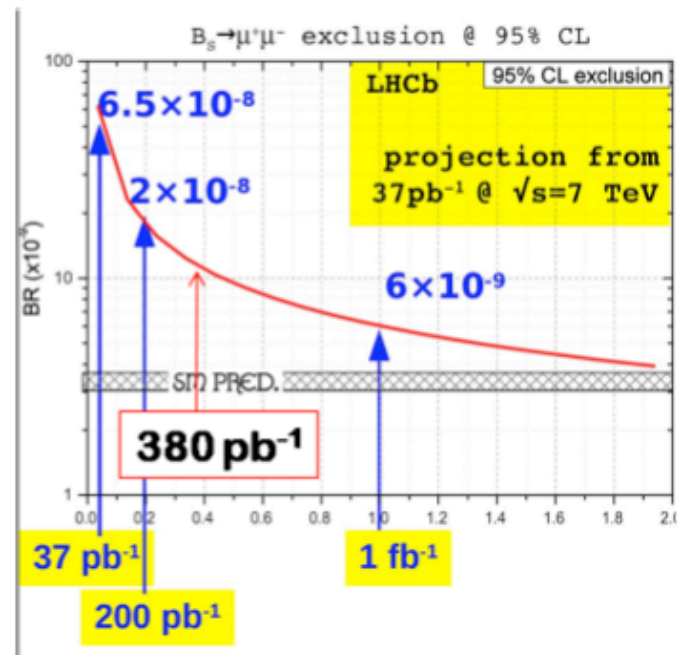
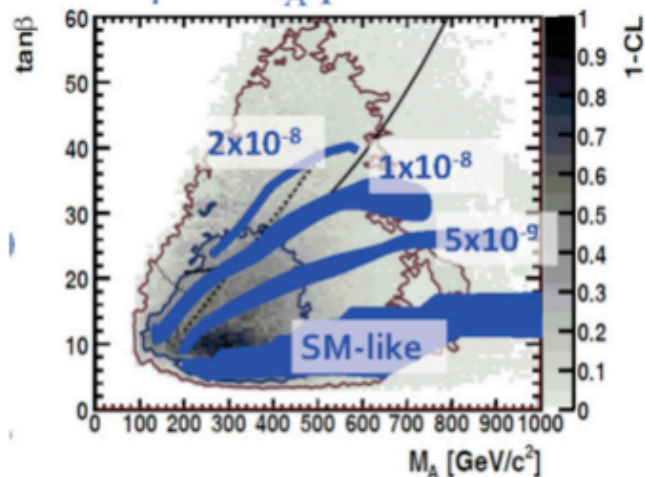
kinematic differences between  $B_s$  and  $J/\psi$  decays, estimated using  $J/\psi$  data.

Kaon efficiency,  $B^+$  vertex probability cut, estimated in data.

# LHCb and CMS/Atlas in 2011- projections

Giampiero Mancinelli

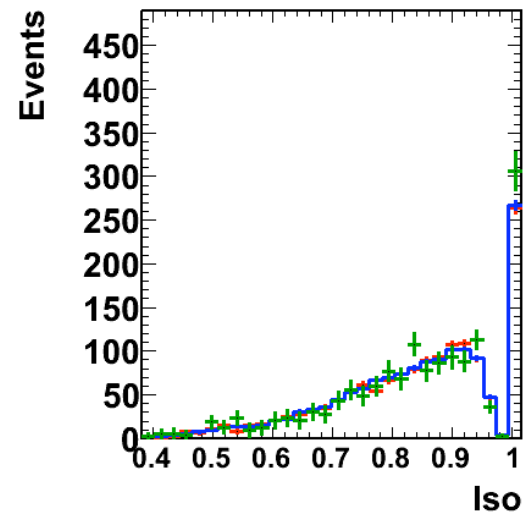
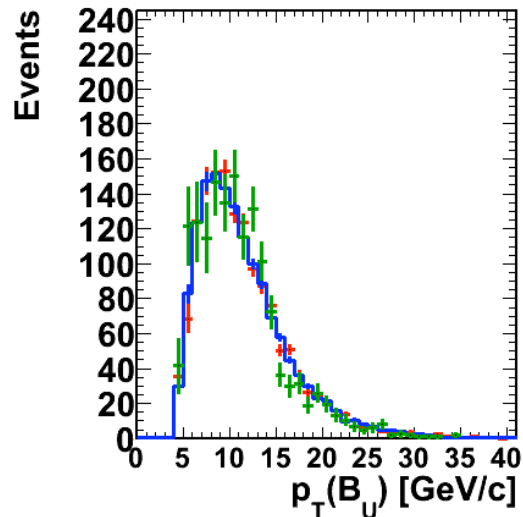
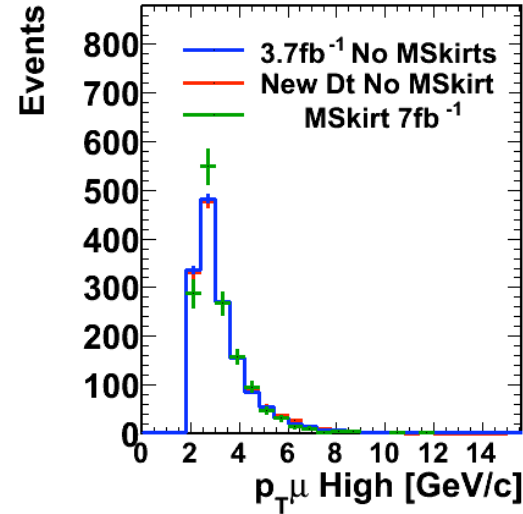
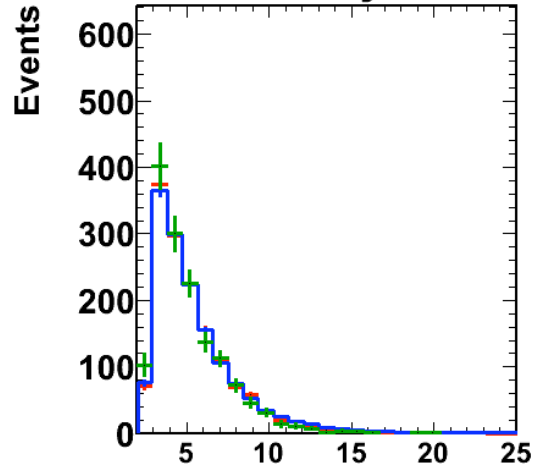
$\tan\beta$  vs  $m_A$  plane:



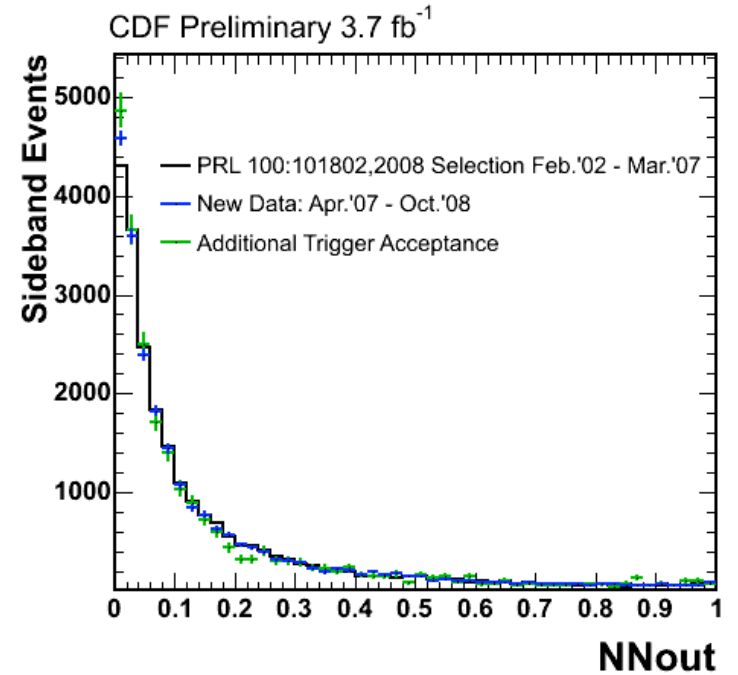
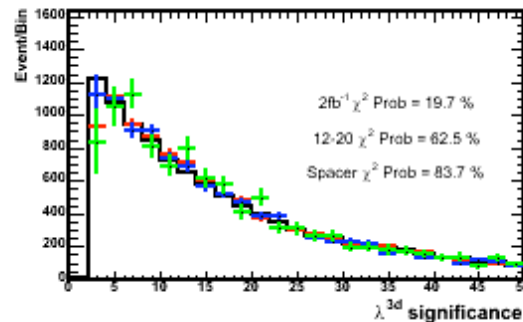
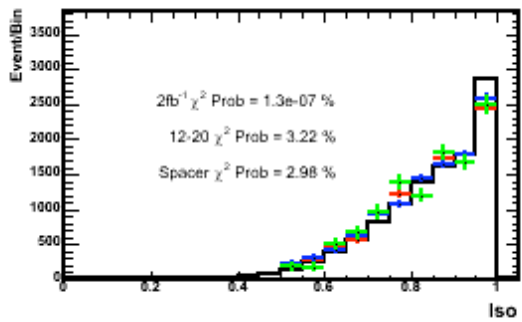
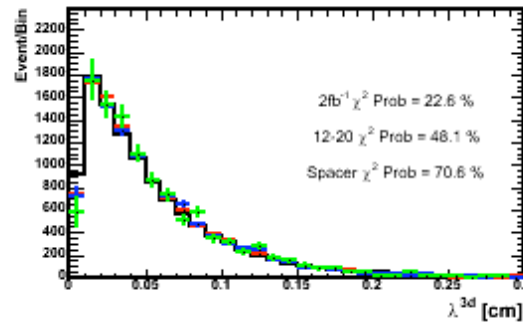
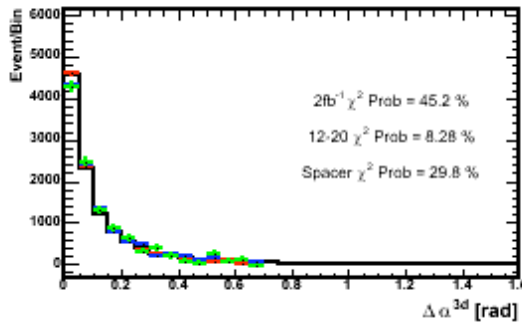
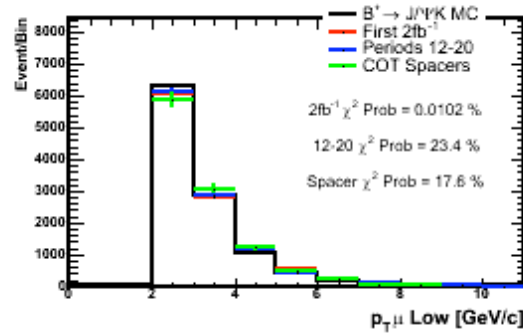
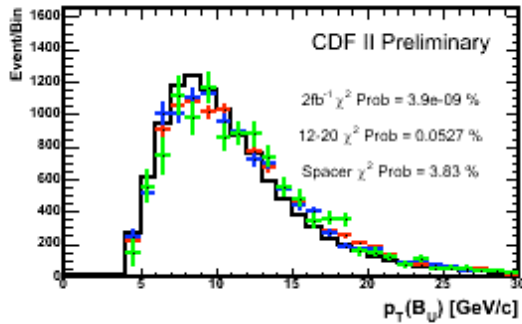
Experiment	N sig	N bkg	90% CL limit
ATLAS (10 fb <sup>-1</sup> ) $\sigma(bb) = 500 \mu b$	5.7 evts	$14^{+13}_{-10}$ evts (only $bb \rightarrow \mu\mu$ )	-
CMS (1 fb <sup>-1</sup> ) $\sigma(bb) = 500 \mu b$	2.36 evts	6.53 evts (2.5 $bb \rightarrow \mu\mu$ )	$1.6 \times 10^{-8}$ (official) $\sim 1.0 \times 10^{-8}$ (LHCb MF est.)

# Validation of the “miniskirt” data

CDF II Preliminary 7 fb<sup>-1</sup>



# Validation of the "COT-spacer" data



# $B_s$ signal window, number of expected SM events

	5.310-5.334	5.334-5.358	5.358-5.382	5.382-5.406	5.406-5.430
0.700-0.760	$0.002 \pm 0.000$	$0.007 \pm 0.001$	$0.011 \pm 0.002$	$0.006 \pm 0.001$	$0.001 \pm 0.000$
0.760-0.850	$0.004 \pm 0.001$	$0.015 \pm 0.003$	$0.020 \pm 0.004$	$0.011 \pm 0.002$	$0.003 \pm 0.001$
0.850-0.900	$0.004 \pm 0.001$	$0.010 \pm 0.002$	$0.014 \pm 0.003$	$0.008 \pm 0.001$	$0.002 \pm 0.000$
0.900-0.940	$0.005 \pm 0.001$	$0.016 \pm 0.003$	$0.023 \pm 0.004$	$0.012 \pm 0.002$	$0.002 \pm 0.000$
0.940-0.970	$0.008 \pm 0.001$	$0.022 \pm 0.004$	$0.032 \pm 0.006$	$0.016 \pm 0.003$	$0.003 \pm 0.001$
0.970-0.987	$0.010 \pm 0.002$	$0.029 \pm 0.005$	$0.041 \pm 0.007$	$0.022 \pm 0.004$	$0.005 \pm 0.001$
0.987-0.995	$0.013 \pm 0.002$	$0.046 \pm 0.008$	$0.062 \pm 0.011$	$0.031 \pm 0.006$	$0.007 \pm 0.001$
0.995-1.000	$0.052 \pm 0.009$	$0.167 \pm 0.030$	$0.227 \pm 0.040$	$0.119 \pm 0.021$	$0.029 \pm 0.005$

**Table:** Expected number SM Signal events in CMU-CMU channel

	5.310-5.334	5.334-5.358	5.358-5.382	5.382-5.406	5.406-5.430
0.700-0.760	$0.002 \pm 0.000$	$0.006 \pm 0.001$	$0.007 \pm 0.001$	$0.005 \pm 0.001$	$0.001 \pm 0.000$
0.760-0.850	$0.003 \pm 0.001$	$0.012 \pm 0.002$	$0.015 \pm 0.003$	$0.009 \pm 0.002$	$0.002 \pm 0.000$
0.850-0.900	$0.003 \pm 0.001$	$0.009 \pm 0.002$	$0.012 \pm 0.002$	$0.006 \pm 0.001$	$0.001 \pm 0.000$
0.900-0.940	$0.004 \pm 0.001$	$0.012 \pm 0.002$	$0.017 \pm 0.003$	$0.009 \pm 0.002$	$0.002 \pm 0.000$
0.940-0.970	$0.005 \pm 0.001$	$0.015 \pm 0.003$	$0.021 \pm 0.004$	$0.013 \pm 0.002$	$0.003 \pm 0.001$
0.970-0.987	$0.008 \pm 0.002$	$0.026 \pm 0.005$	$0.036 \pm 0.007$	$0.019 \pm 0.003$	$0.005 \pm 0.001$
0.987-0.995	$0.007 \pm 0.001$	$0.021 \pm 0.004$	$0.029 \pm 0.005$	$0.017 \pm 0.003$	$0.004 \pm 0.001$
0.995-1.000	$0.039 \pm 0.007$	$0.116 \pm 0.021$	$0.159 \pm 0.029$	$0.090 \pm 0.016$	$0.023 \pm 0.004$

**Table:** Expected number SM Signal events in CMU-CMX channel

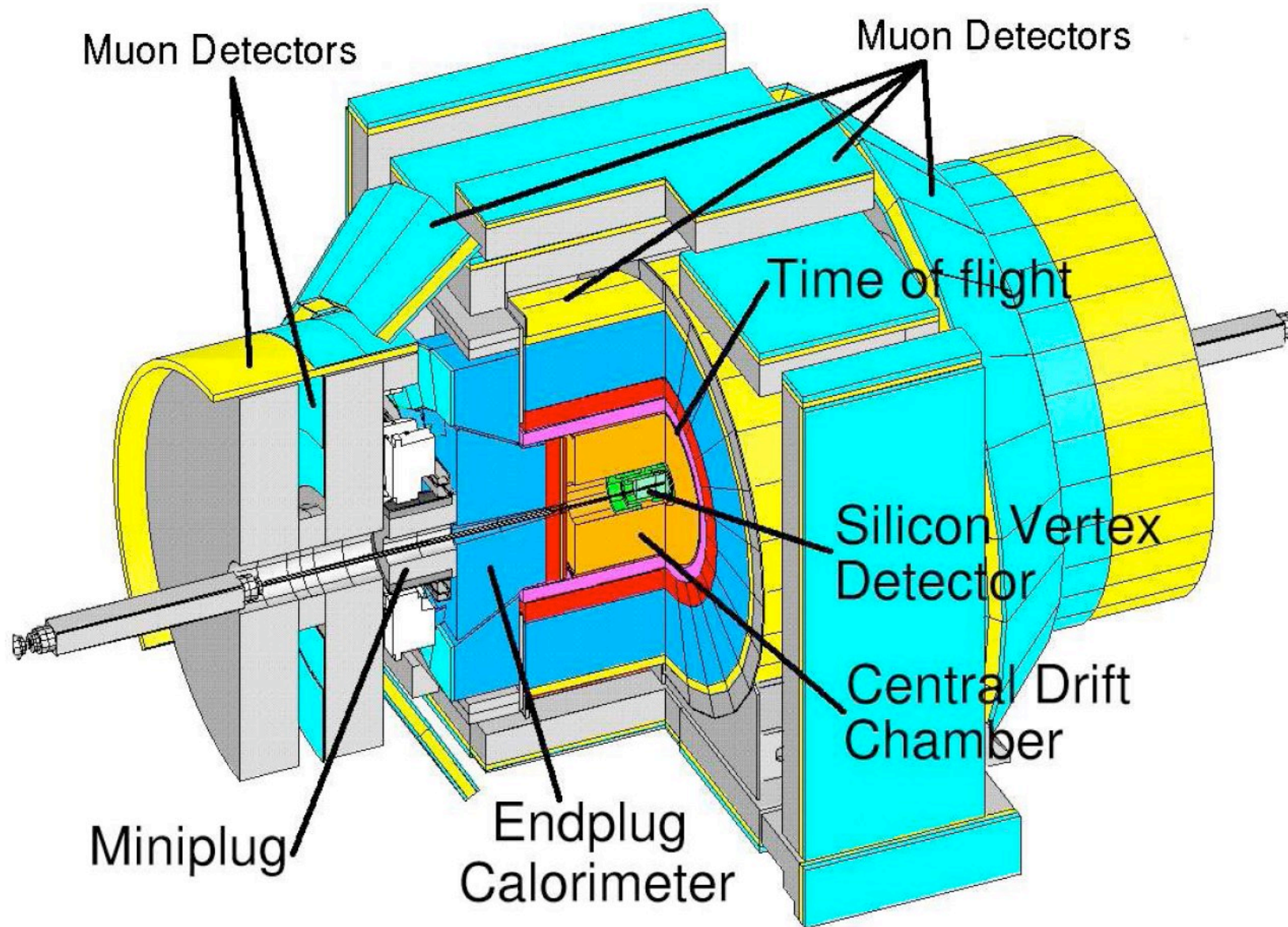
# NN: Discriminating variables

Rank	Variable
1	$\Delta\alpha_{3d}$
2	Isolation
3	Larger $ d_0(\mu) $
4	$ d_0(B_s^0) $
5	$L_{2d}/\sigma_{L_{2d}}$
6	$\chi_{\text{vtx}}^2$
7	$L_{3d}$
8	Lower $p_T(\mu)$
9	Significance of smaller $ d_0(\mu) $
10	$\lambda_{3d}/\sigma_{\lambda_{3d}}$
11	$\lambda_{3d}$
12	Smaller $ d_0(\mu) $
13	$\Delta\alpha_{2d}$
14	Significance of larger $ d_0(\mu) $

# Full table of expected and observed data

Mass Bin (GeV)		5.310-5.334	5.334-5.358	5.358-5.382	5.382-5.406	5.406-5.430	Total
UU NN bin	Exp Bkg	8.38±0.62	8.27±0.61	8.17±0.59	8.07±0.58	7.97±0.56	40.86
0.7-0.76	Obs	9	6	7	2	5	29
UU NN bin	Exp Bkg	7.83±0.62	7.81±0.6	7.79±0.59	7.77±0.57	7.75±0.56	38.96
0.76-0.85	Obs	9	6	11	12	6	44
UU NN bin	Exp Bkg	3.23±0.43	3.22±0.41	3.21±0.4	3.2±0.39	3.19±0.37	16.05
0.85-0.9	Obs	5	6	2	5	4	22
UU NN bin	Exp Bkg	3.6±0.46	3.56±0.44	3.52±0.42	3.48±0.41	3.44±0.39	17.59
0.9-0.94	Obs	4	5	4	5	9	27
UU NN bin	Exp Bkg	3.0±0.4	2.96±0.38	2.91±0.37	2.87±0.36	2.83±0.35	14.58
0.94-0.97	Obs	4	4	2	3	3	16
UU NN bin	Exp Bkg	1.65±0.28	1.63±0.27	1.61±0.26	1.59±0.26	1.57±0.25	8.05
0.97-0.987	Obs	1	5	7	1	3	17
UU NN bin	Exp Bkg	0.96±0.2	0.93±0.19	0.91±0.19	0.89±0.18	0.87±0.18	4.55
0.987-0.995	Obs	1	1	3	0	0	5
UU NN bin	Exp Bkg	0.26±0.08	0.22±0.08	0.2±0.07	0.19±0.07	0.18±0.07	1.03
0.995-1	Obs	0	1	2	0	1	4
UX NN bin	Exp Bkg	8.74±0.63	8.61±0.61	8.48±0.6	8.35±0.58	8.22±0.57	42.39
0.7-0.76	Obs	8	13	9	9	9	48
UX NN bin	Exp Bkg	9.65±0.66	9.52±0.64	9.38±0.62	9.24±0.61	9.1±0.6	46.89
0.76-0.85	Obs	7	8	7	11	4	37
UX NN bin	Exp Bkg	5.07±0.5	4.99±0.49	4.92±0.47	4.84±0.46	4.76±0.44	24.59
0.85-0.9	Obs	1	5	6	3	5	20
UX NN bin	Exp Bkg	3.92±0.47	3.87±0.45	3.82±0.43	3.76±0.42	3.71±0.4	19.08
0.9-0.94	Obs	4	1	6	3	3	17
UX NN bin	Exp Bkg	2.65±0.37	2.67±0.36	2.69±0.35	2.71±0.34	2.74±0.34	13.46
0.94-0.97	Obs	0	5	3	4	5	17
UX NN bin	Exp Bkg	2.4±0.34	2.37±0.33	2.34±0.32	2.3±0.31	2.27±0.3	11.68
0.97-0.987	Obs	1	4	3	1	2	11
UX NN bin	Exp Bkg	0.54±0.16	0.54±0.15	0.55±0.15	0.55±0.15	0.56±0.15	2.74
0.987-0.995	Obs	1	1	0	1	0	3
UX NN bin	Exp Bkg	0.83±0.0	0.78±0.0	0.75±0.0	0.71±0.0	0.68±0.0	3.75
0.995-1	Obs	1	1	0	1	1	4







# Cross checks of $B \rightarrow hh$

$p_T$  dependence of fake rate will bias  $B \rightarrow hh$  candidates that survive the muon selection. Will this affect the NN output distribution, e.g. resulting in a bias to high NN output?

CC only (see backup for CF)

NN output distribution of the signal simulation is compared before and after applying the  $p_T$  dependent fake rate. No difference is observed.

